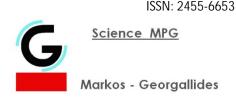


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PHOTON-PARTICLE, PHOTON-WAVE OR DUALITY-PHOTON?

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Abstract

Distance is the Quantum of E-Geometry, while **Material-point** is the Quantum in **Physics** and Material-Geometry which is the composition of opposites and are the Elements in Chemistry and Physics . As in Algebra Zero ,0, is the Master-key number for all Positive and Negative numbers, because their sum and multiplication is zero, and the same on coordinate-system \pm axes pass from zero, The Rolling of Positive \oplus , constituent on the Negative \ominus , constituent, creates the Neutral Material point which Equilibrium . Spin $\overline{\mathbf{B}}$, is Its Angular momentum and the First-Discrete-Energy-monad which occupies Discrete-Value and Direction, in contradiction to the Point which is nothing, Dimensionless and without any Direction. Space is Quantized as Energy-Caves under the effect of Gravitational-force G, and Energy is Quantized as Frequency in Energy-Caves following Kepler's First-law of equal areas in equal intervals . Quaternion [(+)ひ∪(-)] is a Quantum-Mould for Space [(+)(-)] and Energy= motion \equiv Force x Displacement as $[\circlearrowleft \circlearrowleft \circ \uparrow \leftrightarrow \downarrow] \equiv \text{Box } \mathbf{B_0} \equiv \text{An Material Point which carries}$ the Principal Stress σ between A(+), B(-), and σ is *Centripetal-acceleration* of minimum Energy becoming from the in-storage AB acceleration and which is **equal to the** Gravity **g**. From Quantum-Mould $[r + \overline{v} \nabla i]^{1/w} = e^{-i \cdot (\pi/2 + 2k\pi) \cdot w}$ is created the min-cave $r=1,\!07.10^{-7}$ m and the min-energy $\overline{v}=w$ $r=2\pi r$ f , The frequency $f_m=2,\!839844.$ $10^{10}\,H$. Gravitational-force G effecting on light velocity \bar{c} creates Electron-charge \overline{q} and Electron \bar{e} , while acting on Planck's-cave the Gravity $\mathbf{g} \equiv \pm \sigma$, as $\mathbf{G} = \mathbf{g} \mathbf{k} = \mathbf{k}_{\mathbf{E}} \mathbf{g} = \mathbf{k}_{\mathbf{L}} \sigma = \mathbf{g} \mathbf{g}_{\mathbf{L}} \mathbf{k}_{\mathbf{L}}$, and \mathbf{g} effecting on the min-Planck-cave L_P formulates Hydrogen-cave **H** with its electron H_e. Constant G is effecting on Gravity g and in turn g, effects on Electron $\overline{\mathbf{e}}$ of Hydrogen-cave, Originates Nutation-motion in Precession as Resonance-frequency $f_N \equiv f_R \equiv Work \equiv Energy$, and is stored in the [Nucleus-Electron] **Orbit**, as the **w**_L Larmor – frequency. Moreover A...The Link between G and all above is the Photon [Particle-Wave] which as Particle is an Confined f_N , in a Stationary-Wave-Storage, and as Wave an Propagating Electromagnetic-Wave. B... The United Coulomb-Newton-Law of Interactions is the Extreme case of any two Touched Charges in Field E, as $k[q_1, q_2] = g E$, producing the Nutation of Orbit-Electrons. C... Atom is a cave containing a Heap of masses and Charges. This configuration forms a Harmonic Oscillator which creates an Electromagnetic Wave, the Quantum of Energy and of Space, which are the Natural-frequency of Atom f_1 , and the Storage Magnetic-field \overline{B}_L .

Keywords: The Duality Photon, The Constancy of light-velocity, Atoms-Nutation-motion.



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A.. : GENERAL

- 1...The Objective Reality is composed of two elements, that of Distance. the Space ds, and that of Motion, or else called Energy, and it is the content of all sciences [32]
- 2... Euclidean-Geometry describes the Space only but Not the Energy [48] .
- **3...** The Solution of all the Unsolved-Ancient-Greek-Problems [50] opened the way to **Material-Geometry** [54] which Incorporates the Motion In-Space $(\bigoplus \leftrightarrow \bigcirc)$, [61]. **The Space exists** in Energy-Caves as *Energy-Quantum-Quantities* [39] while Motion or **Energy exist** inCaves as an *Confined-Stationary-wave* which is either Static or an moving Energy-Storage or an Energy-Box [68]. The Two Opposites (+), (-) exist in Nature and are found everywhere from \to Zero-Point $(0) \equiv [+=-]$ or (+A)+(-A)=0 in E-Geometry and $\to [0] = [\bigoplus \leftrightarrow \bigcirc] \equiv ds$, $[\bigoplus \leftarrow ds \to \bigcirc]$ in Material- Geometry, to the aperon, $\pm \infty$, where, in The Space $\equiv ds$, the motion exist as Vibration [52].
- **4...The PrimaryMaterial-Point** is composed of Infinite-Material-Points in the TwoAperon which consist a Huge Magnet with Infinite Parallel-lines ,where the ⊕ constituent moves as for Newton-Gravitational-constant G-force Periodically to ⊖ constituent [82-86] .
- 5... Gravitational-Force G , Acting in the Beyond-Planck Cave , and on the light Velocity Vector $\bar{\mathbf{c}}$, creates Electron-Charge $\overline{\mathbf{q}}_{\text{Electron}} = \frac{G}{c\,\sqrt{2}}$ and the Material-Points $\overline{\mathbf{q}}_{\text{Photon}} = \frac{G}{\sqrt{2}.f}$ while by effecting on the Whole-Planck-Cave $\mathbf{L}_{\mathbf{P}} \equiv \mathbf{e}^{i\cdot(-5\pi/2)\cdot10}$, creates the Pointy-Gravity Force as this is the Ocean of Spins $\overline{\mathbf{g}}$,and which Oriented-Spins , Originate the Gravity \mathbf{g} and Electron $\overline{\mathbf{e}}$ [72].
- **6...The Rotation** of the Two Elements , $[\bigoplus \circlearrowleft \circlearrowleft \circlearrowleft \ominus \ominus]$, Up or Down in the Material-Point-circles Originates the Spins , $\pm \frac{1}{2}$, ± 1 , $\pm \frac{1}{2}$, for All-Particles **Fermions or Bosons** which become from above Three-States of motions , just by Adding the Spins [36] . Linear Motion $[\bigoplus \leftrightarrow \ominus]$ of Breakage $[\pm \overline{c}. s^2_m]$ in cave $\{M\text{-Point} = d s_m = e^{i.\left(\frac{N\pi}{2}\right)b=10^{-}N=\pm\infty}m\}$ as $\to v=w$ $r=2\pi r$. $f=\sigma \Phi$, in the Great and Small circles of Glue-Bond rotation creates the **Three-States** of **frequencies** $f_{\pm 1/2} = \frac{(1+\sqrt{5})\sigma}{8\pi r}$, $f_{\pm 1} = \frac{(1+\sqrt{5})\sigma}{4\pi r}$, $f_{\pm 1/2} = \frac{(1+\sqrt{5})\sigma}{8\pi r}$, and energy E=h f_m . Because **Angular-Momentum** $\overline{B} = \frac{2L}{\overline{w}} = \frac{2L}{2\pi f} = [\frac{2L}{2\pi}].[\frac{1}{f}] = \frac{Constant}{2\pi} [\frac{1}{fm}] = SPIN$ [70]
- 7...When the Unit-Quantum-Energy in Planck-length is equal to the Stress of Gravity g, and enters the minimum-cave a as the Critical-Unit in orbit ,then is measured frequency f_p which is giving the Least-Unit-Energy-cave and that is of Hydrogen Cave H, [81], as equations $g \cdot a^3 \cdot f_p^2 = 1$ and $E = h \cdot f_p$.
- 8...When the Unit-Quantum-Energy k in Planck-length is equal to the Stress of Gravity g and frequency f_e becomes from Hydrogen Least-Unit-Energy = πg , then Reaction = mass



is that of the Electron Cave, e. as $4\pi^2 f_e^2$.m_e = $\mathbf{k} = \pi g$ and $\mathbf{m_e} = \mathbf{g} / [4\pi f_e^2]$, [82]

9...The Rotation around the \oplus constituent, of the Confined-Electron \ominus constituent in the Potential-Energy of Hydrogen-cave, which consists a configuration of masses m_p and of Charges q_e , Originates, the Uniform-Magnetic-field \overline{B}_L of Atom, the Spin of Atom connected with that of Electron-Spin, and Forms an Harmonic Oscillator with a Natural Frequency f_N with the less Damping-factor by Increasing of Potential Energy in loop due to Nutation-motion. Since Electron is continually-oscillating with the Nutation-frequency f_N , so Produces an oscillating magnetic-field \overline{B}_N , which in turn is the source of an oscillating Electric-field \overline{E}_N , which implies the Regeneration each other and which is a Propagating Electromagnetic - Wave where $\overline{E}_N = \overline{B}_N$ c. [86]

10...This Resonance - frequency f_R is Independent of the Electron's speed and radius so allows Bonding between Atom-caves which contain a Formation ,a Heap of Masses and of Charges . In a Proper- Stationary-Magnet on which the Rotation-motion becomes as linear Oscillation is succeeded a clear Magnetic-Resonance-Imaging [The MRI , MEDIA] , [86] .

11... Constant force G is effecting on Gravity g , and in turn g is acting on Electron \overline{e} in the Hydrogen-cave , Originates the Nutation-motion in Precession as Cyclotron-Resonance - frequency $f_R = \sqrt[4]{\frac{1}{4\pi^2 m_e.r^3}}$ of cave ,r, and the produced-Energy \equiv motion is stored in the

Orbit as a New Uniform-Magnetic-field $\overline{B}_F = |\frac{2\pi.M_T}{Q_T}|f_R$ independent of velocity and cave, which becomes the **Bond** between the Atoms to be Molecules, i.e. Bonds are the Magnetic lines of the Uniform-field. [80]

12..During Nutation of Electron-SPIN , and because of the Eternal-Varying-Velocity motion in Orbit Precesses , **the Produced-Work** of $[\bigoplus = \text{Proton}, \bigoplus = \text{Electron}]$ is Conserved in the **Nucleus-Orbit-Magnet** , as the Nucleus-Magnetic-Moment , which is influenced by Any External-Magnetic-field . The continually Conserved Energy becomes the frequency $f_N = f_R$ and is **Resonated to the Electron-Spin** , OR to the Set External-Magnetic-Field-moment . [N] Articles IN - GOOGLE \rightarrow by Georgallides Markos.

13... The Priors:

Article [87] is the completion of [72-80] and [80-86] of the Physical interpretation of the Two constants of nature , that of Newton's Gravitational constant ${\bf G}$, and light velocity $\bar{\bf c}$, with Derivatives the Photon-Charge $\ \bar{\bf q}$ $_{Photon}$ in Material Point cave ${\bf r}$, Gravity Constant ${\bf g}$, and Planck constant ${\bf L}_{\bf P}$, with a Rigorous Geometrical and Mechanical logic . It was shown [33-39] that from < The Balancing of Space , Anti-Space in a Rotating Sub-Space Common circle > Un-clashed Fragments through center , O , consist the Medium-Field Material-Fragment \rightarrow [\pm s²] = [MFMF] \equiv The Chaos , as base for all motions , and Gravity as force [$\bar{\nabla}$ i] , while the clashed with the constant velocity , $\bar{\bf c}$, consist the Dark matter [\pm . $\bar{\bf c}$.s²] and the Dark energy [$\bar{\bf c}$. $\bar{\nabla}$ i] , Declaring that \rightarrow Antimatter-Galaxies and Antimatter-Asteroids can exist only as Dark-matter or and Dark-Energy and NOT as Antimatter light , (- ${\bf c}$) , alone , or from \rightarrow velocity - Breakages , [\pm s² = \pm (wr)²] and [$\bar{\nabla}$ i = 2(wr)²] , where then become the Waves { On distance ds = |AA_E| is the Work embedded in monads and it is what is vibrated } and the Material-Points with their Vibrating equations of motion . Vibration is the motion in Waves and is transported as Electromagnetic-Radiation . For Photon-Material-Point exists the

Duality of an **Energy-Storage** $S \equiv \boxed{ [\bigoplus \leftarrow r \rightarrow \bigcirc] } + Motion M \equiv \boxed{\bar{v} - Vector}$ as [87].

4



From vibration in Material-Points become,

 \rightarrow Particles, with Inherent Vibration occupying distance $r = ds = |AA_F|$,

В Gravity-Field-Energy without Vibration, the only Stationary-Rotating Photon-Spinning-Material-points.

Dark-matter-Energy constituents as below,

A.. $[\pm \overline{v}.s^2] \rightarrow \text{Fermions}$, Quarks and Leptons, and $\rightarrow [\pm \overline{v}.\overline{v}] \rightarrow \text{Bosons}$,

B.. $[\pm s^2] \rightarrow [MFMF]$ Neutral Field \equiv The Equilibrium Energy - Chaos, with the *Negative-Energy* binder Field [∇i] \rightarrow The Gravity force G_f

C.. $[\pm \overline{c}.s^2] \rightarrow Dark-matter$, and the binder Gravity-force $[\overline{V}i]$, $[\overline{c}.\overline{V}i] \rightarrow$ The Expanding Dark Energy, Positive-Energy, which both are moving with light velocity, **c**, causing the Universe to grow.

From above in, A, and, C, case \rightarrow Energy as velocity, \overline{v} , and, \overline{c} , exists in the

, **Quantized** , *Discrete monads* , $\pm \bar{\mathbf{v}}.s^2$ and $\pm \bar{\mathbf{c}}.s^2$.

B, case is the Transportation of Energy, from Chaos to Stationary Material points. **Dark Energy** DE $\equiv [\bar{c}.\nabla i]$ (©) \rightarrow Acting, is Positive-Energy, on the Five Constituents \rightarrow

{ [
$$(\nabla i), (+s^2), (-s^2), (+cs^2), (-cs^2)$$
] } Produces

 $[\pm s^2] \rightarrow MFMF$ Field $[\pm \bar{c}.s^2] \rightarrow DM$ -DE Field of, Dark matter and Anti-matter

 $[\pm \overline{v}.s^2] \rightarrow \text{Fermions} \quad [\nabla i] \rightarrow G_f \equiv \text{Gravity-Force in DM-DE} \quad \text{Stationary Field} .$

$$[\bar{v}.\nabla i] \rightarrow \text{Bosons}, \quad [\bar{c}.\nabla i] \equiv DE \rightarrow \text{Dark Energy} \quad \mathbf{c} \mathbf{x} (\mathbb{C}) [\nabla i]$$

 \rightarrow Gravity Force $DE \equiv [\overline{c}.\nabla i] = \overline{c} [\nabla i] = The Travelling-Energy-cave, c,$

with the velocity-vector., $\bar{\mathbf{c}}$,

In all above issue Kepler-laws, denoting that Macrocosm and Microcosm

Obey Newton's Laws of motion in all Scales, as this was in prior proofed. [56] In [68] is shown that Motion may be *Linear or Rotational* for any displacement, \mathbf{r} , so exists a

Constant -Work =
$$k$$
, during these motions of velocities, \bar{v} , and since Energy is vectors then $k = \bar{v}x\bar{v}$. $\bar{r} = v^2$. $r = (wr)^2$. $r = [\frac{2\pi r}{T}]^2$. $r = \frac{4\pi^2 r^2}{T^2}$. $r = \frac{4\pi^2 r^3}{T^2} = 4\pi^2 \frac{r^3}{T^2} = 4\pi^2 r^3$. i.e.

Above constant work k, is composed of the Two velocity vectors $\overline{\mathbf{v}}$ which are, One for the Space-motion-monad ,r, and one for the Energy-motion-monad $4\pi^2 r^2 \mathbf{f^2}_{\mathbf{p}} \equiv [2\pi f.r]^2 \equiv [wr]^2 \equiv \mathbf{v}^2$.

For Photon during Motion in [MFMF] = Chaos, collides with other Photons by means of Cross - Product and Produces a constant Work which is stored into the Only-Four <u>Energy - Geometrical - Shapes</u>, of the motion which shapes are the Conic – sections. The Interior motion is kept in its Wavelength-Tank $2r = n\lambda$, as well as the Outer-Linear motion as an Propagating Electromagnetic-Wave, which carries the Energy-conveyer,

i.e. The stored energy in the loop is $\rightarrow W_1 = v^2 \left[\frac{h}{2\pi} \right] = 4\pi^2 \cdot r^3 \cdot f_p^2 = k$, where as Wave is

Frequency $[\mathbf{f_1} = (E^2 + H^2) = n \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{2n \overline{B}}{\pi^2 r^4}]$ and **Particle** as velocity $[\overline{\mathbf{v}} = \overline{\mathbf{c}} = \lambda \frac{f}{\Phi}]$ and dependent on velocity ,v , and Planck's constant h , or on loop ,r , and as frequency $\mathbf{f_n}$, which is the Wave. It is proved that this minimum wave - constant $\rightarrow k = \pi g$.

For The Duality-Photon \rightarrow { $\bar{c} \cdot [\bar{f_n}] + \bar{c} \cdot f_n$ } \leftarrow is proved that ,

2.. Energy-Motion
$$\mathbf{M} \equiv \boxed{\overline{\mathbf{v}} - \text{Vector}} \equiv \mathbf{Wave} \left[\ \overline{\mathbf{v}} \ . \ \mathbf{f_n} \ \right] \equiv \left[\ \mathbf{f_1} = (E^2 + H^2) = n \frac{(1 + \sqrt{5})\sigma}{4\pi r} \rightarrow \frac{\overline{B}}{\pi^2 \, r^4} \right]$$
 and it is a Propagating Wave $\{W \equiv EM - R \equiv [\epsilon E^2 + \mu B^2] = 2.\lambda c.\sin.2\phi\}$.



B... THE TOTAL WORK DUE TO MOTIONS

It was shown in [58] that the maximum velocity in a closed system occurs in Common circle , when the two velocities , \overline{c} , \overline{v} are perpendicular between them , and Work is not produced. From them a dispersion follows Pythagoras theorem and the resultant Quantized linear Space length , \mathbf{r} , becomes , as the Resultant of Energy Vectors $\mathbf{r}=|(\overline{c}.T)|=\sqrt{v^2+c^2}$ and by using Geometry-Space Vector $\overline{\mathbf{r}}=|(\overline{c}.T)|=\sqrt{v^2+c^2}$ then The total Rotating energy $\overline{\Lambda}$ is \rightarrow \pm $\overline{\Lambda}=\overline{p}.\mathbf{r}=(M.c).\mathbf{r}=(M.c).\mathbf{r}=(M.c).\sqrt{v^2+c^2}$ and squaring both sites $[\pm$ $\overline{\Lambda}$ $]^2=p^2.r^2=M^2.c^2.(v^2+c^2)=(M^2.v^2).c^2+M^2.c^4=(p^2.c^2)+M^2.c^4=[pc]^2+[m_0.c^2]^2$ or is $\mathbf{E_T}=\mathbf{E_R}+\mathbf{E_K}$ i.e.

The Total - Energy of Elementary-particle ≡ Intrinsic Rotational + Kinetic Energy ,

1b... The Beyond Planck-Scale $r < L_p = 1,616199.10^{-35} \text{ m}$:

Preliminaries:

In [23] was shown that, Any Distance AB between Two-Points is Quantized as ds = |AB|/n

Continuous as Points (.) Discrete as monads ($r \equiv ds = 1 \rightarrow n$)

Work done (W) by Impulse (P) on a Virtual displacement (ds > 0) is zero, or $W = \int A - B = [P.ds] = 0 \rightarrow [ds.(P_A + P_B) = 0] \rightarrow P_A \equiv Points in Space [S]$ and $P_B \equiv Anti-Space [AS]$ or [ds.(PA + PB) = 0], Therefore, Each Unit AB = ds = r > 0 exists, by this Inner Impulse (P) and so $P_A + P_B = 0$ i.e. The Position and Dimension of all Points which are connected across the Universe and

that of Spaces exists, because of this Static Inner Impulse, on the contrary should be one Point only (Primary Point A = Black Hole \rightarrow ds = 0 and P = ∞). [70] It was shown that in PNS, $v = \infty$, T = 0, meaning that velocity is infinite and Time is not existing and thus any length |AB| in [PNS] is constant, because $AB = ds = Constant = v \cdot 0$ $= \infty$. 0. Straight line AB is discontinuous (discrete) with dimensional Units ds = AB / n where $n = 1 \rightarrow \infty$, and continuous with points [ds = 0], (This is the Dual Nature of lines in, geometry, as discrete and continuous). From definition work $W = Force \times D =$ Displacement \equiv Momentum [mv] x Distance [r] \equiv mv. r or W \equiv mv. r , exists Work where $1... \rightarrow r$ Becomes from Material-Geometry where the Quantization of Space for the Rotated Energy case (s = 0 and cos φ = 0), In-Primary-Quaternion $[s + \overline{v} \nabla i]^{1/w} = e^{-i.(\pi/2 + 2k\pi).w}$ { for angle $\varphi = \pi/2$, dimension power w=b=10 and k=0} exists the **minimum-Energy-Cave** r. For base e = 2,71828 and base b = 10 then $e^{-1}(16,1181) = 1 \cdot 10^{-7}$ or $c = 1,07.10^{-7}$ m $r_{min} = 1,\!07.10^{-7} \, \text{m} \rightarrow \quad \text{i.e.} \ \, r_{min} \equiv \text{The minimum Energy-Space-Cave} \equiv Space-Quantum \; .$ Placing the \rightarrow $\mathbf{r_{min}}$ in the Dynamic-Space-Energy relation, g.r 3 . $\mathbf{f^2}_p = 1$, when g = 1, then, $\mathbf{f^2}_p = \frac{1}{r^3} = 8,0647139.10^{20} \,\text{m}$, or $\mathbf{f_{min}}$ =2,839844.10¹⁰ \mathbf{H} , is the minimum Energy in Cave, 2... → $f = f_{min} = 2,839844.10^{10} H \equiv$ The minimum Energy in Cave \equiv The-Energy-Quantum From wavelength-relation $n \lambda = 2r = n v/f$, exists $v = \lambda f$ or $\rightarrow \bar{v} = \bar{c} = \lambda f$. and since

Photon Particle, Photon Wave OR The Duality Photon ???

 $v = w \ r = [2\pi/T].r = 2\pi.f_1.r$, wavelength $\lambda = c \ T = c/f_1$, and from cave $r = n.[\lambda/2] = n.(c/2f_1)$ then $v = 2\pi.f_1[n \ c/2f_1] = n.\pi.c$, or $v = n.\pi.c$. i.e. \rightarrow The Quantum of velocity is constant c.



From Constant-Energy Orbit-relation $\mathbf{k} = [\bar{\mathbf{v}} \mathbf{x} \bar{\mathbf{v}}] . \bar{\mathbf{r}} = \mathbf{v}^2 \mathbf{r} = (\mathbf{w} \mathbf{r})^2 . \mathbf{r} = [\frac{2\pi}{T} \mathbf{r}]^2 . \mathbf{r} = \frac{4\pi^2 \mathbf{r}^2}{T^2} \mathbf{r} = \frac{4\pi^2 \mathbf{r}^3}{T^2} = 4\pi^2 \mathbf{r}^3 \mathbf{f}^2_{\min} = [2\pi \mathbf{f}.\mathbf{r}]^2 . \mathbf{r} = [\mathbf{n}.\pi.\mathbf{c}]^2 . \mathbf{r} = \mathbf{Kepler Universal Laws for } macrocosm \ and \ microcosm \ .$

Frequency \to f_{min} , becomes from velocity relation $v = w \ r = 2\pi f$. r, as $f_{min} = \frac{v}{2\pi r_{min}}$ or $f_{min} = \frac{v}{2\pi r_{min}} = \frac{n.c}{2.r_{min}} = \frac{2.99810^8}{21,07.10^{-7}} = 1,4009345.10^{14} \ H$

From momentum relation $B=m\ r\ v=m\ r^2\ w=m\ r^2\ (2\pi f)=\frac{J.w}{2}=[\frac{\pi r^4}{4}].[2\pi f]$, then the Mass of the elementary particles is $\mathbf{m}=\frac{\pi.r^2}{4}=\frac{\pi.(1,07.10^{-7})^2}{4}=8,992023.10^{-15}\ \text{Kg}$ or ,

 $3... \rightarrow m = m_{min} = 8,992023. \ 10^{-15} \ \text{Kg}$. while from relation $B = r \ m \ v = \frac{\pi^2 r^4}{2} f$, then

 $Planck \; mass \; \boldsymbol{m} = \frac{\pi^2 r^4 f}{2 r v} = \frac{\pi^2 r^3 f}{2 c} = \frac{\pi^2 (\textbf{1,07.10}^{-7})^3.1,4009345.10^{14}}{2.2,99810^8} = 2,8248572.10^{-15} \; \; Kg = m_{min}/\pi$

Quantization, for k = 1, is the Planck-minimum-Energy-Scale Decimal-Cave $L_{min} = L_{p}$

$$\boldsymbol{L_p} = e^{i.\left(\frac{\pi}{2} + 2k\pi\right).b} \ = \ e^{i.\left(-5\frac{\pi}{2}\right).10} \ = \ e^{-.(78,5398)} = \boldsymbol{8,906}.10^{-35} \ m = \{\ \sqrt{3}.\pi.\ \boldsymbol{1,616199}.10^{-35} \ m \}$$

From [70] the velocity of Elementary particles is the light velocity-vector . $\overline{c}=\overline{v}=2\pi r$. f_e and the frequency $f_e=\frac{\overline{c}}{2\pi r}$(1) . The Balancing of , Space and Anti-Space in a Rotating Sub-Space Common circle happens from the [\pm] equilibrium- Rotational-Energy as relation \overline{B} $\overline{w}=L=\frac{1}{2}$ $J_1w_1^2+\frac{1}{2}$ $J_2w_2^2+\frac{1}{2}$ $J_3w_3^2$, or A-momentum $\overline{B}=\frac{J.w}{2}=\frac{\pi r^4}{4}$ [$2\pi f$] $=\frac{\pi^2 r^4}{2}$ [f]...(2) Frequency $\mathbf{f}=2\mathbf{B}$ $\frac{1}{\pi^2.r^4}=\frac{2B}{\pi^2.r^4}=\frac{[1+\sqrt{5}].\sigma}{4\pi r}=\frac{\bar{c}}{2\pi r}=\frac{\Phi.\sigma}{2\pi r}$, or $2\bar{c}=[1+\sqrt{5}]\sigma$...(3) .A-momentum $\overline{B}=\frac{[1+\sqrt{5}].\sigma.\pi.r^3}{4}=\frac{\pi r^3\Phi.\sigma}{2}$...(4) , where $\mathbf{Unit\text{-energy-constant}}$ is $\frac{T^2}{a^3}=k=[\frac{4\pi^2}{G.m}]$, or $ka^3f^2=1$ The Rotational energy is $\rightarrow E_R=\overline{B}$. $\overline{w}=2L=J.w^2=J\frac{c^2}{r^2}=[\frac{\pi r^4}{2}]\frac{c^2}{r^2}=\frac{\pi c^2}{2}$ $r^2=\frac{\pi c^2}{2}$ r

However from $J_1 w_1^2 + J_2 w_2^2 + J_3 w_3^2 = 2L$ then, $w_1^2 + w_2^2 + w_3^2 = \frac{2L}{L} = \frac{4L}{\pi r^4} = B$ w = $2\pi f.B$

cave $r = 10^{-62}$ m, then Material-Points mass $\to m = \frac{\pi.10^{-124}}{2} = 1,570796.10^{-124}$ kg.

Angular-velocity-momentum-Ellipsoid $L = \frac{B_1^2}{2\,J_1} + \frac{B_2^2}{2\,J_2} + \frac{B_3^2}{2\,J_3}$, where B_1 , B_2 , B_3 are the components of the Angular-momentum-vector along the Principal axes , and J_1 , J_2 , J_3 are the Principal moments of Inertia . Issues also $B^2 = 2LJ = 2L\frac{\pi r^4}{2} = \pi L.r^4$ and $\pi L = B^2.r^4$.

2b.. In Planck's Scale, length $r = L_p = 1,616199.10^{-35}$ m velocity v = c:

Mass is the Reaction to any change of motion or change, and is measured by Kg.



From velocity relation $\mathbf{c} = \mathbf{w} \ \mathbf{r} = 2\pi \mathbf{r} \ \mathbf{f}$, frequency $\mathbf{f} = \frac{\mathbf{c}}{2\pi \mathbf{r}} = \frac{2,998 \ 10^8}{2\pi .1.616199.10^{-35}} = 2,95236210^{42} \mathrm{H}$ and Period $T = \frac{2\pi r}{c} = 3$, 3871185. 10^{-43} s. From Angular momentum $\overline{B} = r$ m $v = \frac{\pi^2 r^4}{1}$ f then mass $\ \, \boldsymbol{m} = \frac{\pi^2 r^4 f}{r v} = \frac{\pi^2 r^4 f}{2 \pi r^2 f} = \frac{\pi. r^2}{2} = \frac{\pi. (1,616199.10^{-35})^2}{2} = 4,1030756.10^{-70} \ \, \text{Kg} \quad \text{,} \ \,$ Stress $\boldsymbol{\sigma}$ from above equation $\mathbf{f}_{\mathbf{p}} = \frac{n\sigma.\Phi}{2\pi r}$ is $\boldsymbol{\sigma} = \frac{2\pi rf}{(n)\Phi} = \frac{2\pi rf}{1.\Phi} = \frac{2\pi.1,616199.10^{-35}.2,95236210^{42}}{1,6180339} = 1,846462. \ 10^8 \ \text{t/m2} = 1,846462. \ 10^{11} \ \text{Kg/m2}$, and Angular velocity $|\mathbf{w}| = \frac{\boldsymbol{\sigma}}{2r} \left[\ 1 + \sqrt{5} \ \right] = 1,846462.10^{11}$ $(\frac{1,846462.10^{11}}{2.1,616199.10^{-35}})$. $1,6180339 = 1.5007013.10^{46}$, or $|\mathbf{w}| = 1,5.10^{46}$ rad/sec, and the constant figure of Energy is that of Stress $\sigma = 1,846462.~10^{11}~\text{Kg/m2} = 1,846462.10^{11}~\text{Joule}$. Velocities in caves become from equation $\mathbf{v^2} = \frac{2}{m} \left[\mathbf{E} - \left\{ \frac{\mathbf{k}}{\mathbf{r}} + \frac{\mathbf{L^2}}{2m \, r^2} \right\} \right] = \left[4\pi^2.\mathbf{k} \right]. \left[\frac{1+e}{r} \right]$ where constant, $\mathbf{k} = \mathbf{a^3 f_p}^2$, **Is the Energy** executed by the radius, $\mathbf{r} = \text{Focus-Planet}$, in a second, and which is **The Quantum of Energy in Cave-Orbit**. From $E_T = E_K + E_R$, then the Total energy in cave is $E = \frac{mv^2}{2} + \{\frac{k}{r} + \frac{L^2}{2mr^2}\}$ where L = S = the Spin of Particles. From Mechanics In the One degree of freedom Vibration of a mass, \mathbf{m} , and Stiffness, \mathbf{k} , in a distance, **a**, is for, $w^2 = [k/m]$ from equation, $m \ddot{x} + w^2 x = 0$, with solution \rightarrow the Period $T = 2\pi \cdot \sqrt[2]{\frac{m}{k}}$, frequency $f_H = \frac{1}{2\pi} \sqrt[2]{\frac{k}{m}}$, and Energy E = h f_H , where, h = Planck's constant, and from Orbit-equation $\overline{\mathbf{v}} = \sqrt{\frac{2}{m} \left[\mathbf{E} - \left\{ \frac{\mathbf{k}}{\mathbf{r}} + \frac{\mathbf{S}^2}{2m \, \mathbf{r}^2} \right\} \right]}$ and for $\mathbf{v} = \mathbf{c}$ then , $\mathbf{E} = \frac{mc^2}{2} + \frac{\mathbf{k}}{\mathbf{r}} + \frac{\mathbf{L}^2}{2m \, \mathbf{r}^2} = \mathbf{h} \, \mathbf{f}_{\mathrm{R}}$ From Hydrogen Orbit-motion, $r = \sqrt[3]{\frac{1}{k \cdot f^2}}$, or $\mathbf{k} \cdot f^2 \cdot r^3 = 1$ and Constant-Unit-Energy $\mathbf{k} = \frac{1}{f^2 \cdot r^3}$ which Energy k, is the, Quantum of Energy, in the first Planck-length-cave. For **Black-Holes**, the Total-Energy $L = \overline{B} \overline{w} = \frac{J.w}{2} w = \frac{\pi r^4}{2} [2\pi f]^2 = 2\pi^3 r^4 f^2 = r mv = r m .wr$ and mass $\mathbf{m} = \frac{2\pi^3 \mathbf{r}^4, \mathbf{f}^2}{\mathbf{r}^2 2\pi \mathbf{f}} = \frac{\pi^2 \mathbf{r}^2}{\mathbf{1}} \mathbf{f} = [\frac{\pi \mathbf{r} \cdot \mathbf{v}}{2}] \mathbf{v}$, while **Angular-Momentum B** = r.mv= r $[\frac{\pi \mathbf{r} \mathbf{v}}{2}] \mathbf{v} = \frac{\pi \mathbf{r}^2}{2} \mathbf{v}^2$ $=\frac{\pi r^2}{2}v^2=\frac{\pi r^3}{2}$ [n. π .c] $^2=\frac{\pi^3 r^3}{2}$ c², or Black-Hole-Energy \to B_E = 2. π^5 .r³.f $^2=(\pi r)^3$.w² \leftarrow i.e. Velocity in Black-Holes is Related to Cave, r³, and Energy w² times of light velocity. C... THE ENERGY CAVES , AND E - GEOMETRY :

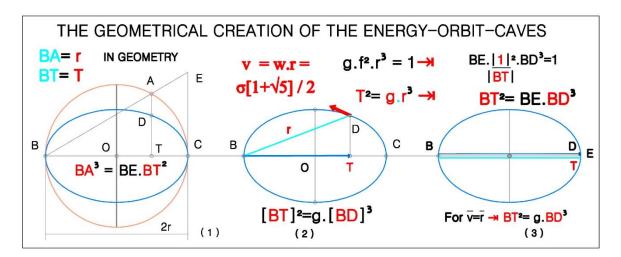


Figure – 1 -: The Periodic motion in Caves follows Material-Geometry rules.



```
In (1). Is shown the Geometrical Expose of , Dynamic-Space-Energy relation g \cdot r^3 \cdot f_p^2 = 1
In (2). Is shown the Mechanical Impress of the , Orbit-Space-Energy relation g \cdot r^3 \cdot f_p^2 = 1
In (3). Is shown the Extreme Design of the , Dynamic-Space-Energy relation g \cdot r^3 \cdot f_p^2 = 1
To Proof :
```

The Right-angled-Triangle ABC at $A = 90^{\circ}$, lies on [O,OC=OA] circle and CE is the tangent at C . Since angle BAC = 90° of triangle CAE , then angle < CAE = 90° . Since BA \perp AC and AT \perp BC then , the **Power of Point B on ACT triangle** is BA² = BT.BC Since BC \perp EC then , the **Power of Point B on ACE triangle** is BC² = BA.BE(2) Squaring the first relation and substituting (2) then [BA²] 2 = BT². (BC² = BA.BE) and BA⁴ = BT². BA.BE , or \rightarrow BA³ = BT². BE or \rightarrow $|\frac{1}{BE}|$.BA³. $|\frac{1}{BT}|^{2}$ = 1 o.s. δ (3)

- 1.. Physics follow the Geometry-Rules in all levels, either in microcosm or in macrocosm.
- 2.. Constants in Physics, are defined as Geometry-Linear-monads, or the opposite.
- 3.. The Physical dimensions are defined in two Perpendicular-Lines as the Surfaces are .
- 4.. Linear -Vibrations [$\ddot{x} + w^2 x = 0$] of **Two-masses** In Orbit-Caves, **Occur on the Line Vectors** or on Straight-lines in the x, y Plane as Centripetal forces.
- 5.. Linear-Vibrations [$\ddot{x} + w^2 x = 0$] of Three-masses, Occur on Two-Line-Vectors Perpendicular each other, vibrating on Straight-line, $\ddot{y} + w^2 y = 0$, of $\mathbf{x} \perp \mathbf{y}$ Plane and follow the Lissajous Shapes, [83], where for,
 - **a..** Difference of Phase $d_{\varphi} = 90^{\circ}$ emission is \rightarrow The Eight-Shapes \odot .
 - **b..** Difference of Phase $d_{\phi} = 0^{\circ}$ emission is \rightarrow The Ellipse-Shapes \propto .
 - c.. Difference of Phase $d_{\phi}=45^{o}$ emission is \rightarrow The Double-Saddle-Shapes . 8 , GO .
- 6.. For Planck length [73] P-49, was shown that **the Rotated Energy case**, when $\mathbf{s}=0$ and $\cos \phi = 0$, exists for angle $\phi = \pi/2$ and Quaternion $\left(\mathbf{s} + \overline{\mathbf{v}} \, \nabla i \,\right)^{1/\mathbf{w}} = \mathbf{e}^{-i.(\pi/2 + 2k\pi).\mathbf{w}}...(1)$ the dimension power $\rightarrow \mathbf{w} = \mathbf{b} \leftarrow \text{and for } \mathbf{k} = \mathbf{1}$ then (1) becomes , [84]-P.74 $\mathbf{e}^{-i.(\pi/2 + 2k\pi).\mathbf{w}} = \mathbf{e}^{-i.(\pi/2 + 2k\pi).\mathbf{b}} = \mathbf{e}^{-i.(5\pi/2).\mathbf{b}} = \mathbf{e}^{-i.(5\pi/2).10} \qquad(2)$

Equation (2) fits, as minimum cave, in the Planck length and is $L_p = e^{-i.(5\pi/2).10}$ (3)

Equation (3) is the smallest *Energy-Unit of Space*, and this because of s = 0 and k = 1.

It was shown [31] that Space and Energy is quantized and measured on the two Constant and Natural numbers e, π , where for base the natural logarithm, e, and exponent the decimal base, b=10. From $\to \mathbf{z}^{1/\mathbf{w}}=(s+\bar{\mathbf{v}}\ \nabla i)^{1/\mathbf{w}}=|zo|^{-\mathbf{w}}.[\cos.(\phi+k\pi)/w+i.\sin.(\phi+k\pi)/w]=|zo|^{-\mathbf{w}}.e^{-i.(\phi+k\pi).\mathbf{w}}$ for $\cos.(\phi+k\pi)/w=0$ then exists only the **Imaginary part** of monad

 $(\ \overline{\boldsymbol{v}}\ \nabla i \) \neq \boldsymbol{0}\ , \ \text{where}\ \varphi = \pi\ /2 \quad \text{and then}\ , \ \boldsymbol{z}^{_1/^{\boldsymbol{w}}} \ = |zo|^{^{-\boldsymbol{w}}}. \ \ e^{\ i.(\phi + k\pi)/w} \ = \ e^{-i.\left(\frac{\pi}{2} + k\pi\right).10} \ \ \text{which is}$

the *Diffraction Energy mechanism* for all Space Levels of quantization which are the **Energy Particles only** i.e. The Energy particles **in Stationary caves** are $\mathbf{z}^{\scriptscriptstyle 1/w} = |z_0|^{-w}$. Lv = E-Monad. Extending quantization of Energy according to exponential formula $\mathbf{L}_v = \mathbf{e}^{-i.(5\pi/2).10}$ then \mathbf{L}_v on the decimal base b=10 and for $k=\pm 0 \to \pm \infty$, are the Energy caves as ,

For base e = 2,71828 and base b = 10 then $e^{-1}(13,8155) = 1.10^{-6}$ m

For base e = 2,71828 and k = 0 Lv = e^{i} . ($\pm \pi/2$)b then e^{i} (-15,7079) = 1,78118.10 $^{-7}$ m

For base e = 2,71828 and base b = 10 then $e^{-1}(16,1181) = 1.10^{-1}$ or $\mathbf{r} = 1,07.10^{-1}$ m.



Placing **r**, in the Dynamic-Space-Energy relation when g =1 then $r^3 \cdot f_p^2 = 1$ and $f_p^2 = \frac{1}{r^3} = 8,0647139.10^{20}$ m and occurs the , **minimum frequency** $f_m = 2,839844.10^{10}$ H ...(4)

For Electron radius $r_e = 5.82.10^{-16}$ m, Weight of Electron $Q = m_e g = 9.11.10^{-31}.9,808 = 8.93.10^{-30}$ Kg, the Moment of Inertia-Disk $J_e = J_3 = \left[\pi \, a^4/2\right] = \pi/2 \left[5.8.10^{-16}\right]^4 = 1.777591.10^{-61}$ m⁴, Angular velocity $w_e = \frac{v}{r_N} = \frac{c}{1836} = \frac{3.10^8}{1836} = 1,633.10^5$ m/s because of

masses analogy and **Electron-Nutation-frequency** $\mathbf{f}_{N} = \frac{s \ Q}{2\pi J_{3}w} = \frac{5,82.10^{-16} \cdot 8,93.10^{-30}}{2\pi 1,777591.10^{-61} \cdot 1,633.10^{-5}} = \frac{s \ Q}{2\pi J_{3}w} = \frac{5,82.10^{-16} \cdot 8,93.10^{-30}}{2\pi J_{3}w} = \frac{5}{2\pi J_{3}w} = \frac{5$

$$\mathbf{f}_{N} = \mathbf{f}_{R}$$
 = 2,8398447.10¹⁰ s⁻¹(23)

The Quantum-Energy E=h $f_N=6,62606957.10^{-34}$. 2,839844. 10^{10} H/ 1,6022. 10^{-19} eV= = 1,17444789844. 10^{-4} eV , is a small Quantity of Quantum-Energy .

Since this minimum frequency $f_N = f_R = 2,8398447.10^{10} \text{ s}^{-1}$ exists in all Atoms , *due to the Hydrogen first cave*, is the **Resonance-frequency** between **Atoms and Molecules** in Cosmos.

- i.e. THE SPACE –{ $r_{min} = 1,07.10^{-7} \text{ m}$ } ENERGY { $f_m = 2,839844.10^{10} \text{ H}$ } IN QUANTIZED-CAVE { $g.r^3$. $f_R^2 = 1$ } OF SPACES {[$s + \overline{v} \nabla i]^{1/w} = e^{-i(\frac{\pi}{2} + 2k\pi).w} = e^{-i(\frac{5\pi}{2}).10}$ } , CONSISTS The min. QUANTUM-ENERGY \rightarrow E = 1,1745 eV.
- 7... For Energy-Cave equation $\to e^{-i.(5\pi/2).10}$ Formatters min-cave $\to r = 1,07.10^{-7}$ m which in turn by the **Unit-Energy** Orbit-Surface-U-Planck-relation , $g = 1 \approx g$, and from ,
- 8... Unit-Energy-Mould $\mathbf{g.r^3.}$ $\mathbf{f^2_R} = \mathbf{1}$ or $\mathbf{f^2_R} = \frac{1}{r^3}$ creates the minimum frequencies , *Energy* , $\mathbf{f_R} = 2,8398447.10^{10} \, \mathrm{H}$, between , $\mathbf{1,330265.10^{10}} \, \mathrm{H}$ and $\mathbf{4,1701097.10^{10}} \, \mathrm{H}$,in caves and the in Electron-Cave which is The Nutation-Unit-Frequency and becomes the minimum Quantum-Frequency again , in above \mathbf{r} , cave and which is following ,
- a... Frequency $f_N = f_R = g \left[\frac{s.m_e}{2\pi J_3 w} \right]$ which passes through atoms structure and **as Energy-Spring** in Magnetic-field , Strengthen and manifested , **as The Images in MRI** . This Property of Electron-Nutation is Probably very Interested in Medicine , MRI and in many other Media as Mobiles and Others , because of $\rightarrow \langle r_{min} | \cup \cup | f_m \rangle \leftrightarrow [f_N] \leftarrow$ It is proved in [86] that this Energy-Spring of Electron-Nutation creates the Energy-Bonds in Atoms so that these bond to Originate-Molecules .
- b... The Article, New Electromagnetic-Structure of Atom [90] contains,
 - 1. The Unit-Quantization of Planet-Focus line \mathbf{r} , sweeping \mathbf{r} .mv = \mathbf{k} = Constant-Area
 - 2. The Unit-Cave-Energy Quantization as Work is \rightarrow W = $4\pi^2$.r³.f²_p = 1
 - 3. The **Resonance** Unit-Cave-Frequency $\mathbf{f} = \sqrt[4]{\frac{1}{4\pi^2 \text{m.r}^3}}$ of Masses $\frac{1}{M_T} = \frac{1}{m_P} + \frac{1}{m_n} + \frac{1}{m_e}$
 - 4. Charges $\frac{1}{Q_T} = \frac{1}{q_P} + \frac{1}{q_e}$ from Lorentz force, F = qE + qvB, in Magnetic-Field $\overline{B}_F = \frac{2\pi . M}{Q_T} | f$
 - 5. The Resonance Energy $E = \frac{1}{a^3} \left[\frac{4\pi^2}{c^2} + \frac{S^2}{2m} \right]$ or $E = \frac{\pi}{g r^2} [g^2 r + 2. S^2.f^2]$ in cave $a = \sqrt[3]{1/g f^2}$
- c... Equations (f-8) which is extreme case, **Space-Energy**, for the *velocity in Hydrogen cave* or for Geometry and Mechanical interpretation either Separating each other or and Both. Energy-Constant \mathbf{k} (f-7) regulates motions in caves as the constants in integrations.
- d... For Hydrogen-Circular-radius $\mathbf{a}=\sqrt[3]{\frac{1}{g\cdot f^2}}=2,1145016.\ 10^{-11}\ \text{m}$,issues $E=hf_1=13,6\ eV/h$ and for e=0 then $\mathbf{v^2}=[4\pi^2.\mathbf{k}]\cdot \frac{1}{r}$, and constant $\mathbf{k}=\frac{r\cdot v^2}{4\pi^2}=\frac{a\cdot v^2}{4\pi^2}$. The Constant \mathbf{k} of



Electron-Nutation is measured as \rightarrow k = $\frac{2,1145016.10^{-11}(2,998.10^8)^2}{4\pi^2}$ = 4,81406.10⁴ m³/ s² c.. For any Material-Point occupying only Spin \equiv L , then $\frac{k}{r}$ [1+2 π^2 mk(1+e)] = 0 or 1+2 π^2 mk(1+e) = 0 and for *Electron* k = $-\frac{1}{2\pi^2$.m(1+e) = $-\frac{1}{(1+e)}$ [6,9999. 10²⁹] N and *Rotating-Energy* due to *Electron-Spin* is E = $\frac{s^2}{2m r^3}$ = $\frac{(5,691952.10^{-34})^2 \text{ Kg.s/m}}{2.7,2373149.10^{-32}(2,3762992.10^{-16})^3}$ = 16,68059 J which is a small amount of energy .

Rotating-Energy due to a **Black Hole-Spin** is E = $\frac{s^2}{2m r^3}$ = $\frac{(1,152.10^{66})^2}{2.1,6.10^{42}(2,4.10^{15})^2}$ = 2,604.10⁴³ J equal to the **Energy* of an **Electromagnetic gamma-ray-burst** \rightarrow i.e. energy-constant k , is the Regulator of Energy as equation , k = $\frac{r.v^2}{4\pi^2}$ = $\frac{(2,4.10^{15}).9.10^{16}}{4\pi^2}$ = 5,47.10³⁰ N .

1c... The Golden Ratio Pattern Φ .

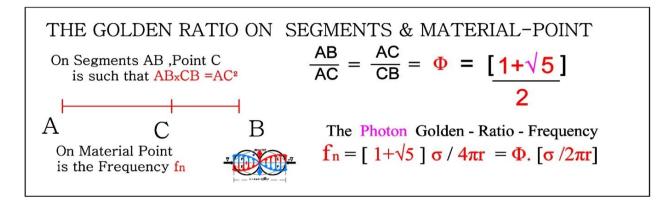


Figure – 2 -: The Physical explanation of The Golden-Ratio Φ in Universe :

In figure - 2, AB Sector is divided by point C such that $AC = \frac{AB}{2} [\sqrt{5+1}]$ (1)

According to the definition of Mean ratio exists AB / AC = AC / CB , or AC² = AB.CB = AB.[AB-AC] = AC² = - AC.(AB) + AB² \rightarrow AC² +AC (AB) - AB² = 0(2) Solving the second degree equation (2)

then $AC = \frac{AB}{2} [\sqrt{5+1}]$, i.e. Point C on AB sector, is such that issues (1).

The Physical meaning becomes from Mechanics where ,when a force P , acting on a surface S , of a differential volume ds 3 , then Principal stresses $\sigma 1, \sigma 2$, and Shear stresses τ_{12} are as equation $\sigma = \sqrt{(\sigma 1 - \sigma 2)^2 + 4 \tau_{12}}$, and

$$\sigma 1,2 = (\sigma 1 + \sigma 2)/2 \pm (\frac{1}{2})\sqrt{(\sigma 1 - \sigma 2)^2 + 4\tau_{yz}^2}, \text{ where } \rightarrow \tan\theta = 2.\tau_{12} / (\sigma 1 - \sigma 2)...(3)$$

When the surface becomes a Point [This is the Extreme case where surface is interchanged as line or line- segment, it is the same as the infinite small, ds, in Calculus], then $\sigma 2 = 0$ and τ_{12} is very small i.e.

It is a type of vanishing-Shear due to layers laterally shifted . Since force $\, {f P} \,$ is a vector then as in cross-product to a right–handled coordinate system , where exists $\, \sigma 2 = 0 \,$ and $\, \tau_{12} \, = \sigma 1 \,$, then equation (3) becomes ,

$$\rightarrow \quad \mathbf{\sigma}1,2 = \mathbf{\sigma}1/2 \pm (\frac{1}{2}).\sqrt{\mathbf{\sigma}1^2 + 4.\mathbf{\sigma}1^2} = \frac{\mathbf{\sigma}1}{2}.[1 \pm (\sqrt{5})] = \frac{\mathbf{\sigma}}{2}.[1 \pm (\sqrt{5})] \quad \dots \dots (4)$$

Equation (4) denotes the way that Stresses $\sigma 1,2$ are shaped on any Volume according to the Principal Stress σ , and which is the Golden-ratio $\Phi = \frac{\sigma}{2} \left[1 \pm (\sqrt{5}) \right]$ of Stress σ .



Since also *Stress* σ eternally exists in Material point and *is of the Golden-ratio-pattern* Φ , therefore microcosm and sequence all macrocosm follows, the Stress σ , Property Vector, of the \rightarrow Growing-Golden-ratio-pattern Φ as this is stated in,

- 1.. Stress with Golden ratio Property,
- 2.. Centripetal acceleration due to Stress,
- 3.. Gravity = Stress = Centrifugal acceleration,
- 4.. Gravitation constant G Stressing, g.

All above related vectors, of frequency f_n , occupying the **Growing - Golden-ratio** pattern Φ , give the analogous strength to enter caves, and incidentally in satiation Systems to follow the **Split-Property as this happened to Organic - Chemistry**.

The Φ Properties :

To show that $\Phi = 1 + \frac{1}{\Phi} = 1,6180339887$: Proof

It is holding \rightarrow $1+\frac{1}{\Phi}=1+\frac{1}{[1+\sqrt{5}]/2}=1+\frac{2}{[1+\sqrt{5}]}=\frac{2[\sqrt{5}-1]}{[\sqrt{5}+1].[\sqrt{5}-1)]}$ or,

$$1 + \frac{1}{\Phi} = 1 + \frac{2[\sqrt{5} - 1]}{4} = 1 + \frac{[\sqrt{5} - 1]}{2} = \frac{2 + \sqrt{5} - 1}{2} = \frac{[\sqrt{5} + 1]}{2} = \Phi , \text{ therefore }, \Phi = 1 + \frac{1}{\Phi} \dots (5)$$

Equation (5) is a very Interesting Property of the Golden - Ratio because is that, it can be **Defined in terms of itself**, i.e. of unit 1 equal to a new Φ which defines the Space, and of $\frac{1}{\Phi}$ defining the Opposite which is the Anti-Space,

and as continuous fraction is ,
$$\Phi = 1 + \left[\frac{1}{1 + \frac{1}{1 + \frac{1}{1 + \frac{1}{1}}}} \right] \dots (6)$$

Because number Φ , multiplied with its Reciprocal number $\frac{1}{\Phi}$, is process of Addition,

and equal to unit 1, so \rightarrow Space * Anti-Space \equiv Monad \leftarrow or $\Phi * \frac{1}{\Phi} \equiv 1$ because,

$$\rightarrow \Phi * \frac{1}{\Phi} = [1 + \frac{1}{\Phi}] \frac{1}{\Phi} = 1 \text{ or } \rightarrow \frac{1}{\Phi} + \frac{1}{\Phi^2} = 1 \text{ and } \Phi + 1 = \Phi^2 \text{ or } \Phi^2 = \Phi + 1 \dots (7)$$

Equation (7) is written $\Phi^2 - \Phi - 1 = 0$ and the roots of the second degree equation is

$$x=+\frac{\Phi}{2}\pm\frac{[\sqrt{(\Phi^2+4\Phi^2)}]}{2}=\frac{[\sqrt{5}+1]}{2}.\Phi=\Phi^*\Phi\quad \text{i.e. Golden-Ratio Property is continuously}$$

increasing by its self, a Self-Growing Property of frequency f_n of Material-point.

Equation (7) is also a very Special property of the Golden ratio because, *according to Euclid*, A straight line AB is said to have been cut in Extreme and Mean ratio when as the whole line is to the greater segment AB/AC, so is the greater to the lesser

AC / CB , and according to Markos , Since frequency in Material-point becomes from Equilibrium of \rightarrow The Two-Opposite-Rotational-Energies [\pm] \leftarrow as relation

$$\overline{B} \ \overline{w} \ = L = \frac{1}{2} \ J_1 {w_1}^2 + \frac{1}{2} \ J_2 {w_2}^2 + \frac{1}{2} \ J_3 {w_3}^2 \ , \quad \text{or Angular-momentum } B \equiv \pm \ Spin \ S \ \text{as} \ ,$$

$$\overline{B} = \frac{J.w}{2} = \frac{\pi r^4}{4} [2\pi f] = \frac{\pi^2 r^4}{2} [f] \equiv [\text{Constant*} f] \equiv \frac{2L}{\overline{w}} = \frac{2L}{2\pi f} = [\frac{L}{\pi}] . [\frac{1}{f}] = \frac{4r.L}{(1+\sqrt{5})\sigma} \quad , \textit{or}$$

$$\overline{\boldsymbol{B}} = \ \frac{4r.L}{(1+\sqrt{5}\) \ .\sigma} = \ \frac{2r.[\ L=hf\]}{(1+\sqrt{5}\) \ .\sigma} \ = \frac{hf}{2\pi f} = \left[\ \frac{h}{2\pi} \ \right] \ \equiv \ \boldsymbol{SPIN} \quad , \ where \ L=h \ f=Constant$$

and Frequency related to
$$\Phi$$
 is $\rightarrow \mathbf{f_n} = \left[\frac{2}{\pi^2 r^4}\right] . \overline{B} \equiv \left[\frac{1+\sqrt{5}}{2}\right] \frac{\sigma}{2\pi r} \equiv \left[\frac{\Phi \sigma}{2\pi r}\right] ...(7a) \rightarrow$

Occupies the Property of the Golden-Ratio-Pattern Φ , and equation (7-7a) defines that Material Point of frequency $\mathbf{f_n}$, when collide with another Material Point, or with



another Particle or particles then Produces another monad as $\to 1 \equiv New$ Quaternion and the first continuous to be of the same Identity, frequency $\mathbf{f_n}$, as before and from Euler's, rigid body dynamics work $W = 2L = \overline{B}$. $\overline{W} = J$. $W^2 \equiv h$. $\mathbf{f_n} \leftarrow i$.e.

The Frequency of Photon, embodied with the \rightarrow Growing-Golden-ratio-pattern Φ Uses the Vibrating Physical Structures, the Granular Material-Instruments, to Kick Start all of them and everything in this World. The How is in [86]

2c... The Forces, Stresses and Spin Orientation:

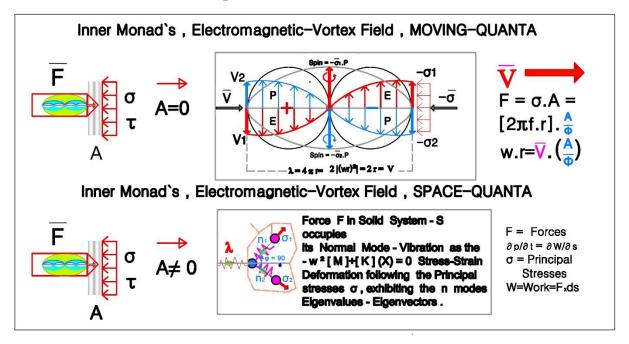


Figure -3-: The Energy-Space, Stress-Strain in wavelength $\lambda = 2\pi r$, of a moving Photon:

- 1.. For area A=0, the acting Force F which is an Energy-Space-cave, is manifested into the Transverse-Principal stresses, σ , τ , and then as an Moving-Storage (1)-(2) is transported as Velocity-Vector $\bar{\mathbf{v}}$. The force $F=\sigma.A\to\bar{\mathbf{p}}$ vector $=M.\bar{\mathbf{v}}=(m\,\lambda).\bar{\mathbf{v}}=[m\,c.T].\bar{\mathbf{v}}=[m\,c/f].\bar{\mathbf{v}}$, i.e. Force $F\to becomes\ a\ Velocity-Vector\ \bar{\mathbf{v}}$ or, a Force as Stress σ , enters in Space Φ as $[\sigma\Phi]$ and becomes frequency $\bar{\mathbf{f}}=\frac{\sigma.\Phi.r}{2\pi.r_n}$ and exists Force $F=\sigma.A=[\frac{2\pi rf}{\Phi}].A=w\ r.[\frac{A}{\Phi}]=\bar{\mathbf{v}}[\frac{A}{\Phi}]$, which Force F becomes a moving Storage.
- 2.. For area $\ A>0$, Force $\ F$ which is an Energy-Space-cave, resolves as Electromagnetic Radiation in the Principal stresses $\pm \ \sigma_1$, $\pm \ \sigma_2$, $\pm \ \sigma_3$, which is the Passage through which Forces travel in moving Solids. From the theory of Elasticity the equilibrium of a surface Configuration in an Isotropic material obey equilibrium equation $\mu.\nabla^2 u + (\lambda + \mu).\nabla.[\nabla.u] = 0$
- 3.. For area A < 0, because Force \mathbf{F} is an Energy-Space-cave which at first passes from the Zero area A = 0 and becomes velocity-vector $\overline{\mathbf{v}}$, this velocity-vector $\overline{\mathbf{v}}$ is entering any trough, Potential, and transformed to an Energy-Rim, as these are the Orbits of Electrons. Because Photon is one of the moving-energy-stores, when it enters a cave $\mathbf{L_S} < \mathbf{L_P}$, then the cave becomes an Discrete Energy-Packet which is the Rim $\mathbf{L_v}$.
- 4.. For area $0 = \langle A = \langle 0 \rangle$, The Extreme case, where surface is interchanged as line or as line-segment, and is the same as the infinite small, ds, in Calculus, where stresses $\sigma 2 = 0$ and τ_{12} are very small, it is the equation of stresses $\sigma 1, 2$, and from Cauchy $\sigma 1/2 = \pm (\frac{1}{2}) \cdot \sqrt{\sigma 1^2 + 4 \cdot \sigma 1^2} = \sigma_1 \cdot [1 \pm (\sqrt{5})]/2$, which is the Golden-ratio-Pattern



of the Material-Point as a Type of a vanishing-Shear due to layers laterally shifted .[26] This minimum quantized energy σ , was proved that is going out the Material point as acceleration and creates Stationary-gravity \mathbf{g} as f_n , acting on Spin as $\mathbf{S}_{PA}.r^4$.

The Proof

Centripetal Force $F_c = mv^2/r = 1.(wr)^2/r = w^2$. $r = \pm \sigma = (2\pi.f_1)^2$. $r = \sigma_1$. $[1\pm (\sqrt{5})]/2$ and $w^1 = f_n = \frac{[(1+\sqrt{5})\sigma]}{4\pi r}$. From Kinetic energy $= E = \frac{mv^2}{2} = \frac{1.w^2.r^2}{2} = h f$, then $w^2 = \frac{2E}{r^2}$ and $E = \frac{[(1+\sqrt{5})\sigma r]^2}{2}$, $f_n = \frac{[(1+\sqrt{5})\sigma]}{4\pi r}$ and $2.\overline{B} = \pi r^3 \Phi \sigma$, then force f_n orients Spin \overline{S} to \overline{B} as ,

$$\rightarrow \overline{g} = f_n \times \overline{B} = |f_n| \times |\overline{B}| \cdot \sin \theta = \frac{[(1+\sqrt{5})\sigma]}{4\pi r} \pi r^3 \Phi \sigma \cdot 1 = \frac{[\sigma^2 r^2 (1+\sqrt{5})\Phi]}{8} = \left[\frac{\sigma \cdot r \cdot \Phi}{2}\right]^2 \dots (g)$$

Equation (g) which is Gravity constant g, is the permeable Path for inner stress σ , to pass the Material's-point a surface $4\pi r^3/3$ and to expenditure its Energy. The same exists also to the Electromagnetic force which is associated with a fundamental Property of matter which is the *Electric-Charge* and which is a clue to the ubiquity of *Electromagnetism*. From equation of Gravitation $G = k_E g = g$. [$k_R g_R$] seems that the two constants are related i.e. act each other through Local-coefficients or through Field-lines, called the Medium or Permissible Path which is as $\sigma = \frac{F}{A} = \frac{2\pi rf}{\Phi} = \frac{w r}{\Phi} = \frac{v}{\Phi}$, velocity vector in a Unit-Space Φ . It was shown that the first Path is Gravity g and Original Field-lines of Force, G, are distorted by these Charges, Local-coefficients, the Layers following Newton's laws. The Original Field-lines terminate at the surface on one side of the Medium, and new field lines originate from the other side of it. It was shown that the Momentum vector, $\overline{\mathbf{B}}$, is equal to spin S, because it is following the Stationary - Wave - Nodes - Principle in the *Material-Point*, creates the minimum quantized Energy which is conserved in lobes. This Property is extended also to the Number of lobes as well as to, π , number as velocity $\{v = n.\pi.c\}$ which is the minimum Number relating Lines and Surfaces.

Analogous happens in equation (c) when v = c, and $\rightarrow r = c$. From Inner-velocity equation $v = w.r = (2\pi / T).r = 2\pi .f_1.r$, of fundamental frequency f_1 , of wavelength $\lambda = c.T = c / f_1$, and cave $r = n.[\lambda/2]$, then $r = n.(c/2f_1)$ and $v = 2\pi.f_1$. $[n.c/2f_1] = n.\pi.c$ or $v = n.\pi.c$

Equation (π) shows that velocities in lobes are, $\mathbf{n}.\pi$ times that of light, following, π , number in circle, i.e. in Material-points exist velocities multi-times that of light and the minimum Surface-constant, Unit π , or the Growth of the velocity-vectors occurs in lobes by following the logarithm laws of Energy-constant c which is acting on Space constant π . From velocity, $v = n.\pi.c$, is seen that *light-velocity* is the Quantum of Unit-velocity in

Planck's length .The Why velocity \mathbf{c} and $\boldsymbol{\pi}$, is such in [42-51-63] and now later. **Kepler's Laws** → Explain How the Planets move around the Sun But NOT the WHY.

Newton's Laws \rightarrow Explain the WHY by filling this Gap by a Force F = G.m₁.m₂/ r². acting instantly between the bodies that are moving around each other But NOT their Nature and NOT the HOW Force is Acting.

Markos-Spaces → Explain the WHY by filling the Gap with a **Double-Ocean** of the Pointy-Spinning- Material-Points, becoming from the Stationary- Material-Points, Photons or Electrons, and from the moving-Energy-Storages, the Photons, which Orientate and Re-orientate the Stationary-Spins, and explain the HOW and the WHY all motions follow the **ubiquity** of the **Electromagnetism**, starting from the Primary-Material-Points, *Photons*, which through the Golden-Ratio-frequency-Growth effect and conserve the Whole of the Natural-World from microcosm to macrocosm.

THE PHOTONS **D**..



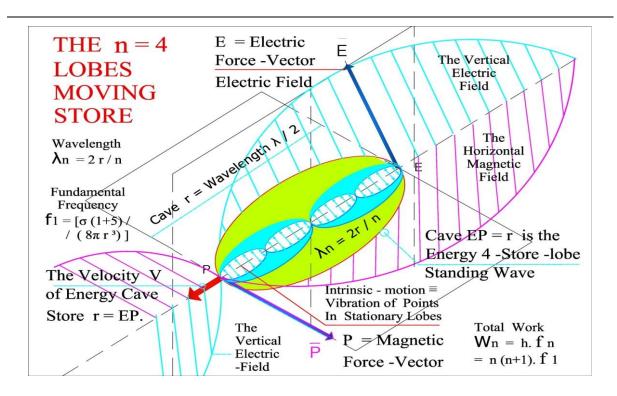


Figure - 4 -: The Propagation of Photon-Electromagnetic-Field-Storage EP:

In figure $r = \lambda/2 = EP$ is the *Energy-Storage-monad* $[S \equiv EM-R \equiv f_{1=N}, f_2, f_3, f_D, f_n = w^2]$ Propagating with $\bar{\mathbf{v}} = \lambda_n.f_n = \bar{\mathbf{c}}.[\frac{\sigma}{2\pi r} + \frac{\sigma\Phi}{2\pi r}] = \frac{\bar{\mathbf{c}}.\sigma}{2\pi r} + \frac{\bar{\mathbf{c}}.\sigma\Phi}{2\pi r} = \{\bar{\mathbf{c}}.[\frac{\bar{\mathbf{f}}_n}{\bar{\mathbf{f}}_n}] + \bar{\mathbf{c}}.f_n\}$, where for frequency $f_p = \frac{\bar{\mathbf{c}}.\sigma}{2\pi r} = \frac{\sigma^2\Phi}{2\pi r} = f.\Phi = \frac{2n.\bar{B}}{\pi^2 r^4} = \frac{\sigma\Phi^2}{2\pi r}$, as Particle, where velocity $\bar{\mathbf{v}} = w.r$, follows the *Breakage-Principle* which is Quaternion $\bar{\mathbf{z}} = [s + \bar{\mathbf{v}} \ \nabla i \ or \rightarrow s^2 - |\bar{\mathbf{s}}|^2 + 2|s|^2.\nabla i \leftarrow \bar{\mathbf{s}}$

$$\left[\epsilon E^2 + \mu B^2\right] \quad \equiv \text{The Energy-monad , EP , and as a Wave as ,} \qquad f_p = \frac{\bar{c} . \sigma \Phi}{2\pi r} = \frac{\sigma \Phi^3}{2\pi r}$$

Matter (+) \equiv Magnetic-field \rightarrow [μ B²] \equiv The Storage-Basket **Antimatter** (-) \equiv Electric-field \rightarrow [ϵ E²] \equiv The Moving-Basket

Energy ($+\leftrightarrow$ -) \equiv Motion in **n** lobes \rightarrow as $\left[\frac{\partial E}{\partial t}, \frac{\partial H}{\partial t}\right]$ i.e.

The Stationary-Cave-lobes , consist the Particle-Photon as the Inside motion , in the cave $r=n~[~\lambda/2~]~Energy-Storage~,~and~[~E^2+H^2~]=2.(2r).c.sin~2[\phi\equiv\frac{\overline{B}}{\Phi}]~,~the~Wave-Photon~.~Energy-Storage-monads~are~consisted~of~the~above~Three-constituents~all-together~,$

Or each-one of them . The Work ratio is \rightarrow W $_n$ / W $_1$ = f $_n$ / f $_1$ = n (n+1) .[v $_n$ / v $_1$] =

$$\begin{array}{ll} n\;(\;n+1)\;\frac{\lambda_{n}f_{n}}{\lambda_{1}f_{1}}=n\;(\;n+1)\;\frac{n.\lambda_{n}f_{1}}{2r.f_{1}}=n^{2}(n+1)\;\frac{\lambda_{n}}{2r}=n\;(\;n+1) \\ \text{for} & \;\;\lambda_{n}=2r\;\text{, then }\;\;v_{n}\;=\;v_{1}\;\text{, and then }\;\;\boldsymbol{n}\;\boldsymbol{.}\;\;\boldsymbol{\lambda_{n}}\;=\;\boldsymbol{2.r} \end{array} \qquad \text{or}$$

The Work , W , Produced from the Wave-Energy-Pattern , with wavelengths λ_n , and Created from all Points of the Periodic Oscillation in any Cave , r , is Stored into the , n , Integer and Energy - Lobes of this cave r , where $E^2+H^2=B^2$. Photon $\to \{\bar{c} \cdot | \overline{f_n} | + \bar{c} \cdot f_n \}$

From Mechanics , the *Only - Possible motions* are , *the* Periodic-Excitation , and *the* Revolving-Motion therefore all *Moving-Energy- Stores travel* as *a Wave and* Not as a *Particle*. The **n** , Energy-Tanks , the N Antinodes in its moving Store $2\lambda = r = h/p$ $\equiv [f_1, f_2, f_n = w^2 \equiv \mathbf{n} \ lobes]$ follows the *Stationary-Wave-Nodes-Principle*, i.e.



The Glue-Bond-Stress Rotation of opposites on Small - circles creates, n, Integer number of lobes, which is the Wave-Nodes-Principle of the moving-energy-stores, one of which is The {n} Energy - Storages of The Moving – Monads . Figure -4the Photon.

In Electromagnetic field, EM-field, Magnetic-field is the Store in which Energy ≡ motion is Stored, and Electric-field is the Force, The Energy, which Pushes the

[Energy-Store- Basket = The Magnetic-field], executing the Helicoid motion.

In Store , r , Wavelength $\lambda_n = \frac{2 \text{ r}}{n}$, Fundamental-frequency $f_1 = \left[\frac{\sigma(1+\sqrt{5})}{4\pi r}\right]$, and Work = h.f ₁

The Energy-Storage length E-P = $\lambda/2$, is composed of 4 Lobes with wavelength $\lambda_4 = \frac{2 \text{ r}}{4}$,

$$f_4 = \frac{4 \text{ v}}{2 \text{ r}} = 4 f_0$$
, and $W_4 = \frac{h}{2 \text{ r}} V_4$, and for \rightarrow Loop-Total-Work, $W = \left[\frac{4 \pi r^2 f_1}{3}\right]$.n.(n+1)

or
$$W = \frac{80.\pi r^2 f_1}{3}$$
, and from Photon $\rightarrow \{\bar{\mathbf{c}} \cdot \boxed{\bar{\mathbf{f}}_n} + \bar{\mathbf{c}} \cdot \mathbf{f}_n\} \leftarrow v_4 = \lambda_4.f_4 = 4.\lambda_4.f_o$, therefore for,

$$n = 1 \rightarrow f_1 = 1.\left[\frac{\sigma(1+\sqrt{5})}{4\pi r}\right]$$
, Wavelength $\lambda_1 = \frac{2r}{1}$, Energy $W_1 = \left[\frac{4\pi r^2}{3}\right]$. $f_1 = 1.\frac{(1+\sqrt{5})\sigma r}{3}$

$$n = 2 \rightarrow f_2 = 2.\left[\frac{\sigma(1+\sqrt{5})}{4\pi r}\right]$$
, Wavelength $\lambda_2 = \frac{2 r}{2}$, Energy $W_2 = \left[\frac{4\pi r^2}{3}\right]$. $f_2 = 2.\frac{(1+\sqrt{5})\sigma r}{3}$

$$\begin{array}{l} n = 3 \rightarrow \ f_{3} = 3. [\frac{\sigma(1+\sqrt{5})}{4\pi r}] \ \text{,Wavelength} \ \lambda_{3} = \frac{2\ r}{3} \ \text{, Energy} \ W_{3} = [\frac{4\pi r^{2}}{3}].f_{3} = 3. \frac{(1+\sqrt{5})\sigma\ r}{3} \\ n = 4 \rightarrow \ f_{4} = 4. [\frac{\sigma(1+\sqrt{5})}{4\pi r}] \ \text{,Wavelength} \ \lambda_{4} = \frac{2\ r}{4} \ \text{, Energy} \ W_{4} = [\frac{4\pi r^{2}}{3}].f_{4} = 4. \frac{(1+\sqrt{5})\sigma\ r}{3} \\ \end{array}$$

$$n = 4 \rightarrow f_4 = 4.\left[\frac{\sigma(1+\sqrt{5})}{4\pi r}\right]$$
, Wavelength $\lambda_4 = \frac{2 r}{4}$, Energy $W_4 = \left[\frac{4\pi r^2}{3}\right]$. $f_4 = 4$. $\frac{(1+\sqrt{5})\sigma(1+\sqrt{5})}{3}$

i.e. In store, \mathbf{r} , can exist \mathbf{n} , frequencies as $f_n = n$. f_o , \mathbf{n} , times the fundamental frequency. Electromagnetic waves are created by the vibration of an Electric-charge. In Material – Point, The eternal rotation of the \oplus constituent around the \ominus constituent creates the , **n** Energy-lobes

in a Tank $\ r=n \ \frac{\lambda}{2} \ \ \text{or} \ \lambda = \ \frac{2r}{n}$, since the velocity of the wave is $\ \overline{\boldsymbol{v}} = \lambda/T = \lambda \ x \ f$. The

frequency is $f = \frac{n.\bar{c}}{2\pi r}$ where **n** is a positive integer number. Because in lobes the inner particles are the [+], [-] constituents of, Space and of Anti-space, the maximum amplitude of each constituent is related with its Position and each Amplitude oscillates periodically as the

wave equation, $\mathbf{x} = \mathbf{v_0} \cdot \sin \mathbf{wt} = A \cdot \sin \left[\sqrt{(\mathbf{a}/\mathbf{Am}) \cdot \mathbf{t} + \pi/2} \right] \dots (1)$

a.. Velocity
$$\rightarrow$$
 $|\overline{v}| = w \ r = \frac{2\pi}{T} \cdot r = 2\pi r \ f$, and $f_n = \frac{n \cdot v}{2\pi r} = \frac{n\sigma}{4\pi r} \left[1 + \sqrt{5}\right] = \frac{n \cdot \sigma\Phi}{2\pi r}$

b.. Angular velocity $\rightarrow |\overline{w}| = \frac{\sigma}{2r} [1 + \sqrt{5}] = \frac{\sigma\Phi}{r}$, and Fundamental frequency $f = \frac{(1 + \sqrt{5}) \cdot \sigma}{4\pi r}$

In cave, r. in where, Wave propagates, as in a Magnetic-device the arced pattern, by travelling from North to the South Pole, and thus creating the Inner - Electromagnetic-Displacement, the $\partial E/\partial t$, $\partial H/\partial t \leftarrow$ and when reduced to one line as, E = H cCurrent which is

$$E \rightarrow \partial E/\partial t \rightarrow H \rightarrow /\partial t \rightarrow H$$
.

This vibration of opposites creates a Wave which has both an Electric, E, and an Magnetic component, H, perpendicular each other and is as

 $[E^2 + H^2] = 2.(2r).c.\sin 2\varphi$ (2) on-where exists the Skin-effect. [68-70] This happens because of the difference in density on Stress-common-curve, $\rho = \sigma$ instead - of density $\rho = 0$ as happens at the center of the circle.

This Property in Material-point Launches, The Inner-Electromagnetic-Wave, Out of

The-Particle $\equiv [E^2 + H^2] = 2(2r).c.\sin 2[\phi \equiv \frac{\overline{B}}{\phi}]$, of wavelength λ , Outward λ , as The Outer Electromagnetic-Wave \rightarrow {The-Wave $\equiv [\varepsilon E^2 + \mu B^2] = 2.\lambda c. \sin 2\phi$ } \leftarrow and allows all the **Energy-Wave-Storages** to Propagate any Distance in Vacuum without any dissipation.

This Inner-motion \equiv Work W , from the Wave-Energy-Pattern with Wavelengths λ_n , is created from all \pm Points of the Periodic Oscillation in any cave $\bf r$, and is stored in the $\bf n$ lobes as motion. This motion is conserved and is transported through vacuum at the speed of light c.



Since the Medium-Field- is the Material-Fragment $\rightarrow [\pm s^2] = [MFMF] \equiv The Chaos$, is the base for all motions so then it is, the Motion of Photons: All motions create Work which is conserved. Motion presupposes the velocity vector $\overline{\mathbf{v}}$, which when it is in motion collides with other velocity vectors, creating a Constant Work \mathbf{k} .

Motion may be *Linear or Rotational* for any displacement, \mathbf{r} , in any Store \equiv cave, so exists in **Vectors** the **Quantum-Constant-Work** $\rightarrow \mathbf{k} = \overline{\mathbf{v}}\mathbf{x}\overline{\mathbf{v}}$. $\overline{\mathbf{r}} = \mathbf{v}^2 \cdot \mathbf{r}$, and becomes from relation $\mathbf{n} \lambda = 2\mathbf{r}$, issuing $2\mathbf{r} = \mathbf{n} \mathbf{v} / \mathbf{f}$, and is $\mathbf{v} = \lambda \mathbf{f}$ or $\rightarrow \overline{\mathbf{v}} = \overline{\mathbf{c}} = \lambda \mathbf{f}$.

 $\begin{array}{ll} n\; \lambda=2r\; , \mbox{issuing} & 2r=n\; v\;/\; f\; , \quad \mbox{and is} \quad v=\lambda\; f \quad \mbox{or} \quad \to \; \overline{\pmb v} =\; \overline{\pmb c}\; =\; \lambda\; f\; . \\ \mbox{Constant-Work} \quad k=v^2.\; r=(w\; r)^2.r=[\frac{2\pi}{T}r]^2.r=\frac{4\pi^2\; r^2}{T^2}.\; r=\frac{4\pi^2\; r^3}{T^2}=4\pi^2.\; \frac{r^3}{T^2}=4\pi^2.r^3. \pmb f^2_{\;\; \pmb p}\; \to \\ \mbox{which are the universal } \textit{Kepler Laws for macrocosm}\; . \end{array}$

For Unit-Stress-Gravity ${\bf g}$, as $k=E=\frac{T^2}{a^3}=g=\frac{1}{f^2.~a^3}$ and for a=r then $g.r^3.{\bf f^2}_{{\bf p}}=1$, which is the *Kepler second constant-Unit-law for Areas*.

i.e. Photon during Motion in [MFMF] Chaos collides with other Photons, by means of Cross Product Produces a Constant - Work, which is stored into the Only-Four Energy and Geometrical - Shapes, of the motion which are the Conic-Sections. The Interior motion is kept in its Wavelength-Storage $2r = n \lambda$, and the Linear motion is continued by the Propagating Electromagnetic - Wave, the Energy-Store-Conveyer.

The mechanism of Energy-transport through a Medium involves the Absorption and the **Reemission** of the wave-energy by the Atoms of the material. Since Quanta of Energy occupy a finite space $\lambda = 2r$, as motion, then an Electromagnetic wave impinging upon the Atoms of a material, its energy is absorbed by the atoms of the material, and since **Energy** \equiv motion then occurs *Resonance*, and electrons within the atoms undergo vibrations. After a short period of vibrational-motion, the vibrating electrons, due to g effect on Spin S, create a New Electromagnetic wave with the same frequency as the first one and motion is conserved without delay through the medium. **Nutation occurs** due to the **g**, above referred effect. Because Energy is related to wavelength λ , as equation E= h f= h.(c/ λ), then once the energy of EM-wave is reemitted then it travels through a small region of space, its Magnetic-field, between atoms and once it reaches the next atom the EM-wave is absorbed and transformed into electron vibrations and then reemitted as an \rightarrow Electromagnetic-wave \equiv motion \leftarrow . The actual speed of an Electromagnetic-wave through a material-medium, due to the Absorption and Reemission-process, is dependent upon the *Optical - density* of the medium, or when their atoms are closely packed upon their, *Material - density*, Impedance-Type The Electric force \mathbf{F} , originated in , *Energy-field* \mathbf{E} , by any two charges q_1, q_2 and Spread in a Fixed distance, **r**, occupies velocity $\overline{\mathbf{v}} = \overline{\mathbf{c}}$ and is equal to distance $\overline{\mathbf{r}}$. The Above vector is $\overline{v} = \overline{r} = \overline{c}$ and is used for the Pointy-caves, one of which is the Atom-Nucleus. [82] The Eternal-rotation $[\oplus \upsilon \upsilon \ominus]$ of the \oplus constituent around the \ominus constituent in M-Point and for Photon on a Cycloid ,is the **Creation** OF , **Period** as $w=\frac{2\pi}{T}=\frac{g}{4r}=\frac{\sigma}{4r}$ and **Frequency** $\mathbf{f}_{\mathbf{p}} = \frac{\sigma = [\sigma\Phi]}{2\pi r} = \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{\sigma.\Phi}{2\pi r}, \text{ from Intrinsic Angular-Momentum-Vector relation } \overline{B} = \frac{2L}{\overline{w}} = \frac{L}{\pi f} = \pi^2 r^4. \mathbf{f} = [\frac{h}{2\pi}] = \mathbf{SPIN} - \mathbf{S}, \text{ of Particles , From } \overline{v} = \frac{G \Phi}{A} = \sigma \Phi = \overline{c} \text{ the Light-Velocity and}$ From $\mathbf{a} = \sqrt[3]{1/g} \, \mathbf{f_R}^2$ The-Hydrogen-cave, and from $E_R = \frac{1}{a^3} \left[\frac{4\pi^2}{c^2} + \frac{S^2}{2m} \right]$ the Atoms-Molecules. i.e. Photon is an Energy-Spring-Store, r, in a Stationary-wave of wavelength $n \lambda = 2r$, and consisted of n stationary lobes filled in λ with inner motion the Electromagnetic-Displacement current ,while Outward Propagates with light-speed as an Energy-Store $[\bar{v}\ \overline{f_n}\] \to \lambda = 2r/n$, and [+] Electric-field as Space-motion and [-] Magnetic-field as Anti-Space-Store $[\bar{\mathbf{v}} \mathbf{f_n}]$.[70]



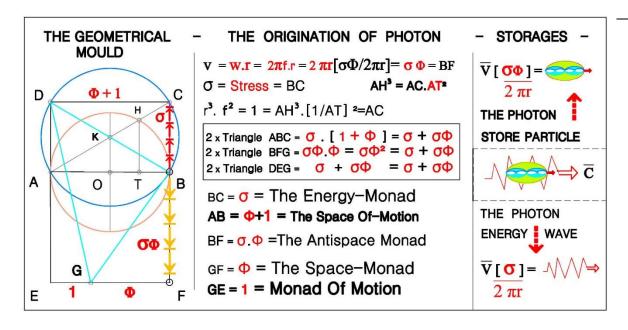


Figure – 5 - : The Material-Geometry Mechanism-of-motion in Photons-Cave : 1d... The Duality Of Isochronous Photons

FROM MECHANICS **The Eternal-Rotation** of the Two Elements , $[\oplus UU \ominus]$, Up or Down in the Material-Point circles ,Originates the Spins , $\pm \frac{1}{2}$, ± 1 , $\mp \frac{1}{2}$, of All

Particles, Fermions or Bosons, which combine from the above Three-States just by Adding their Spins [36]. From Cauchy-Stress-Tensor under Plane-stress-conditions, The

Equation of stresses σ1,2, is σ1 / 2 = ± (½) . $\sqrt{\sigma 1^2 + 4.\sigma 1^2} = \sigma_1 .[1 \pm (\sqrt{5})] / 2 = \sigma.\Phi$ which is the *Golden-ratio-Pattern* of the Material-Point as Type of a vanishing-shear due to layers laterally shifted . This minimum quantized energy σ , was proved that is going out the Material point, *because of Skin effect*, as acceleration and creates the Stationary gravity g as f_n , acting on Spin as $S_{PA}.r^4$. The Centripetal Force is equal to Stress σ , so $F_c = mv^2 / r = 1.(wr)^2/r = w^2$. $r = \pm \sigma = (2\pi.f_1)^2$. $r = \sigma_1 . [1 \pm (\sqrt{5})] / 2 = \Phi.\sigma$, and since $m = \frac{\sigma}{w^2.r} = \frac{\overline{\sigma}}{w.c} = \frac{\overline{B}}{r.c}$ then, $\pm \sigma = \frac{\overline{B}}{r.c}$ which is a relation between Stress Momentum and light-velocity c.

It was shown in [70-P32] that in a Cycloid , the area between the curve and the straight line is $A=3\pi r^2$ and the arc length 1=8r. For the motion on cycloid , we consider a Weight ${\bf Q}$, at a point A , moving with free motion . Since reaction N is vertically acting , doesn't give any Tangential component therefore the only one becomes from ${\bf Q}$,which is equal to $AT=g.\sin\phi$ and since $\sin\phi=\frac{s}{4r}$ then $AT=g.\frac{s}{4r}$. Since acceleration $a=\frac{d^2s}{dt^2}=\frac{dv}{dt}=\frac{d}{dt}(\frac{ds}{dt})=-g.\frac{s}{4r}$ then $\frac{d^2s}{dt^2}=-g.\frac{s}{4r}$ or $\{\ddot{s}=-w^2\ \dot{s}\ where\ w=\frac{2\pi}{T}=\frac{g}{4r}\}$...(a) which is a Harmonic Oscillatory motion showing that Acceleration is proportional to displacement and is directed towards the

origin with a period $T = \frac{2\pi}{w} = 2\pi$. $\sqrt{\frac{4r}{g}} = 4\pi$. $\sqrt{\frac{r}{g}}$, or and $\mathbf{w}^2 = [\frac{\mathbf{g}}{4\mathbf{r}}]^2$, where $\mathbf{w} = 2\pi \mathbf{f}$.

Origination of Frequency, or Period, happens from above Property where $\left[\frac{g}{4r}\right] = 2\pi f$. In Material-Point the Cycloidal-acceleration g_{cyc} is transformed as Centrifugal acceleration $g_{cyc} = \frac{(v)^2}{R} = \frac{g}{4r}$, where r = the Radius of the Cycloidal-circle and R = the radius of curvature In Cycloid velocity-vector $\bar{v} \equiv \bar{\sigma}$, the Glue-Bond-Stress between the Opposites \oplus , \ominus so

-1- Di----- OD T



$$\overline{v} = \overline{w}.r = 2\pi. \ \overline{f}.r = \overline{\sigma} = \sigma \ \Phi \ , \ \text{Frequency} \ \overline{f} = \frac{\overline{\sigma} = [\sigma \Phi]}{2\pi r} \ \text{ and Total-Energy } 2L = J.w^2 = 4\pi^2.f^2$$

$$w^2 = \frac{(\sigma \Phi)^2}{r^2} = [2\pi f]^2 \ , \ \text{or} \ \ \underline{\text{Frequency of Photon}} \ \ f_p = \frac{\sigma \Phi}{2\pi r} = \frac{[1+\sqrt{5}]\sigma}{4\pi r} = \frac{\sigma.\Phi}{2\pi r} \ \dots (a) \ \ \text{i.e.}$$

Equation (a) denotes that the Harmonic Oscillation due to Any-Force or Weight, which follows the free motion on Cycloid , is Independent of the Amplitude of oscillation and , is Isochronous . This Property belongs to Photon also , since it is a Material-Point . [70]

Since Total-Energy L = B $w = \frac{J.w}{2}$ $w = \frac{J.w^2}{2}$ then $2L = J.w^2$, and $\overline{B} = r.mv = r\frac{\pi .r^4}{2}2\pi f$ $r = \pi^2.r^4.f$ From momentum relation $\overline{B} = m$ r v = m r^2 w = m r^2 $(2\pi f) = \frac{J.w}{2} = [\frac{\pi r^4}{2}].[2\pi f]$ then **Spin S** \equiv

Angular-momentum
$$\overline{\mathbf{B}} \equiv \overline{\mathbf{S}} = \frac{J.w}{2} = \frac{\pi r^4}{2} [2\pi f] = \pi^2.r^4.[f] \equiv \frac{[1+\sqrt{5}].\sigma.\pi.r^3}{4} = \frac{\pi r^3 \Phi.\sigma}{2} \dots(b)$$

Frequency of Photon is $f_n = \frac{[(1+\sqrt{5})\sigma]}{4\pi \, r} = \frac{\sigma\Phi}{2\pi r}$, where $\Phi = \frac{(1+\sqrt{5})}{2} = 1,6180339887$ and , 2r is The Diameter of Energy-Cave AB = 2r of circle $(O,OA) = Monad \rightarrow \bigoplus \longleftrightarrow \bigcirc \equiv 1+\Phi$ and

 $BC = |\sigma|$ = The **Glue-Bond-Vector** from the main-Stresses magnitude.

ABCD = The **Energy-Space** Rectangular Parallelogram in Plane ABC.

ABFE = The **Energy-Anti-space** Rectangular Parallelogram in Plane ABC

 $BF = |\Phi.\sigma| =$ The Anti-Space-Vector, and $FG = |\Phi| =$ The Space-Vector magnitude.

From Kepler 2^{nd} Orbit laws the Unit-Quantized-Area , or Unit Quantized Energy is that per /sec \rightarrow r d ϕ , following equation 1=k .f 2_u r 3 , and expresses the area of triangles.

Triangle 2(ABC)=BC.BA= σ .[Φ +1] $\equiv \sigma$. Φ + σ = [Stress-In-Storage- Φ] + [Moving-Stress]

Or Storage
$$S \equiv \boxed{ [\bigoplus \leftarrow r \equiv \Phi \rightarrow \bigcirc] } + Motion M \equiv \boxed{\overline{v} - Vector}$$
 and from Figure-4-

 $\begin{array}{lll} \mbox{Triangle 2(BFG)} = \mbox{FB.FG} = \sigma.\Phi [\Phi] = \sigma.\Phi^2 = \sigma.[\Phi + 1] \equiv \sigma.\Phi + \sigma \equiv & \mbox{\bf S}_{storage} + \mbox{\bf M}_{motion} \\ \mbox{Triangle 2(DEG)} = \mbox{EG.ED} = \sigma + \sigma \Phi & = & \sigma.[\ 1 + \Phi \] \equiv \sigma.\Phi + \sigma \equiv & \mbox{\bf S}_{storage} + \mbox{\bf M}_{motion} \ \mbox{and} \\ \mbox{since Energy} = \mbox{motion} \ / \ T \equiv (\frac{v}{2\pi r}) \ . \ [\ \sigma + \sigma \Phi] = & \mbox{\bf \bar{v}} \ . \ [\ \frac{\sigma}{2\pi r} + \frac{\sigma \Phi}{2\pi r} \] \equiv & \mbox{\bf \bar{v}} \ . \ [\ \overline{f_n} \] \end{array} = & \mbox{\bf \bar{h}} \ \ \mbox{\bf motion} \\ \mbox{\bf Triangle 2(DEG)} = \mbox{\bf Energy} = \mbox{motion} \ / \ T \equiv (\frac{v}{2\pi r}) \ . \ [\ \sigma + \sigma \Phi] = & \mbox{\bf \bar{v}} \ . \ [\ \overline{f_n} \] \end{array} = & \mbox{\bf \bar{h}} \ \mbox{\bf \bar{h}} \mbox{\bf \bar{h}} \ \mbox{\bf \bar{h}} \mbox{\bf \bar{h}} \ \mbox{\bf \bar{h}} \ \mbox{\bf \bar{h}} \ \mbox{\bf$

 $\text{Moving - Storage} \to [\ \overline{\boldsymbol{v}}\ . \overline{\overline{f_n}}\] \leftarrow + \text{Moving-Frequency} \to [\ \overline{\boldsymbol{v}}.\boldsymbol{f_n}\] \leftarrow \ \equiv \text{Material-Point} \quad \text{i.e.}$

The Energy produced in Photon-Cave is consisted of Two-moving-Storages, that travelling

$$\underline{\text{as Particle}} \quad [\ \bar{\boldsymbol{v}} \boldsymbol{.} \overline{\overline{f_n}} \] \rightarrow [\bar{\boldsymbol{v}} = \bar{\boldsymbol{c}} = \lambda_{\overline{\Phi}}^f] \rightarrow [S \equiv \text{EM-R} \equiv f_{1=N} \ , \ f_2 \ , \ f_3 \ , f_D \ ,, f_n = w^2] \quad \text{and} \ ,$$

$$\underline{\text{as Wave}} \; [\overline{\textbf{v}}.\textbf{f}_{\textbf{n}}] \rightarrow \!\! [\; f_1 = (E^2 + H^2) = n \frac{(1 + \sqrt{5})\sigma}{4\pi r} = \frac{\overline{B}}{\pi^2 \, r^4}] \rightarrow \! \{ W \equiv EM - R \equiv \left[\epsilon E^2 + \mu B^2 \right] = 2.\lambda c. \sin. 2\phi \}$$

$$\underline{and\ as\ Duality}\ of\ an\ Energy-Storage\ S \equiv \{\boxed{\boxed{\bigoplus}\leftarrow r\rightarrow \bigcirc \boxed{}\ +\ Motion\ M \equiv \boxed{\overline{v}\ -\ Vector\ }}\}$$

Therefore → Photon is travelling as Particle and as Wave, as

- 2.. Energy-Motion $\mathbf{M} \equiv \overline{\mathbf{v}} \overline{\mathbf{Vector}} \equiv \mathbf{Wave} \left[\ \overline{\mathbf{v}} \cdot \mathbf{f_n} \ \right] \equiv \left[\ \mathbf{f_1} = (E^2 + H^2) = n \frac{(1 + \sqrt{5})\sigma}{4\pi r} \right]$ = $\frac{\overline{B}}{\pi^2 \, r^4} \left[\rightarrow \right]$ i.e. a Propagating Wave $\left\{ \mathbf{W} \equiv \mathbf{EM} - \mathbf{R} \equiv \left[\mathbf{\epsilon} E^2 + \mu B^2 \right] = 2.\lambda c.\sin.2\phi \right\}$.

The Physical-Interpretation of f Photon

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Using the Material-Geometry-Vectors for the Anti-Space-Action then,

From Force $G_{ON-Antispace} = \overline{AB} \ x \ \overline{BF} \equiv [\Phi+1] \ x \ \{ \ |\overline{\sigma}|.\Phi \equiv \sigma.\Phi \} = \Phi^2.\sigma\Phi = \sigma.\Phi^3 \quad \text{ or } A = \sigma.\Phi \} = \sigma.\Phi^3 \quad \text{ or } A = \sigma.$

$$G_{AN} \equiv \overline{AB} \times \overline{BC} \equiv \sigma.\Phi^{3} \equiv \left[\overline{\sigma} - Stress\right] \left[\left[\bigoplus \leftarrow \Phi \rightarrow \bigcirc \right] \left[\left[\bigoplus \leftarrow \Phi \rightarrow \bigcirc \right] \right] \left[\left[\bigoplus \leftarrow \Phi \rightarrow \bigcirc \right] \right] \right]$$

and $\rightarrow \rightarrow \rightarrow$ Primary-Energy \equiv G.f_P \equiv h and OR $G^{-1}x \sigma x \Phi^{3} \equiv 1 \leftarrow \leftarrow \leftarrow where$

G = The Newton's-Universal Force = 6,680561.10⁻¹¹ m3/Ns²

- $$\begin{split} \pmb{\sigma} &\equiv \text{The Glue-Bond-Stress in Material-Points} \quad \pmb{\sigma} = \frac{2\pi r f}{\Phi} = 1,85.10^{-11} \text{ Kg/m2} & \text{and , f ,} \\ &\text{in Planck's length} \quad \pmb{r} = L_p = e^{-i.(5\pi/2).10} \text{ is Frequency } \pmb{f}_{Plank} = \frac{c}{2\pi r} = 2,95236210^{42} \text{ H ,} \\ &\text{in Planck's Length} \quad L_p = e^{-i.(5\pi/2).10} = \{ \sqrt{3}.\pi. \ \pmb{1,616199.} 10^{-35} \text{ m } \} \end{split}$$
- $Φ ≡ The Golden-Ratio Pattern Φ = \frac{(1+\sqrt{5})}{2} = 1,6180339887$ It is seen that , in Universe exists the only one Force $G ≡ σ.Φ^3$, which is Acting on all $\mathbf{Quantized} \textbf{-Quantities} \to \mathbf{G} ≡ σ.Φ^3 ≡ Φ^2.[\{σΦ\} ≡ 2πf_P \mathbf{r} ≡ \mathbf{w} \mathbf{r} ≡ \overline{\mathbf{v}} ≡ \mathbf{m} \mathbf{a} = \overline{\mathbf{c}} \] \leftarrow \text{and}$ From $σxΦ^3 ≡ G \to [1,846462.10^{-11}].[3,618033989] = 6,680561.10^{-11} \text{ o.ε.δ.}(q.e.d)$
- i.e. Universe is a Monad , Becoming from a HUGE-MAGNET of Opposites \oplus , \ominus which Forms $>\rightarrow$ The 3-Dimentional SPACES ϕ , ANTI-SPACES $|\Phi.\sigma|$, and $>\rightarrow$ The ENERGY \equiv MOTION through the G Force and Stress σ becoming from Photon.

i.e. Ubiquity of Material-Geometry in Electromagnetism is Everywhere .

- a.. From equations $f = \frac{\sigma_1 \Phi}{2\pi r}$ and $\sigma_1 \cdot [1 \pm (\sqrt{5})] / 2 = \sigma.\Phi$, then frequency f_P of Photon is Independent of the Amplitude $[\epsilon E^2 + \mu B^2]$ of the Vibration , it is *Not-Damped and Not-Driven* , and so can be related to Any-Force that can produce Energy as Wave and thus can be Quantized to a Monad .
- b.. **Photon** striking an Object of Microcosm or Macrocosm then , **Is a Source** that **Gives Energy** as Energy-Storage , and **Information** as Propagating Energy .
- c.. Photon in the Microcosm of Hydrogen Cave can-Give such Potential-Energy as Resonance-Energy–Frequency f_R , as that Energy in [Bracket Orbit Hook] which Joints the Atoms to produce the Molecules .
- d.. **Photon** striking on **Hydrogen-Cave** can Produce a **Resonance-Energy–Frequency** \mathbf{f}_R , such that can produce **Photos** and **Images** of Inter-Atom or any other Structures .
- e.. Photon striking on Cells can Produce a Resonance-Energy–Frequency f_R , such that can Enter Cell and Break-It -Up .

The *Kinetic-Energy* E_K of a moving Material-Point , *as this is the Photon* , is stored as motion in its Storage , $\mathbf{r} = [\ n\ \lambda/2]$ with the , \mathbf{n} frequencies $f_n = n$. f_1 , with \mathbf{n} lobes and fundamental frequency f_1 . From above is seen the *Passage and The - How EM-Radiation can travel in Crystals* and which are the Cauchy-Stress-Tensor where $E \perp B \perp r \equiv \sigma_1 \perp \sigma_2 \perp \sigma_3$ in-where Energy Propagates along Directions *without Birefringence* and carries the motion \equiv Energy Storage \mathbf{r} , which radiation is **The conveyer**.

Above procedure can be used in Cells, where cells are cases of a Birefringence material and

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the Resonance-Passage happens as the Force of EM-Radiation in Two directions, can travel in Cell through Cauchy-stress-tensor where the two Conveyers $E \perp B \perp r \equiv \sigma_1 \perp \sigma_2 \perp \sigma_3$, can carry the Energy-Storage, $\bf r$, in Cell. Interfacial Properties are detected from Surfactant, and change the Inner-Structure of Cell to another desirable Property. 15/3/2020

A wide Analysis in [84-86-89].

2d... The Origination of Stresses σ :

 $\begin{aligned} &\textbf{Gravitational-Constant-Force } \textbf{G} \text{ , becomes as Stress} \equiv \text{Force/Area} \equiv \textbf{g} \text{ , as equation} \\ &\textbf{G} = g k_E = g . [g_E \, k_E \,] = [\frac{T^2_P}{a^3}] . [g_L \, k_L \,] = [\frac{c.r^3}{a^3}] . [g_L \, k_L \,] = 9,8076925 * 6,8116.10^{-12} \equiv 6,68056.10^{-11} \, \frac{m^3}{Ns^2} \quad \text{, and} \quad \textbf{Effects on gravity} \rightarrow \quad \textbf{g} \equiv 9,8076925 \; \textbf{Stress} \, \frac{Kg}{cm^2} \quad [73] \end{aligned}$ The Beyond-Planck-length Force $\quad \textbf{F} = \boldsymbol{\sigma} \cdot \textbf{A} = \text{The Glue-Bond} \equiv \text{Stress x Area} \equiv [\frac{2\pi f.r}{\Phi}] . A = w \, r. [\frac{\textbf{A}}{\Phi}] = \overline{v} \, [\frac{\textbf{A}}{\Phi}] \quad \text{, and becomes a moving Storage } \frac{\textbf{A}}{\Phi} \quad \text{travelling with velocity} \\ &\textbf{n} \text{ times that of light-velocity } \textbf{c} \text{ , as equation} \quad \overline{v} = n \, c \, . \end{aligned}$

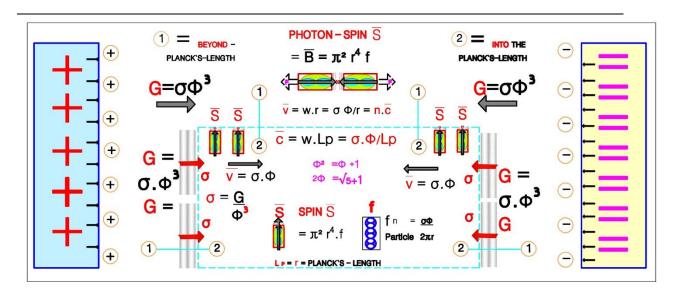
The Beyond-Planck-Length Force is \rightarrow $\mathbf{F} = \Phi^3$. $\boxed{\oplus \sigma \ominus} = \sigma \mathbf{x} \Phi^3$ where , $\sigma = \boxed{\oplus \sigma \ominus} = \mathbf{The \ Stress \ of \ Cave}$ as the Quantized distance $\mathbf{r} \rightarrow \boxed{\oplus \leftarrow \mathbf{r} \rightarrow \ominus} = \mathbf{r}$ and $\Phi = \frac{(1+\sqrt{5})}{2}$ is the mould of Quantization , a kind of Impedance as in Electricity , so from Material-Point frequency $\mathbf{f} = \frac{c}{2\pi r} = 2,93949410^{42} \ H$, and $\sigma = \frac{c}{\Phi}$. For the Planck length Stress $\sigma = \frac{2\pi rf}{(n)\Phi} = \frac{2\pi rf}{1.\Phi} = \frac{2\pi .1,616199.10^{-35}.2,93949410^{42}}{1,6180339} = 1,84456315.10^8 \ t/m2$

= 1,84456315.10¹¹ Kg/m², and the Angular velocity, w, of Total-Planck Cave is, $|w| = \frac{\sigma}{2r} \left[\ 1 + \sqrt{5} \ \right] = (\frac{1,852816510^{11}}{2.1,616199.10^{-35}}).1,6180339 = \ 9.274599.10^{46}, \ rad/sec \ then$

Force $\mathbf{G} = \text{g.k}_{\text{E}} \equiv \text{g.}[\text{g}_{\text{L}} \text{k}_{\text{L}}] \equiv [\frac{\text{T}^2 \text{P}}{\mathbf{a}^3}].[\text{g}_{\text{L}} \text{k}_{\text{L}}] \equiv 9,80769.\mathbf{6},8115518.10^{-12} = \mathbf{6,68056.10^{-11}} \frac{\text{m}^3}{\text{Ns}^3}$ Remarks:

- a.. The Stresses become from a Force and a Surface as equation $\sigma=\frac{F}{A}$, and in the case of Gravitational constant G and a cave , r , then $\to \sigma=\frac{G}{4\pi r^2}=\frac{G}{\pi(2r)^2}=\frac{G}{\pi s^2}$, or vector s. Above relation means that Force G needs a Vector-surface $\pi.s^2$ to be spread as Stress σ which is the case of Constant-light-velocity c as the next .
- b.. The case of a vector s, is the Linear-Stress while of an Plane is the Surface-Stress and, consequently of a Volume is a Space-Stress, as this was referred before for G Force,
 - i.e. $G \equiv \sigma.\Phi^3 \equiv \Phi^2.[\{\sigma \Phi\} \equiv 2\pi f_P r \equiv w r \equiv \overline{v} \equiv m a = \overline{c}]$
- c.. Since Stresses follow equation $\sigma = \frac{F}{A} = \frac{2\pi r f}{\Phi}$, conclusively **Forces and Areas** are everywhere and are related to any-cave r through, **f**, which is the mean of **every-Information**.





3d... The Origination of Light-velocity c and Photon:

Figure – 6 - : The light-velocity-Mechanism in Material-Geometry and The Photons : In (1). Is The Beyond-Planck's-length-Region where exists , The Gravitational-Constant ${\bf G}$ which is the Force ${\bf G}$. The Photon is Particle + Wave \equiv Energy with light-velocity and its Duality is in frequency where ${\bf \bar v}={\bf \bar c}.[\overline{f_n}+f_n]$. The Material-Points with velocities ${\bf n}.{\bf \bar c}$, are as $\overline{v_m}=n.{\bf \bar c}\{\overline{f_n}+f_n\}$, where $\overline{f_n}$ is the Stationary-Storage and $[f_n]$ is the Propagating Electromagnetic-Radiation where ${\bf \bar E}={\bf \bar B}$ c.

In (2).. Is the Planck's-length-Region in-where **Exist** \rightarrow The Photon **Particle** + **Wave** \equiv **Energy** ,with light-velocity and the Duality in frequency as $\bar{\mathbf{v}} = \bar{\mathbf{c}}$. [$\bar{\mathbf{f}}_n$] + \mathbf{f}_n] \rightarrow The Primary- Particles Fermions and Bosons , with their Spin $\bar{\mathbf{S}}_{\mathbf{F}}$ and according to the frequency $\mathbf{f}_{\mathbf{F}}$ their velocity \rightarrow The Constant-Light-velocity $\bar{\mathbf{c}} = \frac{\mathbf{G}}{\Phi^3 \mathbf{L}_P} \rightarrow$ The Hydrogen Cave He from g .r ³. $\mathbf{f}_p^2 = 1$ \rightarrow The Electron-Charge and Electron from $4\pi^2 \mathbf{f}_e^2 \cdot \mathbf{m}_e = \mathbf{k}$ $= \pi \mathbf{g}$ and from Kepler's relation $4\pi \cdot \mathbf{f}_e^2 \cdot \mathbf{m}_e = \mathbf{g}$. The Proof :

It was shown That \rightarrow The Cycloidal-acceleration $g_{cycloid}$ is transformed as Centrifugal acceleration and becomes the frequency of Photon as $\mathbf{f}_p = \frac{\sigma = [\sigma \Phi]}{2\pi r} = \frac{\sigma.\Phi}{2\pi r}$, and Stress σ becoming from Space \oplus to Anti-Space \ominus as $\sigma = \frac{2\pi r.f}{\Phi} = \frac{w r}{\Phi} = \overline{v}$ (a)

It was proved that \rightarrow Photon-Travels with velocity \overline{v} . [$\overline{f_n}$] + f_n], which is a Moving Stationary-Wave \equiv Storage \rightarrow > [\overline{v} . $\overline{f_n}$] \leftarrow Plus a Propagating-Electromagnetic -Wave \equiv Storage \rightarrow > [\overline{v} . f_n] \leftarrow which is Material-Point i.e. From Photon \rightarrow { \overline{c} . $\overline{f_n}$] + \overline{c} . f_n } \leftarrow The Energy produced in Photon - Cave is consisted of Two-Storages , that are travelling , as Particle [\overline{v} . $\overline{f_n}$] \rightarrow [\overline{v} = \overline{c} = $\lambda \frac{f}{\Phi}$] \rightarrow [$S \equiv$ EM-R \equiv $f_{1=N}$, f_2 , f_3 , f_D ,,, $f_n = w^2$] and , as Wave [$f_1 = (E^2 + H^2) = n \frac{(1 + \sqrt{5})\sigma}{4\pi r} = \frac{\overline{B}}{\pi^2 r^4}$] \rightarrow [$W \equiv$ EM-R \equiv [$\epsilon E^2 + \mu B^2$] = 2. $\lambda c.\sin.2\phi$] and as Duality An Energy-Storage S \equiv { $[\bigoplus r \to \Theta]$] + Motion M \equiv $[\overline{v}$ - Vector]}

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It was shown also that \rightarrow **Energy** = motion / $T \equiv (\frac{v}{2\pi r}) \cdot [\sigma + \sigma \Phi] = velocity$ $\equiv \bar{v} \cdot [\frac{\sigma}{2\pi r} + \frac{\sigma \Phi}{2\pi r}] \equiv \bar{v} \cdot [\bar{f_n}] + f_n]$, consisted of the Two kinds of frequencies ...(b)

From Force definition << A Force F is a **Push or a Pull** acting upon an Object as a result of its interaction with another Object >> or \rightarrow in Material-Geometry

 $\operatorname{Push} \to \to \quad \boxed{ \left[\bigoplus \leftarrow \operatorname{\textbf{Push}} \to \bigoplus \right] } \text{ and } \boxed{ \left[\bigoplus \leftarrow \operatorname{\textbf{Push}} = \operatorname{\textbf{Force}} \to \bigoplus \right] } \equiv \operatorname{Force}$

Pull $\rightarrow \rightarrow$ $\boxed{ [\bigoplus \leftarrow \mathbf{Pull} \rightarrow \bigcirc] }$ and $\boxed{ [\bigcirc \leftarrow \mathbf{Pull} = \mathbf{Force} \rightarrow \bigoplus] }$ \equiv Force

i.e. Both cases Push or Pull are Forces(c)

It was shown That \rightarrow Force F becomes a Velocity-Vector \overline{v} , as,

Force = Stress x Area $\equiv \sigma$ x A and from (1) \rightarrow F = σ .A = $[\frac{2\pi rf}{\Phi}]$.A = w r. $[\frac{A}{\Phi}]$ = \overline{v} $[\frac{A}{\Phi}]$ and Because by definition Angular-velocity w = 2π f and velocity v = w r . i.e.

Stress , σ , enters in Monad-Space Φ as $[\sigma\Phi]$ and frequency becomes $\bar{f}=\frac{\sigma.\Phi.r}{2\pi.r_n}$

and the Force $\mathbf{F} = \mathbf{\sigma} \cdot \mathbf{A} = [\frac{2\pi r f}{\Phi}] \cdot \mathbf{A} = w \ r \cdot [\frac{\mathbf{A}}{\Phi}] = \overline{v} \left[\frac{\mathbf{A}}{\Phi}\right]$, becomes the moving Storage $\frac{\mathbf{A}}{\Phi}$.

Newton's gravitational constant G is a Force directly proportional to the product of any two masses m_1 , m_2 in macrocosm and inversely proportional to the square of the distance between their centres, instead of the microcosms Coulomb's law of, two charges q_1, q_2 .

From Mechanics , For area $0=\langle A=\langle 0 \rangle$, The Extreme case , where Surface is interchanged as line or as line-segment , and is the same as the infinite small , ds , in Calculus , where stresses $\sigma 2=0$ and τ_{12} are very small , it is the equation of stresses $\sigma 1,2$, or is $\sigma 1/2=\pm (\frac{1}{2}).\sqrt{\sigma 1^2+4.\sigma 1^2}=\sigma_1.[1\pm (\sqrt{5})]/2=\sigma\Phi$, and is the Golden-Ratio - Pattern of the Material-Point as type of a vanishing-shear due to layers laterally shifted .

According to **Cauchy**, the stress σ , at any Point in an Object assumed as continuum and loaded by an external Force , \mathbf{F} , is defined by nine stress components as a second order Tensor ,the Cauchy-Stress-Tensor and Force for the One Dimension extreme-case $\mathbf{F} = \sigma \, \Phi$, while for the three –Dimension extreme-cases $\mathbf{F} = \sigma \, \Phi^3$, and represents the **Equal Apportion** of the **External-Force** to the **Internal-Forces**.

According to Material-Geometry Distance $\equiv \boxed{ [\bigoplus \leftarrow r \to \bigcirc] }$, and Stress $\equiv \Phi$. $\boxed{ [\bigoplus \sigma \ominus] }$ and for the three-Dimension extreme-cases Φ^3 . $\boxed{ [\bigoplus \sigma \ominus] }$ is Force $\mathbf{F} \equiv \Phi^3$. $\boxed{ [\bigoplus \sigma \ominus] }$

i.e. Forces Beyond-Planck-Length are $\rightarrow F = \Phi^3 \cdot \boxed{[\bigoplus \sigma \ominus]} = \sigma \ x \ \Phi^3 \leftarrow ... (d)$

Force $G\to \text{on Spinning M-Points } \overline{S}$ through $\overline{g}\to \text{on Planck's} - \overline{B}\to \text{on } g_G$, through $f_R=G=\sigma$ Φ^3 , and $\sigma=\frac{G}{\Phi^3}=\frac{G.\sigma^3}{c^3}$, or $\to \sigma^2$ $G=c^3...(e)$, where σ is a Stress between frequencies.

From Force-relation $\mathbf{F} = \sigma \ A = (2\pi f \ r) \frac{A}{\Phi} = \mathrm{wr} \frac{A}{\Phi} = \mathbf{\bar{v}} \frac{A}{\Phi}$, is seen also force G become velocity $\mathbf{\bar{v}}$. In the case of Planck's-length velocity $\mathbf{\bar{c}} = \mathrm{wr} = \frac{\sigma.\Phi}{r_p} \mathbf{r} = \sigma \ x \ \Phi = |\frac{G.r}{L_P \ \Phi^3}| \Phi = [\frac{G.r}{\Phi^2 L_P}]$ and from relation $\mathbf{G} \equiv \sigma \ x \ \Phi^3$ then $\rightarrow [\mathbf{\bar{c}} = \frac{Gr}{\Phi^2 L_P}]$ which is the Light-velocity vector.

Since ${\bf r}$, becomes from the Beyond-Planck's-Region then $\rightarrow \ \, {\bf \bar v} = \frac{F\Phi}{A} = [\frac{G\ \Phi}{A}] \ \ldots ({\bf f})$



Equation (f) may be written as Force $G = \bar{v} \frac{A}{\Phi}$, which is a **Viscus-Damping-Force** where $\frac{A}{\Phi}$ is a constant of Proportionality and the equation of motion is $F_G = [\frac{A}{\Phi}] \cdot \dot{x}$ Force G is applied in all Quantized-Universe A as Velocity \bar{c} and as Stress σ on Spaces Anti-spaces as Spaces-relation $L_{\rm p} = e^{i(\frac{\pi}{2} + 2k\pi)b}$, where from Material-Geometry [24-58], Space $\equiv 1$ and Anti-Space $\equiv \sqrt{1} = +1$, -1, and $\sqrt{-1} = i =$ The Imaginary Part into the \rightarrow Anti-Space + Space \equiv motion \equiv i \equiv $\sqrt[2]{-i}$ \equiv $\sqrt[4]{-1}$ \equiv $e^{-i.\left(\frac{\pi}{4}\right).b}$ = 0,707106781 . b . The Base **b**, which for Natural logarithms issues << The Natural logarithm ln(x) of a Magnitude x, is the Power to which, e, would have to be raised to equal $x \gg a$ Defining that $\rightarrow \ln(\mathbf{x})$ is the Period-needed to Grow \mathbf{x} , as this is in Integration $\int \mathbf{x}$. ex is the Amount of Growth after Period x and the Possible-Repetitive-Permutations for moulds and elements which is **Mould** Elements = The -Growth-Periods when Mould = Elements then is succeeded maximum and for e is e^e , and any $\log_x x$. For $\log_x x$ and Base x = 10 then $\log_{10} 10 = 10^{10}$ and for the two elements $[\oplus, \ominus]$ is $10^{[10]^2}=10^{20}$ Positions \equiv Distances \equiv r and since $10^{-x}=\frac{1}{10^x}$ then $b=10^{-20}$, and Anti-Space + Space-Positions are , $0.707106781.10^{-20} = 1.0707106781.10^{-19}$. In this Way The Non-Dimensional-number [$0.707106781*10^{-1} = 1.0707106781$], Is Quantized in cave, r, as distance and Becomes The-Dimensional-Space in the **Decimal - System** b = 10 as cave \mathbf{r} , and which cave is $\mathbf{r} = 1,0707106781$ $\mathbf{r} = 1,0707106781 \text{ m}$, having Unit-Area $\pi . r^2 = 3.601588 \text{ m}^2$, and the QUA-Universe is $A = 3.601588 \cdot 10^{-19}$ m2/s, which are The Space + Anti-Space Positions in Universe ...(i) From (h) , light-velocity $\bar{\mathbf{v}} = [\frac{G \; \Phi}{A}] = \frac{6.673692.10^{-11}1,6180339887}{3,601588 \cdot 10^{-19}} = 2.99819938 \cdot 10^8 \; \text{m/s}$ i.e. Force $G \equiv \text{motion}$, is Quantized $\rightarrow \text{Spread}$ in { Space and Anti-Space } or \equiv QUA \equiv {The Quantized-Units-In-Area of Space and Anti-space}, and as mould Φ exists in the *Impedance* b. Impedance in Mechanics is the **Friction Coefficient**, where for Force G be Proportional to the Light-velocity $\mathbf{c} = \overline{\mathbf{v}}$, then the Harmonic – Oscillation is an **Dumped-Oscillator**, and **Can-Oscillate** due to the excitation as, with a frequency lower than in the Undamped case and an Amplitude Decreasing

- a.. with a frequency lower than in the Undamped case and an Amplitude Decreasing with time, the **Under-Damped-Oscillator** which Originates the **Quantum** of motion which is a limiting case between the oscillatory and Non-Oscillatory motion the *Critical Damping*, and which Originates the **Light-velocity** $\bar{\mathbf{c}}$, [49]
- b.. with Undamped case frequency and Decay to the Equilibrium-Position without oscillation and The Over-Damped-Oscillator Originating the n-times-c.
 What is Quantization of motion and Impedance is analytically referred in [83]
 A Parallel solution becomes also from the attendant logic ,

The **Three Elements** \equiv Digits of Material-Geometry are $\{\bigoplus, [\bigoplus \longleftrightarrow \ominus], \ominus\} \equiv [+, 0, -]$ The **Permutation**, arrangement, of the Two-Elements $P_1^2 = 2$, is $\rightarrow [\bigoplus, \ominus] - [\ominus, \bigoplus]$

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The Three-Elements in Space need $P_1^3=3.(3\text{-}1).(3\text{-}2)=6$ Positions and the same for Three-Elements in Anti-Space need $P_1^3=3.(3\text{-}1).(3\text{-}2)=6$ Positions , and Total Places \to P_1^3 . $P_1^3=6$ x 6=36 Positions for Spaces and Anti-Spaces as Impedance , and as before for $\log_x x$ and Base x=10 then $\log_{10}10=10^{10}$ and for the two elements $[\bigoplus, \bigoplus]$ the Growth is $10^{[10]^2}=10^{20}$ Positions \equiv Distances \equiv r , and since issues $10^{-x}=\frac{1}{10^x}$ then $\mathbf{b}=36.10^{-20}$, and \to $\mathbf{\bar{v}}=\frac{F}{A}=[\frac{G}{A}]=[\frac{6.673692.10^{-11}.1.6180339887}{36.10^{-20}.}]=2.9995163.$ 10^8 m/s i.e. Ubiquity of Material-Geometry in Electromagnetism is Everywhere . 22/3/2020 4d... The Origination of Gravity g , from velocity c :

A... The Gravity-System , is an Infinite of \pm Equilibrium-Rotating vectors $\bar{\bf r}$, where for Stability $\uparrow \bar{\bf r} \downarrow \bar{\bf r} = {\bf 0}$, and which *Gravity-System* interacts with *Hydrogen-Cave-Systems* . The condition for *Irrotational Energy* is $\to \nabla x \bar{\bf B} = \nabla x \bar{\bf S} = 0$, or $\nabla x \bar{\bf B} = \nabla \bar{\bf r} + 2\pi$ mf. $\bar{\bf a} = 0$, and $\bar{\bf r} = \pm 2\pi$ mf. $\bar{\bf a}$. Vector $\bar{\bf r}$, occupies Both directions for Rotational-equilibrium , i.e. The vector $\bar{\bf r} = \pm \bar{\bf B} \equiv \overline{\bf S_n} = 2\pi$ mf $_{\bf n}$, and ${\bf f}_{\bf n} = \frac{{\bf B}}{2\pi\,{\bf m}_{\bf e}} = \frac{E}{h}$, is the Stationary-Filling-Ocean of the Spinning-Gravity-Material Point , in the called Empty-Space , with frequency that of Material-Point ${\bf f}_{\bf n} = {\bf n}.{\bf f}_1 = \frac{E}{h} = \frac{{\bf n}.{\bf v}}{2\pi r} = \frac{{\bf n}\sigma}{4\pi r} [1+\sqrt{5}\] = \frac{\sigma.\Phi}{2\pi.{\bf r}_{\bf n}} |$, and from ${\bf v} = {\bf w} \ {\bf r} = 2\pi {\bf f} \ {\bf r}$ then , ${\bf f}_{\bf n} = {\bf v}/2\pi {\bf r} = \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{\sigma.\Phi}{2\pi.{\bf r}_{\bf n}}$, and $\bar{\bf v} = {\bf \sigma} \cdot \Phi$...(a) , and $\pm {\bf Spin} \ {\bf S}_{\bf G} = \bar{\bf B} = {\bf J} \ {\bf w} = \pi^2. \ {\bf r}^4. \ {\bf f}_{\bf n} = {\bf g}$

Gravitational-Constant Force \equiv G , is Spread -over a minimum - Surface , the Layer or Conductor or , a-Surface , or The-Permissible-Path , in-where exists Reaction as mass.

From the Energy-force F_g in any cave , $r=L_P$ of Planck's scale of any reaction to a a change of motion and which is mass the $m_g=J.w^2$ and in Electricity Impedance , where angular-velocity $w=\frac{c}{r}$ and in the 3-Dimensional Space of the Two Elements $[2^3=(\ \oplus\leftrightarrow\ \ominus)\ ^3]$, The Impedance , g_Z , of the Space is $\to \ln(3)\leftarrow$ and of Anti-Space is $\to \pi\sqrt{3}\leftarrow$ and this because consist the moulds of Growth [45] . From above ,

→ The Light velocity vector $\bar{\mathbf{v}} = \bar{\mathbf{c}}$ is Acting on cave, $\mathbf{r} = \mathbf{L}_P$, and finding Impedance \mathbf{m}_g , becomes the Centrifugal-Force \mathbf{F}_g of Cave and is Equal to Gravity $\mathbf{g} \leftarrow$ as $\mathbf{F}_g = \mathbf{m}_g \left[\frac{c^2}{r} \right] = \mathbf{J} \ \mathbf{w}^2 \cdot \frac{c^2}{r} \cdot \mathbf{g}_Z = \left[\frac{\pi r^4}{2} \right] \cdot \left[\frac{c}{r} \right]^2 \cdot \left[\frac{c^2}{r} \right] \cdot \left\{ 2^3 \cdot \ln(3) \cdot \pi \sqrt{3} \right\} = 4\sqrt{3} \ln(3) \cdot \pi^2 \mathbf{r} \mathbf{c}^4$, or Gravity $\rightarrow \bar{\mathbf{g}} = 4\sqrt{3} \ln(3) \cdot \pi^2 \mathbf{L}_P \mathbf{c}^4 \leftarrow \mathbf{Is}$ a Force between The Spinning $\mathbf{S}_{pg} = \bar{\mathbf{B}}$

and $F_g = \bar{g} = 4.\sqrt{3}.1,0986122886681.\pi^2.1,616199.10^{-35}.[2.99819938]^4 = 9,8076754$

i.e. Gravity \bar{g} , is The effection of G force, on \bar{c} , light-velocity in the 3-Dimensional Space and Anti-Space, 2^3 , which is the Planck-length $L_P=r$.

Velocity-vector $\bar{\mathbf{v}} \equiv \bar{\mathbf{c}} = [\frac{G \Phi}{A}]$ and Gravity-vector $\bar{\mathbf{g}} \equiv 4\sqrt{3} \ln(3) \cdot \pi^2 L_P c^4$ are both Constants because $\{G, \Phi, A \equiv b \cdot \text{Impedance}\}\$ are all constants.

From Inner-velocity equation $v=wr=(2\pi/T).r=2\pi.f_1$ r, wavelength $\lambda=c$ T=c $/f_1$, cave $r=n.[\lambda/2]$, then $r=n.(c/2f_1)$ and $v=2\pi.f_1[n.c/2f_1]=n.\pi.c$ or $v=n.\pi.c$...(k)



Showing that velocities in lobes are, $\mathbf{n}.\boldsymbol{\pi}$, times that of light and for $\mathbf{n} = 1$ then $\mathbf{v} = \boldsymbol{\pi}.\mathbf{c}$ more than three times faster of light velocity, and is the **Velocity-Quantization**.

From velocity $v=n.\pi.c$, is seen that $\emph{light-velocity}$ is \emph{the} Quantum of Unit-velocity in L_P . From above In-Planck's-length velocity $\bar{c}=w$ $r=\frac{\sigma.\Phi}{r_n}$ $r=\sigma$ x $\Phi=\frac{G.r}{L_P\Phi^3}$ $\Phi=\frac{G.r}{\Phi^2L_P}$ and from relation $G\equiv\sigma$ x Φ^3 then \to [$\bar{c}=\frac{G.r}{\Phi^2L_P}$] \leftarrow which is Light-velocity in L_P . For the Out-Planck's-length velocity equation $\overline{v_m}=n.\bar{c}$. { $\overline{f_n}$ + f_n } and from equation

$$\overline{v_m} = \text{w r} = \text{n.\pi.c} \; , \; \text{f} = [\, \frac{\text{n.c}}{2r} \,] \; , \; \text{then} \; \rightarrow \; \overline{v_m} \; = \text{n.} \; \bar{c} \; . [\, \boxed{\overline{f_n}} \,] + f_n \; \} \; \leftarrow \; \text{which is velocity-Out} \; \; L_P \; .$$

Photon was proved to be a Material-point in cave , $\bf r$, where its Inner Storage is the Stationary-Standing-wave the Electromagnetic-Wave $[E^2+H^2]=2(2r)$.c.sin 2ϕ with $\bf n$ Lobes representing the Normal mode vibration with frequencies $f_n=n$. $f_1=\frac{E}{h}=\frac{n.v}{4r}=\frac{n\sigma}{8r}$ [1+ $\sqrt{5}$], and Outward the Storage is the Propagating Electromagnetic-Wave. \rightarrow {[$\epsilon E^2+\mu B^2$] = 2. $\lambda c.\sin.2\phi$ } \leftarrow where Particle $2r=n\lambda$, Cave r, is the Electromagnetic - Energy-Storage, and Electromagnetic-Radiation E, B, is the Wave Conveyer of Cave, $\bf r$, with frequency $\bf f$ = Energy $\bf E$ / Planck-constant $\bf h$, or $\bf f$ = $\bf E$ / $\bf h$. (Figure - 6), i.e.

Gravity $\bar{\bf g}$, is The effection of ${\bf G}$ Force , on ${\bf c}$ light-velocity , in the 3-Dimensional Space and Anti-Space , ${\bf 2}^3$, of Planck-length ${\bf L}_P={\bf r}$. For more analysis in [69] from relation ${\bf \sigma} {\bf x} {\bf \Phi}^3 \equiv {\bf G} \rightarrow [1.845632.10^{11}].[3.6180339887] = 6.673692.10^{-11}$ q.e.d.

5d... The Origination of Electron e, and e-Charge:

Electron is created through the vibration , f_n , in the <code>Energy-Space</code> , g - π , <code>meters</code> and follows both Rotational and Linear motion and so <code>Constant-Energy</code> k is the same .

From M-Point ,frequency $\rightarrow f_N = n \frac{(1+\sqrt{5})\sigma}{4\pi r}$, and $\rightarrow \mathbf{w} = 2\pi.f_N = n \frac{(1+\sqrt{5})\sigma}{2r} = |\frac{n}{r}| \cdot \frac{(1+\sqrt{5})\sigma}{2}$. The **Spring-like central-force** from a fix point , *the Source* , on an attached , *probe* , mass is $\rightarrow F = -k \ r.\bar{r}$ as equation $\ddot{x} + w^2 \ x = 0 \dots (1a)$ with a general solution $x = A \sin w_n t + B \cos w_n t$, where A, B are constants and evaluated from the initial conditions and which become $x = [\dot{x}(0)/w_n]$. $\sin w_n t + x(0)$. $\cos w_n t \dots (1)$. The Natural-frequency in Planck's length for the **Primary-Particle** occupying the less

Negative-charge-frequency, is the Electron , and is as equation (1) with solution ,

$$\frac{w_n}{2\pi} = f_e = \frac{1}{2\pi} \sqrt{\frac{k}{m}}$$
, or $4\pi^2 f_e^2$. $m_e = k = \pi g$ and $\rightarrow m_e = \frac{g}{4\pi f_e^2}$ (2)

where $\mathbf{k} = \text{Unit-Spring-Force} \equiv [\textit{meter} \text{ of area}].[\textit{meter} \text{ of force} \equiv \textit{stress}] \equiv \pi \mathbf{g} \quad(2a)$

From Planck's equation $\mathbf{f}_{e} = \mathbf{E} / \mathbf{h} = [-13.6 \text{ x } 1.6.10^{-19} = 2.176.10^{-18} \text{ Joule}]$

[$6,626.10^{-34}$ J.s] = **3, 283998.10¹⁵**/s , where min-energy -13,6 eV is Hydrogen-atom

Substituting all the minimum-meters of Planck's scale then, Electron mass is,

$$\mathbf{m_e} = \frac{g}{4 \pi f^2_e} = \frac{9,8076754}{4.\pi [3,28399.10^{15}]^2} = -7,2371149.10^{-32} \text{ kg} \dots (2b)$$

$$f_e = 3,283998.10^{15} \text{ /s}$$
, and $L_e = 1,6819781.10^{-17} \text{ m}$ (2c)

Equations become from relation \rightarrow 4π . $\mathbf{f_e}$ $\mathbf{m_e} = \mathbf{g}$ \leftarrow In Planck's length .

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Electron-Charge , becomes from the *Periodic excitation* of the motion of the , \oplus , constituent to the \ominus constituent , *Tack-Geometry* , Not in loop (\oplus << \rightarrow \ominus) , But through the One way- N -Electric-Paths $[\oplus \ll \rightarrow \ominus]$, which formulate the Electric Field-Pattern , following charge-equation $\rightarrow \overline{q} \equiv \frac{m_e \ c^2}{2} = \frac{g \ c^2}{8\pi f^2}$. From Gravitation $G = k_e \ .g$, and Voltage $\overline{V} \equiv V_P \equiv \frac{c \ .\overline{q}}{h}$, Spin = B / π , where Electrons-equation of motion into \oplus < \rightarrow \ominus is $\ddot{r} + w^2 r = 0$ and equation's Solution \rightarrow 4 π . $f^2_e \ .m_e = g \leftarrow$ which is the *Electron* , and *Charges* , \overline{q} .

Electron Charge $\overline{\mathbf{q}}$ Becomes from Magnetic Field \mathbf{M} which creates the Electric-Field \mathbf{E} , which is acting on Charge $\overline{\mathbf{q}}$, and the acting Force per second creates Work which is conserved and coincide with the Planck's constant \mathbf{h} . This is because $\mathbf{h} \to \mathbf{J}$ s = N m s = **Power**, where from, Energy = Power x Time, issues the Beyond Planck's length $\mathbf{L_P}$, &

Voltage
$$V$$
 as $\rightarrow \overline{q} \equiv \frac{K_E}{V_P = 1} = \frac{m_e \ c^2}{2} = \frac{g \ c^2}{8\pi f^2.1}$ and $\overline{V} \equiv V_P \equiv \frac{c \cdot Charge}{Total - Energy = h} = \frac{c \cdot \overline{q}}{h}$ (3)

Using the two Energy-equations for *Plane-motion* \rightarrow $f_n = \frac{1}{2\pi} \sqrt[2]{\frac{k}{m}}$ and *Orbital-motion*

$$a = \sqrt[3]{\frac{1}{k \cdot f^2}}$$
, for **Unit**-Energy-Space-frequency $k = g$, $a = \pi$, then $\rightarrow g \cdot f^2 \cdot \pi^3 = 1 \cdot \dots (4)$

Frequency $f_n = \sqrt[2]{\frac{1}{g.\pi^3}} = \sqrt[2]{\frac{1}{9,808238.\pi^3}} = 1,8133418.10^{-3}$, i.e. **The Unit-Charge-Cave** \overline{q} into Hydrogen cave $[a=1,82043047.10^{-12}m].[1,813342.10^{-3}/s] =$ **3.3010625.10**⁻¹⁵ C

From equations Charge and Voltage is the Self-Growing Property of frequency f_n in Material-point, therefore and for Hydrogen-cave is equal to $\to \bar{q}$.

Because Gravitational Force is equal to \rightarrow the Geometric-Resultant of light-velocity c, acting on Electron-Unit-Charge \overline{q} \leftarrow or, G=c $\sqrt{2}$ \overline{q} , then Electron-Charge is

$$\overline{\boldsymbol{q}}_{\ Electron} \ = \frac{G}{c\,\sqrt{2}} = \frac{6,6736923\,.10^{-11}}{1,41429.2,9979346.10^8} = 1,574.10^{-19} \ C \ .$$

For Photon issues that of Gravitation in Planck's-cave \to G = $f_n . \sqrt{2}. \overline{q}$ and for Photon is ,

$$\overline{\boldsymbol{q}}_{\ Photon} = \frac{_{G}}{^{\sqrt{2}.f}} = \frac{_{G.h}}{^{\sqrt{2}.E}} = \frac{_{\left[6,6736923\,.10^{-11}\right].\left[6,62606957.10^{-34}\right]}}{^{\sqrt{2}\,.E=1}} = 3,127\ 10^{-44}\ C\ .$$

6d... The Origination of Hydrogen - Cave H, e:

The Light velocity vector $\bar{\mathbf{v}} = \bar{\mathbf{c}}$ is Acting on cave , $\mathbf{r} = L_P$, and finding Impedance the mass m_g , Becomes the Centrifugal-Force F_g of Cave and is Equal to Gravity g , while The Light velocity vector $\bar{\mathbf{v}} = \bar{\mathbf{c}}$ Acting on an-cave , $\mathbf{r} \neq L_P$, finds The-Impedance \mathbf{Z}_c of the Velocity $\bar{\mathbf{c}}$, and Becomes the minimum-Energy-cave in L_P , and Equal to $\mathbf{E} \equiv \mathbf{r} \ \mathbf{Z}_c \ \bar{\mathbf{c}} \ \dots (1)$ where , $\mathbf{E} = \text{The Planck's-Total-Energy} \ \mathbf{E}_p = \mathbf{h} = 6,62606957.10^{-34} \ \mathrm{J.s}$, $\mathbf{r} = \mathrm{The \ min-Energy}$ cave of Hydrogen , $\mathbf{Z}_c = \mathrm{The \ Total \ Impedance}$ in Universe $\equiv \mathrm{Space} + \mathrm{Anti-Space}$ from velocity motion , $\bar{\mathbf{c}} = \mathrm{The \ light-velocity}$ in $\mathbf{m/s}$. Equation (1) becomes $\rightarrow \mathbf{r} \ \mathbf{Z}_c \ \mathbf{c} = \mathbf{h} \leftarrow \dots (1\mathbf{a})$ The Three Elements $\equiv \mathrm{Digits}$ of Material-Geometry are $\{\bigoplus$, $[\bigoplus \longleftrightarrow \bigcirc]$, $\bigcirc\} \equiv [+,0$,-] and as before for $\log_x \mathbf{x}$ and Base $\mathbf{x} = 10$ then $\log_{10} 10 = 10^{10}$ is the Growth , Impedance is the Anti-Growth or Anti-logarithms $\mathbf{10}^{-10}$ of their Positions and Antilog $\mathbf{r}_0 = 3$ is $\mathbf{r} = 0,477777$. For the three dimensions Total-Impedance $\mathbf{Z}_c = (0,477777)^3.(10^{-10})^3 = 1,045263.10^{-31}$ and

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 $r = \frac{h}{c.Z_c} = \frac{[6,62606957.10^{-34}]}{2,99798.10^8.1,045263.10^{-31}} = \textbf{2,11450164.10^{-11}} \ \text{m} \ , \ \text{and is the Hydrogen cave} \ .$

From Kepler third law, Closed-Space-Energy equation of Newton's Laws of motion is

Constant
$$\mathbf{k} = \mathbf{v}^2$$
. $\mathbf{r} = (\mathbf{w} \mathbf{r})^2 . \mathbf{r} = [\frac{2\pi}{\mathbf{r}} \mathbf{r}]^2 . \mathbf{r} = \frac{4\pi^2 \mathbf{r}^2}{\mathbf{r}^2} . \mathbf{r} = \frac{4\pi^2 \mathbf{r}^3}{\mathbf{r}^2} = 4\pi^2 . \frac{\mathbf{r}^3}{\mathbf{r}^2} = 4\pi^2 . \mathbf{r}^3 . \mathbf{f}^2_{\mathbf{p}} \dots (\mathbf{k})$

Because (k) is constant, r^3 . f_p^2 , is also a Constant multiplication of cave, \mathbf{r} , and the frequency f is also .The **Work** \equiv **motion**, which is conserved in cave \mathbf{r} as the \mathbf{n} frequencies

is
$$f_N = n \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{2\ \overline{B}}{\pi^2 r^4}$$
, and for the Damping-cave $\rightarrow r(t) = r(t+w) \leftarrow$ as Planck's scale is

with min-Damping = 1 , and $Unit\text{-}Energy\text{-}Quantity\ W_u$, (the critical-energy-unit in the

min , r) to be the Unit-Stress-Gravity ${f g}$, as $k=E={T^2\over a^3}=g={1\over f^2.~a^3}$ and for a=r then

g.r³. $\mathbf{f_p}^2 = 1$, which is the Kepler second constant-Unit-law for areas i.e. \rightarrow

Stress g, when is entering into the minimum cave, a, of a minimum Surface, then from the Period of Rotation T, on the Perimeter, is created in Surface the minimum

Quantity of Energy-cave and is that of Hydrogen-Atom, where issues,

 $g f^2$ = The Energy-Part embodied with stress, g, and

cave $a^3 \equiv$ The Space-Part, in the 3-DOF space, as Period and Frequency,

T 2 = g a^3 = 9, 8076925.[2,1145016.10 $^{-11}$] 3 = 9 ,2728158.10 $^{-32}$ s , and Period

 $T=3{,}04513.10^{-16}\,\text{s}$, or frequency $~f=3{,}2839982.10^{15}\,\text{/s}=3{,}2839982.10^{15}\,\text{H}$

From equation **E= h f** = $6.62607.10^{-34}$. $3,2839982.10^{15} = 2,175999.10^{-18}$ J/(1,6.10⁻¹⁹)

= 13, 59999 eV a Quantized Energy corresponding to Hydrogen-Atom-cave.

Above Quantity is the Quantum-Energy in the minimum cave of L_P It was shown that *in Conservative Systems* of Central-Force, the Total energy E is conserved and at Periapsis, Energy $E = \frac{GMm}{2a}$ and $e = \sqrt{1 + 2EL^2/G^2M^2m^3}$,

and for e = 0, a circle, then $\rightarrow \mathbf{E} = -\frac{G^2M^2 \text{ m}^3}{2 \text{ L}^2}$, i.e. energy is always Negative.

From Hydrogen cave issues $k=E=\frac{T^2}{a^3}=g=[\frac{4\pi^2a}{GM}]$ therefore , $GM=\frac{4\pi^2a}{g}$ and from

Total-energy $\mathbf{E}=-\frac{GM\ m}{2\ a}$, Rotational-Momentum $\mathbf{L}=\sqrt{(1-e^2).\,GMm^2.\,a}$, the eccentricity e=0, $GM\ m=-2aE$, and then $\to L^2=GMm^2.a=-2aE[a]m=-2a^2.Em$.

i.e. Equation $L^2 = -2a^2$.Em ,Denotes that Angular-Momentum $L \equiv B$ in the Circular

Orbit Rims is always Negative and equal to $L = -a\sqrt{2Em}$, while $E = -L^2/2ma^2$.

The lightest and the less-Energy $Z_c = mass$ Particle of this universe , is the **Hydrogen** with the minimum Quantized - Energy of 13,6 eV . In-Spaces or Volumes with the minimum energy is formulated the , Hydrogen - cave , by oscillating under the action of the Inherent forces in M-Points and which are the *Instruments* that ,Golden -Ratio- frequency uses to **Kick-Start** everything In this world . Both motions , the **Periodic and Rotational** , exist as the Mean between the Two Primary - Opposite in PNS \equiv Primary-Neutral-Space . This Mean is the Ocean of the , **Two kinds of Spins** created from the inner motion in

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Material-Points both Oriented by the acceleration ${\bf g}$, created from the Rotational-motion and which ${\bf g}$, continually effects on Spins through which force ${\bf G}$, Flows to all Energy Structures .

The **Strong-force** in Nucleus are in ,
$$F_{nucleus} = h$$
 . $f_n \equiv h.n$. $\frac{(1+\sqrt{5})\sigma}{4\pi r} \equiv h. \left[\frac{n.\overline{B}}{\pi^2 r^4}\right] \equiv h. \frac{n\Phi\sigma}{2\pi r} \equiv h. \frac{n\sigma(1+\sqrt{5})\sigma}{4\pi r} \approx 1-5.10^{10}$ Tesla , and $F_{photon} = \frac{[\oplus \to \to \leftarrow <\ominus]}{r^2} = \frac{\sigma.\sigma}{r^2} = \left|\frac{\sigma.}{r}\right|^2 \equiv \left|\frac{2B.}{\pi.r^4\Phi}\right|^2$ From $r_{min} = 1,07.10^{-7}$ m and $\mathbf{f^2}_p = \frac{1}{r^3}$ or $f_{min} = 2,839844.10^{10}$ H , then Bonding Energy $\mathbf{L} = h.f_N = 6.62607.10^{-34}$. $2,8398447.10^{10}$ J / $1,6.10^{-19} = 1,176063.10^{-6}$ eV $\mathbf{E} = -\mathbf{L^2}/2a^2m$ and for $\mathbf{a} = \mathbf{r} \to \mathbf{a}^2 = \mathbf{L^2/2Em} = \frac{[1,17606.10^{-6}]^2}{2(13,6)1.10^{-12})} = 5,08501.10^{-4}$ and then , $\mathbf{r} = \mathbf{a} = 2,2549966.10^{-2}$ m , meaning The $\mathbf{Spin-Polhode}$ of the Hydrogen-cave . From Orbit equation $\mathbf{a} = \sqrt[3]{\frac{1}{g.f^2}} = \sqrt[3]{\frac{1}{9,808[2,8398447.10^{10}]^2}} = \mathbf{5,018918.10^{-8}}$ m , \to are

the Brackets \equiv [Proton-Electron-Hook] \equiv {Electric-Field-Loops} \rightarrow H-Atom-Radius.

E.. : THE ORIGIN OF SPIN AND ENERGY :

It is an Application to Material-Points $[\bigoplus \leftrightarrow \ominus]$, by considering the Positive-constituent with angular velocity $\overline{w} = \overline{v}/r = \frac{\sigma}{2r} \left[1 + \sqrt{5} \right] \dots (1) \left[70 \right]$ and for an angle 45° from , \mathbf{x} ,axis, where then the Ellipsoid of Angular-velocity is perpendicular to the Plane of motion . Moment of Inertia to , \mathbf{z} , axis is that of Sphere equal to $J_3 = \frac{\pi r^4}{2}$ which is the same in all Principal axes , and exists , $J = J_1 = J_2 = J_3 = \frac{\pi r^4}{2}$, therefore Angular-Kinetic-Energy \equiv Angular-velocity-Ellipsoid and then becomes , $J_1w_1^2 + J_2w_2^2 + J_3w_3^2 = 2E \dots (2)$ The Energy-Ellipsoid as $\overline{B} \equiv \text{Spin}$ is $\rightarrow w_1^2 + w_2^2 + w_3^2 = \frac{2E}{J^2} = \frac{4E}{(\pi r^4)^2} = \frac{B^2}{I^2}$.

Angular-momentum \equiv Spin $\equiv \overline{B} \equiv [\pi \sigma.r^3 \ (1+\sqrt{5})\ /4] \ \dots (3)$ In Figure -6- and for the center , K , of \bigoplus sphere , issues $\overline{v_K} = [\overline{w}.\overline{r_K}] = [\frac{\sigma[1+\sqrt{5}]}{2r}2r] = \sigma[1+\sqrt{5}]$ and $\overline{B} = \overline{S} = [\overline{r}.m\overline{v}] = [r.m.\ \sigma(1+\sqrt{5})]$ and for m=1 then $\overline{B} = [r\ \sigma(1+\sqrt{5})]$. The Interchangable Ellipsoids of Angular velocity [70-P49] ,and Momentum for the same Moment of Inertia is $J_1 = J_2 = J_3 = J_0$,and Angular Velocity $w_1 = w_2 = w_3 = w$, the Momentum $B_1 = B_2 = B_3 = B$ becomes $3J\ w^2 = C$ and $3B^2/J = C$ and since for circle $J = \frac{\pi r^4}{2}$ then $\frac{3\pi r^4}{2}w^2 = C = (\frac{3\pi r^4}{2})w^2 = (\frac{3\pi r^2}{2})(rw)^2 = (\frac{3\pi r^2}{2})[\sigma(1+\sqrt{5})]^2 = 3\pi r^2\sigma.[3+\sqrt{5}] \rightarrow \textit{The Ellipsoid of Angular-velocity}, \overline{w},$ and $3B^2/J = \frac{3(rw)^2}{J} = \frac{3(rv)^2}{J} = \frac{3r^2.\sigma^2[3+\sqrt{5}]}{4}[\frac{2}{\pi r^4}] = \frac{3.\sigma^2[3+\sqrt{5}]}{2\pi r^2} \rightarrow \textit{The Momentum-Ellipsoid}, \overline{B}$.

The Angular-momentum In Planck's-Length \equiv Spin \equiv | $\overline{\bf B}$ | \equiv π^2 r⁴ f (3) The value of |**B**| = [2.8,79455.10⁻³⁵.1.1,6180339] = 2,845976. 10⁻³⁴ {Kg/m/s}. For Planck-Length ${\bf r_P}$ =1,61623.10⁻³⁵ $\sqrt{3}\pi$ = 8,79455.10⁻³⁵ m, velocity | $\overline{\bf v}$ | = $\frac{\sigma}{r}$ [1+ $\sqrt{5}$] and from (3) then \rightarrow Planck-cave-Stress $\sigma = \frac{\overline{\bf B}}{r.\Phi} = 1$, Total-Energy 2E = [J w]², From | $\overline{\bf v}$ | = $\frac{\sigma}{r}$ [1+ $\sqrt{5}$] = c = 3.10⁸ m/s then, $\sigma = \frac{3.10^8}{3,679551.10^{34}} = 8,1477332.10^{-27}$ Kg/m² |w| = $\frac{\sigma}{2r}$ [1+ $\sqrt{5}$] = ($\frac{8,1477332.10^{-27}}{2.8.7945510^{-35}}$).3,2360675 = 1,499.10⁸, or |w| = 1,5.10⁸ rad/sec, For $\sigma = 8,147733.10^{-27}$ Kg/m² and $\overline{\bf B} = 5,691952.10^{-34}$ J then, Period $T = \frac{2\pi}{w} = \frac{2\pi r}{v} = \frac{2\pi r}{v}$



$$\frac{4\pi r}{\sigma~(1+\sqrt{5})} = \frac{4\pi.8.79455.10^{-35}}{\sigma~(1+\sqrt{5})} = \frac{3,4151}{\sigma}~10^{-34}~s~, \text{or } \textbf{Period T} = [\frac{4,191584}{10^{~9}}~]~s~, \text{ and frequency } f = \frac{1}{T}$$
 i.e.
$$\textbf{Planck-frequency}~f_1 = 2,38573294.10^{34}~Hz~.$$
 From above issues ,

- a).. The Spin of cave, \mathbf{r} , is Equal to the Angular-momentum-Vector \rightarrow Spin $\equiv |\mathbf{B}| \equiv \mathbf{r} \boldsymbol{\sigma} \Phi$ which contains and is the Golden-Radio-frequency Φ as Pressure, σ , in cave σ .
- **b)..** In Planck's-length [for light velocity $\mathbf{c}=3.10^8\,\text{ m/s}$], **velocity** is $|\bar{\mathbf{c}}|=\frac{\sigma}{r}[\mathbf{1}+\sqrt{\mathbf{5}}]$ m/s and in cave $\mathbf{r_P}=\mathbf{8}$, **794**10⁻³⁵ m, the **Pressure** $\sigma=\frac{r.c}{[\mathbf{1}+\sqrt{\mathbf{5}}]}=8,147733.10^{-27}\,\text{Kg/m}^2$.
- c).. In Planck's-length the Period of Oscillation is $T = \frac{4\pi r}{\sigma(1+\sqrt{5})} = 4,192.10^{-8} \text{ s}$, and Frequency $\mathbf{f_P} = \frac{1}{T} \equiv \frac{\sigma.(1+\sqrt{5})}{4\pi r} = 2,3857265.10^7 \text{Hz}$, which is the minimum in Planck-cave . The extreme for stresses $\sigma \mathbf{1}, \mathbf{2} = \sigma \mathbf{1} / 2 \pm (\frac{1}{2}) \cdot \sqrt{\sigma \mathbf{1}^2 + 4 \cdot \sigma \mathbf{1}^2} = \sigma_1 \cdot [1 \pm (\sqrt{5})] / 2 = \sigma \Phi$, velocity $\mathbf{v} = (\mathbf{w} = \frac{2\pi}{T})\mathbf{r} = 2\pi \mathbf{r}$. $\mathbf{f} = [\frac{\sigma}{2}] \cdot (\mathbf{1} + \sqrt{5})$, frequency $\mathbf{f} = \frac{(\mathbf{1} + \sqrt{5}] \cdot \sigma}{4\pi r}$, Period $\mathbf{T} = \frac{4\pi r}{\sigma(\mathbf{1} + \sqrt{5})}$
- d).. From Kepler-Orbit-Vibration the equation of inverse Period $\rightarrow f_n = \frac{(1+\sqrt{5})\sigma}{4\pi r} = [\frac{\sigma}{2\pi r}] \Phi$, $f_n^2 = \frac{\sigma^2}{4\pi^2 r^2} \Phi^2 = \frac{1}{g \cdot a^3}$, and $ga^3\Phi^2 = \frac{4\pi^2a^2}{\sigma^2}$, or $a = \frac{1}{g} \left[\frac{2\pi}{\sigma\Phi}\right]^2$ and from Work in Orbits $W = 2E = B \ W = J.W^2$, or $2E = 2\pi \ f \ B$ i.e. \rightarrow Total Spin*Frequency $\equiv \overline{B} \ f = \frac{E}{\pi}$, and Energy \equiv motion in Planck-scale-cave $r = L_p$, is $2E = \overline{B} f_n = [\frac{(1+\sqrt{5})\sigma}{4\pi r}].\overline{B} = [\frac{\sigma}{2\pi r}].\overline{B} \Phi$, or $E = [\Phi \frac{\sigma}{4\pi r}].\overline{B} \equiv \frac{|B|^2}{2\pi^2 r^4}$ (4) i.e.

Energy of Particles In-Beyond Planck-cave is dependent on their Spin only, and for the Electron with cave $r = a_e = 1,6819781.10^{-17} \, \text{m}$, and Principal-stress $\sigma = 1$, then,

$$\mathbf{E} = [\mathbf{\Phi} \frac{\mathbf{\sigma}}{4\pi \mathbf{r}}] \cdot \overline{\mathbf{B}} = 1,6180339 \ [(\frac{1}{4\pi.1,6819781.10^{-17}}] \cdot 2,845976 \cdot 10^{-34} = \frac{2,17872.10^{-18}}{1,602.10^{-19}} = \mathbf{13,6} \ \mathbf{eV}$$

All above equations define \rightarrow The Ubiquity of Golden-Ratio- Φ \leftarrow in motions in Angular-Momentum, Stresses, Frequency or Velocity in nature [64-A-B-C]

1e.. The Dynamic Structure of Atom

The two elements In Nature are **motion** \equiv **Energy** and **Space** \equiv **Displacement**. In Mechanics Work \equiv Energy \equiv motion is Force (x)Displacement and is conserved. In order that *Motion* is *Conserved as Displacement* in all directions, then this Displacement must be kept, **Quantized**, in a **Finite Space** differently is annihilated.

In Mechanics the only-possible motion in a Finite Space, is the Periodic excitation $[\leftarrow]$ or, *Reciprocating-motion*, and the Revolving motion $[\oplus \upsilon \upsilon \ominus]$ which defines the **Quality** of Particles. The Rotational motion defines different Period or frequency or Energy.

Atom is a Finite-Energy-Space in where exists $motion \equiv Energy \equiv Force \ x$ Orbit-ray . Motion occurs from Electrons with Impedance $Z_c \equiv mass \ [m]$ executing Circular and Elliptical-Plane-Orbits from Nucleus mass [M] obeying *Kepler's laws and Newton's Lagrange laws* for Mechanics in an Equivalent System. Lagrange equations of motion in any Potential is , $\frac{d}{dt} \left[\frac{\partial L_a}{\partial q_1} \right] - \frac{\partial L_a}{q_1} = 0$ where , Lagrangian $L_a = (T_K - L) \dots (1)$ and

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L = The Potential Energy \equiv Pointy motion \equiv Spin

 $T_K = Kinetic-Energy \equiv Linear or Rotational-motion$

$$T_K = T(q_1, q_2, ..., q_N, q_1, q_2, ..., q_N)$$

 q_i = the generalized coordinates,

 \dot{q}_1 = the generalized velocities . i = 1,2...N

 θ = The r \rightarrow v \(\gamma\) angle on Orbit-Nucleus

The Lagrangian of motion is $(1) \downarrow as$

$$L_a = \frac{1}{2} \, \text{m} \, \dot{r}^2 - V(r) = \frac{1}{2} \, \text{m} [\, \dot{r}^2 + \, \dot{\theta}^2] - V(r) \, \dots (1)$$
 since $\dot{r} = \dot{r} + r \, \dot{\theta}$ and the

coordinates of electron are given by the Polar-coordinates (r , θ) , and are respectively.

Equations of motion $\rightarrow \frac{d}{dt} \left[\frac{\partial L_a}{\partial \dot{r}} \right] - \frac{\partial L_a}{\partial r} = 0$ and $\frac{d}{dt} \left[\frac{\partial L_a}{\partial \dot{\theta}} \right] - \frac{\partial L_a}{\partial \theta} = 0$ (2)

Angular momentum vector $\bar{L} = r m v = m.r.r \dot{\theta} = (mr^2.\dot{\theta})$ and $r^2.\dot{\theta} = \frac{L}{m}$ (2a)

and from Kepler's law of areas $dA = \frac{1}{2} .r.r.d\theta = \frac{1}{2} .r^2.\theta$, or $dA/dt = \frac{1}{2} .(\frac{L}{m}) = \frac{L}{2m}$

i.e. the area swept by the central radius \mathbf{r} , is $\rightarrow \frac{dA}{dt} = \frac{L}{2 \text{ m}} = \mathbf{constant}$ (3)

Lagrange's equation (2) for the r, θ , coordinates becomes

$$\frac{d}{dt} \left[\text{ m. } \dot{\mathbf{r}} \right] - \left[\text{ m.r.} \dot{\theta}^2 \right] + \frac{\partial V}{\partial \mathbf{r}} = 0 \quad \text{and integrating} \quad \frac{1}{2} \, m \dot{\mathbf{r}}^2 + \frac{1}{2} \left[\frac{\mathbf{L}^2}{m \, \mathbf{r}^2} \right] + \mathbf{V}(\mathbf{r}) = \mathbf{E} \, \dots \dots (4)$$
 where \mathbf{E} is the Energy = the motion in cave Atom , \mathbf{r} . Solving (4) to velocity then

Velocity
$$\dot{\mathbf{r}} = \sqrt{\frac{2}{m}[E - V(r) - \frac{L^2}{2m r^2}]} \equiv \sqrt{\frac{2}{m}[E - \{\frac{k}{r} + \frac{L^2}{2m r^2}\}]}$$
(5) **i.e.**

Electron's Velocity $\overline{v_e} = \dot{r}$, the motion, is depended on the Total Energy E of the cave, r, the Orbit and of the Angular-Momentum Vector L of caves, which is equal to Spin, S. Since Energy-Areas dA/dt, are constant, consist The Potential-Energy in Capacitors.

The Atoms Physical Properties

- 1.. Total Energy $E = T_K + L \equiv The constant of Integral.$
- 2.. Spin \equiv Torsional motion \equiv L \equiv B = constant 3.. Potential Energy U = V(r) + $\frac{L^2}{m \, r^2}$ = $\frac{k}{r}$ + $\frac{L^2}{m \, r^2}$, where k = a constant, and then,

a... As
$$\mathbf{r} \to \mathbf{0}$$
, then $U = -\frac{k}{r} + \frac{L^2}{m \, r^2} = \frac{1}{r^2} \left[\frac{L^2}{2 \, m} - k \, r \, \right] \equiv \infty \to \text{Strong-Forces}$

b... As
$$\mathbf{r} == \infty$$
, then $U = -\frac{k}{r} + \frac{L^2}{m r^2} = \frac{1}{\infty^2} \left[\frac{L^2}{2m} - k r \right] \equiv 0 \rightarrow PNS$ -Field

c... As
$$\mathbf{r} \to \infty$$
, then $U = -\frac{k}{r} + \frac{L^2}{m r^2} = -\frac{1}{\infty} \left[-\frac{L^2}{2 m r^2} + k \right] \equiv <0 \to \text{Black Hole}$

$$d...~As~\textbf{r} \rightarrow \frac{L^2}{2~k~m}~,~then~~U=~\frac{4k^2m^2}{L^4}~[~\frac{L^2}{2~m}~-\frac{L^2}{2~m}~]~=~0 \rightarrow Turning\text{-Points}$$

e... As
$$\mathbf{r} \to \frac{L^2}{2 \text{ k m}}$$
, then $U = \frac{4k^2m^2}{L^4} \left[\frac{L^2}{2 \text{ m}} - \frac{L^2}{2 \text{ m}} \right] = 0 \to \text{Black-Hole}$ i.e.

For a, The Potential-Energy becomes infinite (∞) , as $r \to 0$, as this happens in Focus where Protons are very close to Neutrons. These are the Nucleus Strong-forces.

For b, The Potential-Energy becomes Zero (0) as $r = \rightarrow \infty$, as this happens in

PNS - Energy-field where time T, is not existing and Energy, E, is Infinite.

For c, The Potential-Energy becomes Negative (< 0) as $r = \infty$, for any L and r.



Integrating (3) then, A = T L/2m = 2 a b, where T the Period of Orbital rotation and $b^2 = a^2$ -(ae)² and from Kepler laws $\frac{T^2}{a^2} = \frac{4\pi^2 m}{2E} = \frac{4\pi^2}{2E/m} = \frac{4\pi^2 a}{GM}$ or $T^2 = \frac{4\pi^2 a^3}{GM} = constant$...(6)

Energy $E = \frac{1}{2} m \dot{r}^2 + \frac{L^2}{2 m r^2} - \frac{GmM}{r}$, $L = m.r^2 \cdot \dot{\theta}$ (7) and is the Energy in Atom

The **First-term** is the Kinetic-Energy of the Planet on Orbit,

The **Second-term** is the Constant-Rotational-Energy OR the Spin of Atom,

The **Third-term** is the Constant-Gravitational-Potential-Energy.

When velocity $\dot{\mathbf{r}}$, of the First-term is zero, and this happens at the turning points

then
$$U=\frac{L^2}{2\,m\,r^2}-\frac{GmM}{r}=0$$
, and $U'=\frac{\partial U}{\partial r}=-\frac{k}{r}=f+\frac{L^2}{2\,m\,r^3}=0$,
$$U''=\frac{\partial U^2}{\partial r^2}=-\frac{\partial f}{\partial r}+\frac{3L^2}{m\,r^4}>0$$
,(8) and ,
$$\frac{\partial f}{\partial r}<\frac{3\,L^2}{m\,r^4} \text{ becomes according to position } r_0 \text{ , } \frac{\partial f}{\partial r_0}<-\frac{3\,f(r_0)}{r_0} \text{(8a)}$$

The Boundedness of Orbits

The general solution of (5) is $\frac{1}{r} = \frac{Gm^2M}{L^2} + c_1 \cdot \cos \vartheta \dots (5a)$, where c_1 is a constant and

from Kepler's relation $r = \frac{a(1-e^2)}{1+e\cos\theta}$ inversing then $\frac{1}{r} = \frac{1}{a(1-e^2)} + \frac{e\cos\theta}{a(1-e^2)}$ and compared

to prior then $c_1 = \pm e \frac{Gm^2M}{L^2}$ and $\frac{1}{r} = \frac{Gm^2M}{L^2} \pm e \frac{Gm^2M}{L^2} = \frac{Gm^2M}{L^2} [1 \pm e] \dots (9)$ and

Semimajor axis
$$\mathbf{a} = \frac{L^2}{G \, m^2 M (1 - e^2)} \equiv \frac{GM \, m}{2 \, E} \dots (9a)$$

Total-Eergy $\mathbf{E} = \frac{G^2 m^3 M^2}{2 \, L^2} \, (e^2 - 1) \equiv \frac{GM \, m}{2 \, a} \dots (9b)$

Total-Eergy
$$\mathbf{E} = \frac{G^2 \text{m}^3 \text{M}^2}{2 \text{ L}^2} \text{ (e}^2 - 1) \equiv \frac{G \text{M m}}{2 \text{ a}} \dots (9 \text{b})$$

Eccentricity
$$\mathbf{e} = \sqrt{1 + \frac{2EL^2}{G^2M^2m^3}}$$
(9c)

Spin
$$\rightarrow \overline{B} \equiv \mathbf{L} = \sqrt{(1 - e^2). \text{GMm}^2.a}$$
 ...,.. (9d)

Energy in Orbit. **E** = $-\frac{\text{GM m}}{2 \text{ r}_p} (e - 1)$ and **L** = $\sqrt{(1 + e) \cdot \text{GMm}^2} \cdot \text{r}_p$ (10) From Orbit-Geometry is **g** .f ² .a ³ = 1 , **g** .f ². π ³ = 1 , and **E** = **h f**(11)

Using the known equations for Spin then Spin = \overline{B} = ($\pi^2 r^4$). f_n = The Energy

in **n** wave-node loop where $f_n = [n \frac{\sigma(1+\sqrt{5})}{4\pi r}] \equiv \frac{(1+\sqrt{5}) \cdot \sigma}{4\pi r} = \frac{\Phi \cdot \sigma}{2\pi r} = \frac{E}{h}$ (12)

$$\overline{B} = [\pi. r^3. \sigma(1 + \sqrt{5})/2]$$
, Total - Energy $2L = 2n(3 + \sqrt{5})[\frac{\sigma^2}{\pi r^2}] = [\frac{nh\sigma.\Phi}{2\pi r^1}]...(13)$

From relation $f_1 = [\frac{1}{\pi^2 r^4}].\overline{B}$ and $\overline{B} = \frac{\pi r^3 \sigma.(1+\sqrt{5})}{4}$ then $\overline{B}^2 = [\pi^2. r^4. f_1]^2$ (14)

4e.. The Euler-Analysis of Motion in Orbits : Figure -7- 1,2,3 :

The Euler Vector equation of motion for a Rigid-Body is,

$$J_1.[\bar{k} \frac{d^2\bar{k}}{dt^2}] + J_3 w_3. \frac{d\bar{k}}{dt} + \bar{s_0}.Q[\bar{k} \bar{k}'] = 0$$
(15) where,

 $\rm J_1\,$, $\rm J_2\,$, $\rm J_3\,$ \rightarrow Are the Moments of Inertia of Ellipsoid related to Principal axis . \overline{w} $[w_1, w_2, w_3] \rightarrow$ Is the constant Angular-Velocity-Vector with respect to changes in $\bar{1}$, \bar{j} , \bar{k} \rightarrow The Unit constant-vector of the moving Body-System. { the Origin}.



 \bar{i} ', \bar{j} ', \bar{k} ' \rightarrow The Unit constant-vectors of Body-System .

 $\overline{s_0}$, \overline{s} \rightarrow The Unit motion vector on the common section of Planes i - j, i - k.

 ϕ , θ , ψ \rightarrow The Three axial angles of vectors $\bar{\imath}$ ', $\bar{s_o}$ - $\bar{\imath}$, $\bar{s_o}$ - \bar{k} \bar{k}

 \rightarrow The weight of the Rigid-Body = m g.

 $\frac{d\phi}{dt}$, $\frac{d\theta}{dt}$, $\frac{d\psi}{dt}$ \rightarrow The Angular-velocities of angles , ϕ , θ , ψ

 \overline{B} [B_1 , B_2 , B_3] $\equiv \overline{S}$ [S_1 , S_2 , S_3] \rightarrow The Angular-Momentum-Vector \equiv Spin.

Energy Relations:

$$\overline{B} = J_1 w_1 \overline{I} + J_2 w_2 \overline{J} + J_3 w_3 \overline{k}$$
(16)

$$\overline{\text{Bw}} = \text{Jw}^2 (= 2\text{L}) = J_1^2 w_1^2 + J_2^2 w_2^2 + J_3^2 w_3^2 \rightarrow \text{Ellipsoid of Angular-velocity}$$

$$L = \frac{B_1^2}{2J_1} + \frac{B_2^2}{2J_2} + \frac{B_3^2}{2J_3} = \text{The Constant-Angular-velocity-momentum-Ellipsoid ...(17)}$$

i.e. \rightarrow For any radius OP of $\overline{\mathbf{w}}$ -vector exists another radius of $\overline{\mathbf{B}}$ -vector Perpendicular to, The $\overline{\mathbf{w}}$ -edge Tangential-Plane of the Angular-Vector-Ellipsoid, and The $\overline{\mathbf{w}}$ -vector is Perpendicular to the **B-edge** Tangential-Plane of the Angular - Momentum-Vector Ellipsoid. In case of Zero-Moment, related to the equilibrium Point O, then,

The motion of a Solid Body is Identical to the Rolling of the PO-w-Vector -Ellipsoid [OP] in E-Tangential to Ellipsoid [$\overline{B} = OT \perp E$] Vector. [70]

5e.. : The Precession and Nutation of Electron :

Gravitational constant, G, is The Pulling and Cohesive Force on all the Quantized Energy-Structures which communicates with everything due to *Periodic excitation* on all Spaces . Newton's laws issues for masses and the same to Electrons in caves as below,

$$\mathbf{G} \equiv g.k_E \equiv g.[g_L k_L] \equiv [\frac{T^2 p}{a^3}].[g_L k_L] \equiv 9,8078925 * 6,8116.10^{-12} \equiv 6,68056.10^{-11} \frac{m^3}{Ns^2}$$

Electron being in Hydrogen-cave **Precesses** because of the different axis of rotation and Nutation's, from the immense-communication to gravity, g.

Electron-Spin is the Angular-momentum-vector \overline{B} and rotates according to equation $\frac{dB}{dt}$ $[\bar{u}\bar{B}] = uB.[\bar{k}\bar{k}^*]$ in Gravitational Potential $U_g = [mg].s.cos\,\theta = -sQ.[\bar{k}\bar{k}^*]$, so the change of \overline{B} is $\rightarrow \frac{dB}{dt} = u = \frac{s.Q}{B} = \frac{s.Q}{J_3.w_3}$ and from 1-degree equation of motion , u , \ddot{u} + w 2 u = 0 ,then **Period of Nutation** $T = \frac{2\pi}{u} = \frac{2\pi J_3 w}{sQ}$, and **N-Frequency** $f_N = \frac{sQ}{2\pi J_3 w}$ (1)

Period of Nutation
$$T = \frac{2\pi}{u} = \frac{2\pi J_3 w}{sQ}$$
, and **N-Frequency** $f_N = \frac{sQ}{2\pi J_3 w}$ (1)

With Total Energy of Nutation [70],
$$E_N = \frac{J_1}{2} [w_1^2 + w_2^2] + \frac{J_3}{2} w_3^2$$
(2)

For Material-Point, the chains of Spins due to Periodic excitation $[<\leftrightarrow]$ is created in Orbit a Magnetic field due to LRC-circuit and which is tuning to the critical Quantum critical-State g_G . The Light velocity vector $\bar{v} = \bar{c}$, by Acting on cave, $r = L_P$, finds

the Impedance m_g , Becomes the Centrifugal-Force F_g of Cave Equal to Gravity g. The chains of Spins for the , ONE-WAY Pointy vibrating , is the Resonance Frequency

$$f_R=\frac{(1+\sqrt{5}\,]\,).\sigma}{4\pi r}$$
 of c and \overline{B} of The-Stationary-Photon-cave , where $\overline{B}\equiv\overline{S}\equiv Spin$.

The Moving Electron in Orbit of charge $\overline{q} \equiv \bigcirc$ with the Orbit-Velocity-Vector \overline{v} is



 $\bar{\mathbf{v}} = \sqrt{\frac{2}{m} \left[E - \left\{ \frac{\mathbf{k}}{\mathbf{r}} + \frac{\mathbf{L}^2}{2m \, r^2} \right\} \right]}$, **Creates IN Orbit**, \mathbf{r} , the Varying and Perpendicular

Magnetic-Field , \overline{B} , which in time-turn Creates an Electric-field $\overline{E} \perp \overline{B}$, with resultant force F acting on Electron .Velocity \overline{v} is composed of V_p , Perpendicular to the Magnetic-circles $O \perp B$, and V_v , Parallel to the Magnetic-field-Vector $|\overline{B}|$, tending such that $L \equiv S \equiv Spin$. The resulting motion of Electron is the Helical motion.

Since Work is Produced during motion , The Conservation exist in Orbit $[p\leftrightarrow e]$, so the Orbit occupies Energy as frequency quite differing that of those of Energy-levels . Since frequency $f_N=f_R=2,8398447.10^{10}~\text{s}^{-1}\{\text{C-5}\}$ and exists in all Atoms , due to the Hydrogen first cave , then is the Resonance-frequency between all Atoms and Molecules.

Energy from equation $\mathbf{E}=\mathbf{h}.\mathbf{f}_N=6.62607.10^{-34}$. 2,8398447.10¹⁰ = 18,817009. 10⁻²⁴ J / (1,6. 10^{-19}) = 1,174463 .10⁻⁴ eV , is conserved as **Thermal-Energy** \mathbf{E}_T in kilo Cal and is $\mathbf{E}_T=18,817009.$ 10^{-24} J / [(4,19. 10^3) = kcal] = 4,49093. 10^{-27} kcal . This happens because of the closed Energy-Orbit-Rims , \mathbf{r} , and of the constant light velocity \mathbf{c} , and from **Spin** equation S=r m \mathbf{c} . Taking into consideration the Thermal - Energy of a Photon when it is pressing 1 m2 surface for 60s and which is $\mathbf{E}_P=\mathbf{20}$ kcal = 20. (4,19. 10^3) = 8,3777. 10^4 J the ratio , [\mathbf{E}_T / \mathbf{E}_P] = 4,49093 . 10^{-27} /20 = 2,24546 . 10^{-28} , is a Quantity **Not-detected** . Hydrogen caves created in Sun 1 **Million-years-ago** = $10^6.365.24.3600$ = 3,1538. 10^{13} sec , is accumulated Thermal-Energy of \mathbf{E}_T =3,1538. $10^{13}.4,49093.10^{-27}$ =1,41625. 10^{-13} kcal i.e. The Stationary Hydrogen-wave—cave Thermal-Energy needs 1-Quadrillion years to be 1-kcal.

For Half-frequency f_R / $2 = 1,4199223.10^{10} \text{ s}^{-1}$, the Kinetic Energy is Zero and Potential-Energy is , $\mathbf{U} = \mathbf{E} = \mathbf{h} \ \mathbf{f} = 6,62606957.10^{-34} \ .1,4199223.10^{10} = 9,4.10^{-24} \ J = 5,8722.10^{10} \ eV$, which agree with Bohr-Magneton .

The Produced-Work in Orbit as Frequency $f_N = \frac{sQ}{2\pi J_3 w} = 2$,8398447. 10¹⁰ s⁻¹ is

Constant and is Conserved . Because of the Magnetic - field created On-Orbit , and Applied At - Nucleus with the same Effect then , exists LARMOR - Equation as w $_0 = \gamma$. β $_0 / 2\pi$, and for Hydrogen at 1,5 T Magnet , γ = 2,675. 10^8 / sT , β $_0 = 1,5$ T then w = 63,864 MHz = 63,864.108 Hz and frequency $f_N = 2\pi$.w = 4 ,012575. 10^{10} s⁻¹.

Remarks:

- 1.. Since the frequency created from Electron-Nutation is the Basic , *first* , Orbit of Atoms , therefore allows a **Resonance-frequency** between all **Atoms** , **Molecules** and others .
- 2.. Since Electron is continually-oscillating with the Nutation-frequency f_N , so Produces an oscillating magnetic field which in turn is the source of an oscillating field, which implies the **Regeneration each other**, i.e. a Propagating Electromagnetic-Wave where E = B c.
- 3.. Since Resonance-frequency is IN the first Orbit of Atoms ,therefore allows Electromagnetic Wave , to get out the Atoms-cave , with a quantum-Energy $E=h\ f_N$ or $E=2\mu.B$.
- 4.. Since Electron is rotating in Orbits so Electromagnetic Wave is also rotating , therefore is needed a **Proper-Stationary-Magnet** on which Rotation becomes Oscillation in order to succeed a clear 3-dimensioned , Φ^3 , Magnetic-Resonance-Imaging [The MRI] and other Systems using this Property of Bottom-Information . This Property of Spin in all depths of Energy-caves allows the Granularity of Energy in Energy-loops , and after to be Bonds.

6e.. The **Spin**, and **Magnetic-moment** Relation-Analogous.

1.. Magnetic Dipole - moment $(\overline{\mu})$, or the Torque on a current loop, is a vector - quantity arising from the rotation of a current (**I**) in a circular loop of radius, **r**, and area $\mathbf{A} = \pi r^2$.

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- 2,, **Angular-momentum-Vector** becomes from the *Eternal-Rotation* of the \ominus constituent around the \oplus *constituent in a cave* of *radius*, \mathbf{r} , and area $\mathbf{A} = \pi \mathbf{r}^2$.
- i.e. The Phenomenon, The Same-Vector, measured Electrically and Mechanically.

The magnetic moment generated by circular current is the *current times the area of circle*. Its direction is perpendicular to the area, A, and is determined by the right-hand rule and is,

Magnetic – moment .
$$\bar{\mu} = I . A$$
(a)

From material point ([86].p-48)
$$2L \equiv \overline{B}\overline{w} \equiv h \cdot f$$
, $|w| = \frac{\sigma}{2r} [1 + \sqrt{5}]$, and $f = \frac{(1 + \sqrt{5}) \cdot \sigma}{4\pi r}$

Angular momentum
$$\overline{B} = \frac{2L}{\overline{w}} = \frac{2L}{2\pi f} = \left[\frac{L}{\pi}\right] \cdot \left[\frac{1}{f}\right] = \frac{4r \cdot L}{(1+\sqrt{5}] \cdot \sigma} = \left[\pi r^3 \sigma \left(1+\sqrt{5}\right)/2\right] = \frac{\pi^2 r^4 \cdot f}{2} \dots(b)$$

From (a), (b) the Angular – velocity - Ellipsoid $\overline{\mathbf{w}}$, is the analogous to circular current, I, and Angular - Momentum-Ellipsoid $\overline{\mathbf{B}}$, is the analogous to the Torque, $\overline{\mu}$, on this circular

$$loop \ so \ \overline{\pmb{\mu}} = I \ . \ A = \frac{Energy=Motion}{Unit-Time} = \frac{I.A.s}{s} = \overline{\pmb{B}} = \frac{2L}{\overline{w}} = \frac{2L}{2\pi f} = |\frac{L}{\pi}|.|\frac{1}{f}| = \frac{4r.(hf)}{(1+\sqrt{5}).\sigma} = \left[\frac{h}{2\pi}\right] = \textbf{SPIN} \ \dots (c)$$

i.e. The Magnetic – moment
$$\overline{\mu}$$
 of Material – point = $[\frac{h}{2\pi}] \equiv SPIN$, and also equal to

the Angular-Momentum-Vector
$$\overline{\bf B}=\pi^2$$
. ${\bf r}^4$. ${\bf f}=\frac{\pi r^3\sigma}{2}[1+\sqrt{5}]\equiv\pi r^3.\sigma\Phi\equiv [\frac{\bf h}{2\pi}]\equiv\frac{2L}{2\pi f}$.

The effect of Magnetic-moment on an **External** magnetic **field** \overline{P} is the Torque acting on the Dipole $\overline{\tau} = \overline{\mu} \times \overline{P}$, representing the lowest Energy configuration, and has a Potential energy $U = -\overline{\mu} \cdot \overline{P}$ with force in the loop $\to F_{loop} = \overline{\nabla}(\overline{\mu} \cdot \overline{P})$ and for Dipole $\to F_{dipole} = (\overline{\mu} \cdot \overline{\nabla}) \cdot \overline{P}$) or $F_{loop} = F_{dipole} + \overline{\mu} \cdot [\overline{\nabla} \times \overline{P}]$.

The Potential energy associated with the magnetic moment is U= - $\overline{\mu}$. \overline{P} so that the difference in Energy Aligned and Anti-aligned is $\quad \Delta U=2~\overline{\mu}$. $\overline{P} \,$. From Physics , The intrinsic magnetic

moment , $\overline{\mu} = \frac{g_s \cdot q}{2m}$. S , where $g_s = a$ dimensionless quantity q = the charge , m = the mass ,

S= the Spin of particles and from (c) , $L=B \ w \ / \ 2$, and since B=S then ,

$$\overline{\mu}_{\textit{intrinsic}} = \frac{4\text{r.L}}{(1+\sqrt{5}\,).\sigma} = \frac{2\text{wr.B}}{(1+\sqrt{5}\,).\sigma} \text{ and } \overline{\mu} = \frac{g_s.q}{2\text{m}}.S \text{ , or } g_s = 2\left(\frac{\text{m.}\overline{\mu}}{\text{q.S}}\right) \text{ ,and because charge } \mathbf{q} \text{ is }$$

equivalent to Angular-velocity-Vector ,
$$\overline{w}$$
 , then $\mathbf{g_s} = 2 \cdot \left(\frac{m.\overline{\mu}}{\overline{w}.S}\right) = 2 \cdot \left[\frac{m.(\overline{\mu}=2L')}{\overline{w}.S=2L}\right] \dots (d)$

i.e. Dimensionless quantity $\mathbf{g_s}$, is related to \rightarrow mass \mathbf{m} , charge \mathbf{q} , Spin \mathbf{S} , and Intrinsic magnetic moment $\overline{\boldsymbol{\mu}}$, or \rightarrow is analogous to mass \mathbf{m} , Angular velocity \mathbf{w} , and Glue-bond $\boldsymbol{\sigma}$. This Intrinsic Angular-Velocity $\overline{\mathbf{w}}$, of the Material-point allows Spin \mathbf{S} , to be quantized as to Straightly in Great-circles, $[S=\pm 1]$ by rotation Up or Down to the circles, *either* is anticlockwise in Left-Small-circle, [S=-1], by rotation Up or Down to the circles, *or* is clockwise in the Right-Small-circle [S=+1] by rotation Up or Down to the circles.

All particles Fermions or Bosons are becoming from above three states just by Adding the

Spins, so Complex structure would have a Spin of, $-\frac{1}{2}$, 1, $+\frac{1}{2}$, or $+\frac{1}{2}$, -1, $-\frac{1}{2}$, only.

The specific rotational velocity ${\bf v}={\bf w}\ {\bf r}=|{\bf w}|\ {\bf r}=\frac{\sigma}{2r}\ [\ 1+\sqrt{5}\].{\bf r}=\frac{\sigma}{2}\ [1+\sqrt{5}\]={\bf \sigma}\ {\bf \Phi}$, is related



to Glue-bond, σ , only, meaning the **Granularity of Spin in all depths of Energy-caves**.

The nature of , + Spin , is exactly the same to , - Spin , because is the Angular-momentum Vector \overline{B} of opposite direction and has nothing to do with Spinors . [35-36] Space is a Quaternion , having discrete quantized Energy boundaries those of the two , (\bigoplus) , constituents eternally rolling on Great or Small circles and accordingly , Clockwise or Anticlockwise Originating the \pm Spin or (\pm) , (-) Spin and is the first Quantized – Energy – monad . Charge in Physics is the Physical properties of matter that **Causes** it to experience a **Force** when placed in an Electromagnetic field , **In contrast to Material-Point** , where Force , \overline{B} , is originated **From the Glue-bond** , \pm σ , of any two Opposite-Constituents in Energy-caves . Since current , I , is the net outward current through a closed surface and , \overline{q} , is the Electric-Charge contained within the volume defined by the surface , then Electric charge is equivalent to Magnetic moment , or $\overline{q} \equiv \overline{\mu}$, and current equivalent to angular velocity , or $\overline{I} \equiv \mathbf{w}$. **Mass in Physics** is a property of a Physical-Body , and it is a measure of an object's resistance to the acceleration , a change in its state of motion when a net force is applied, while in **Material-Point** from its **Angular acceleration** $\sigma = \frac{\overline{B} \times \overline{w}}{\overline{W}}$ where

is applied, while in **Material-Point**, from its **Angular acceleration**, $a_a = \frac{Bx\overline{w}}{J}$, where

 $J = \frac{\pi r^4}{2}$ = The Polar moment of inertia and from Newton equation $2E = m.a_a$ then , $\mathbf{m} = \frac{2E}{a_a} = \frac{2E}{a_a}$

 $[\frac{\overline{B}.\overline{w}}{\overline{B}x\overline{w}}].$ **J** is the reaction to Angular-velocity-changes in direction , a Scalar magnitude ,

and since Inertial mass is equal to Gravitational mass then, Mass of Material - point equals

to,
$$\mathbf{m} = \frac{2E}{a_a} = \left[\frac{\overline{B}.\overline{w}}{\overline{B}x\overline{w}}\right] \cdot \mathbf{J} \equiv a \text{ number measuring Energy-quantities in caves}$$
.

For an inclination of 45° then the Dot Product of $\ \overline{B}.\overline{w}$ is $\ \rightarrow |\overline{B}|.|\overline{w}|=|\overline{B}|.|\overline{w}|.cos\,45^{\circ}$ and the Cross Product of $\ \overline{B}x\overline{w}$ is $\ \rightarrow |\overline{B}|x|\overline{w}|=|\overline{B}|x|\overline{w}|.sin\,45^{\circ}$ equal to Dot Product , and In Planck's – length - cave $\ r=4,453.\ 10^{-35}$ then mass becomes $\ \rightarrow$

$$m = \frac{1}{1}$$
. $J = \frac{\pi r4}{2} = 617,63.10^{-140} = 6,1763. 10^{-138}$ Kg, and

The Ellipsoid of Angular-velocity remaining
$$\frac{{w_1}^2}{2} + \frac{{w_2}^2}{2} + \frac{{w_3}^2}{1} = \frac{2L}{J_3}$$

Since also $w = \frac{v}{r}$, and since in small circles the radius R < r, the radius of the Great circles, then, Angular velocity vector and frequency increases while Period, T, decreases.

This Precession in Material-Point is the analogous to Nutation of Earth and other Planets indicating the relation of Microcosm and the Macrocosm to the same laws of Mechanics.

From equation
$$\overline{B} = r m v = m r wr = m.w.r^2$$
, $mass m = \frac{\overline{B}}{wr^2} = \frac{2.B}{\sigma.r(1+\sqrt{5})} = \left[\frac{1}{2\pi f}\right] \frac{\overline{B}}{r} = \frac{1}{w} \frac{\overline{B}}{r}$

 $=\frac{-2\overline{E}}{r} \text{ or } \rightarrow m = \frac{2\,E}{r} \text{ , and } E = \frac{B}{2c} \,...[m] \text{ denoting the Unification of Energy Mass and Cave }.$

[m] is The mass of Material-Point related to Any cave, ${\bf r}$, and \pm ${\bf \sigma}$ its Principal Stresses. All Energy-levels follow the Space-Grainy-relation ${\bf f}^2_{\bf n}$ a ${}^3={\bf k}=$ Quantum-of motion.

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Applying above to Under Planck's length (that what prior called Virtual Particle or Fields of Antiparticle pairs) ,{ The Spin \equiv the Angular-Momentum-Vector $\overline{\bf B}$, in the Self rotating Material point [$+s^2 \leftrightarrow -s^2$] } \rightarrow explains the **Why Galaxies** , and the clusters of Galaxies **remain stable** . In Caves of ($\bigoplus \equiv +s^2$) ,($\bigoplus \equiv -s^2$) ,Emerge-Spin as the Automobile - Force is **Vacuum-Energy** which was Prior analyzed . The Gravity-length-cave ${\bf r}=3,969.10^{-62}$

and mass becomes
$$\rightarrow m = \frac{1}{1}$$
. $J = \frac{\pi r4}{2} = 389,80218.10^{-248} = 3,898.10^{-246}$ Kg.

7e.. The Atoms Precession:

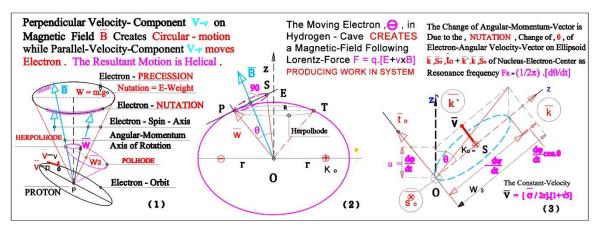


Figure – 7 - : The Electron's Nutation in Precession :

- In (1) The Electron-motion creates a Magnetic-Field \overline{B} , in which is Stored Work . {Velocity vector V_e is composed of the V_{-V} Perpendicular- constituent which stores motion in circular-Helix-paths and the Parallel- constituent V_{-P} constituent which is Pushing the Energy-circles along a straight line }.
- In (2) The Angular Momentum-Vector \overline{B} , and the Angular-Velocity-Vectors \overline{w} , of Electron at Point P and Proton at Point O, are Perpendicular each other and forming the Herpolhode, OPT \bot OB, where Polhode, PS \bot OP, perpendicular to Ellipsoid.
- In (3) The Change of Angular Momentum vector \overline{B} , is Due to the change of θ , angle *Nutation*, and The Produced Work is Stored in the Nucleus-Electron-Orbit-Slim. Electron Precession is the (change of ϕ) of Angular velocity while Electron-Nutation is the (change of angle ϑ).

Precession is the change in φ , while Nutation is the change in ϑ . For $w_3=$ constant then $\frac{d\varphi}{dt}=\frac{d\psi}{dt}=$ constant and angular velocity $w=\bar{k}'\frac{d\varphi}{dt}+\bar{k}\frac{d\psi}{dt}$ in the \bar{k} \bar{k}' Plane. After some operations results the equation of motion under above restrictions as ,

$$J_1.\mathbf{u}^2.\cos\theta - J_3.\mathbf{w}_3.\mathbf{u} + s\mathbf{Q} = 0$$
 (1) where $\mathbf{u} = \frac{d\phi}{dt} = \frac{dB}{dt}$

with solution
$$\mathbf{u} = \frac{J_3.w_3}{2J_{1.\cos\theta}} \pm \sqrt{\left[\frac{J_3.w_3}{2J_{1.\cos\theta}}\right]^2 - \frac{sQ}{J_1.\cos\theta}} \dots (2)$$
 Displacement, \mathbf{u} ,

is called → The Regular Precession of the Rigid-Body ←

The under root terms are >0 when $\frac{sQ}{J_1.\cos\theta}$ is very small or when Angular velocity $w\cong w_3$ where then ,angular velocity axis is very closed to the Principal Ellipsoid axis. The change of Angular-momentum is $d\overline{B}=M.dt=[\overline{s_0}.Q]dt=s\ Q.[\overline{k}\ \overline{k}]dt$ (3)



where Kinetic energy during a displacement 2s , is not changing , while Angular-velocity vector $\overline{\mathbf{w}}$, is placed around $\overline{\mathbf{B}}$,for which Moment of Inertia Ellipsoid executes a circular Polhode . The moving Inertia is rolling on the steady cone , driving in Precession the Electron-Spin-axis . Since vectors $\overline{\mathbf{B}}$, $\overline{\mathbf{w}}$, are very closed each other and to symmetric axis $\overline{\mathbf{k}}$, **Polhode** are narrow closed loop-curves on Poisson-Plane around $\overline{\mathbf{B}}$ vector .

The Angular-momentum-vector \overline{B} rotates according to equation $\frac{dB}{dt} = [\overline{u}\overline{B}] = uB.[\overline{k}\overline{k}^*]$ in Gravitational Potential $U_g = [mg].s.cos\,\theta = -sQ.[\overline{k}\overline{k}^*]$, so the change of \overline{B} is $\rightarrow \frac{dB}{dt} = u = \frac{sQ}{B} = \frac{sQ}{J_3.w_3.}$ and from 1- degree equation of motion , $\ddot{u} + w^2u = 0$, then

Period of Nutation
$$T = \frac{2\pi}{u} = \frac{2\pi J_3 w}{sQ}$$
, and **Frequency** $f_N = \frac{sQ}{2\pi J_3 w}$ (4)

With Total Energy of Nutation $E_N = \frac{J_1}{2} [w_1^2 + w_2^2] + \frac{J_3}{2} w_3^2$ or in Euler angles

$$E_N = \frac{J_1}{2} [\dot{\vartheta}^2 + \dot{\varphi}^2 \sin^2 \theta] + \frac{J_3}{2} [\dot{\psi} + \dot{\varphi} \cos \theta]^2 ...(5)$$

An Example :

For Electron radius $s=r_e=5,\,82.10^{-16}\,$ m , Weight of Electron $Q=m_e\,g=9,11.10^{-31},\,9,808=8,93.10^{-30}\,$ Kg , Moment of Inertia-Disk $J_e=J_3=[\pi\,a^4/2]=\pi/2[5,8.\,10^{-16}\,]^4=1,777591.10^{-61}\,$ m⁴,

Angular velocity $w_e = \frac{v}{r_N} = \frac{c}{1836} = \frac{3.10^8}{1836} = 1,633.10^5$ m/s because of masses analogy

The-Electron-Nutation-frequency
$$\mathbf{f}_{N} = \frac{s \ Q}{2\pi . J_{3} w} = \frac{5.82.10^{-16} . \ 8.93.10^{-30}}{2\pi . 1,777591.10^{-61} . 1,633.10^{5}} = \mathbf{f}_{N} = \mathbf{f}_{R} = \mathbf{2.8398447.10^{10}} \ s^{-1} \(6)$$

From equation (5) is seen, The **moving Electron** [\ominus charge] creates a Magnetic-field which **Changes** from Total-Kinetic-energy $E = T_K + L$, where L = S = Spin. What this means? \rightarrow **Work** is continually created as Resonance-Frequency $f_R = f_N$. Since in Universe exist only **Motion**, and Work \equiv **Energy** \equiv **Force** x **Displacement**, therefore the continually-Moving Electron **Carries this** \rightarrow [Motion-Box]. How ??? To exist Work \equiv Energy are needed Two things, The One is the Force to be confined in a [Motion-Box] and the Second is the Force which is Pushing this [Motion-Box with the confined motion]. In Photon are the n, frequencies.

The moving Electron-vector is $\overline{v_e} = \overline{v_{e\uparrow}} + \overline{v_{e\rightarrow}} +$, and is composed of Two-velocity components , the one is the Perpendicular \uparrow and the other is the Parallel \rightarrow , to Motion Box , where the **First CARRIES Motion Into the** [Motion-Box] , and the **Second PUSHES** the Motion-Box , Figure -8- as

- 1.. The [Motion Box] which carries ,**This Motion v** \equiv $\dot{\mathbf{r}}$, are **The Magnetic-field-lines** which are circles in field , filled with motion \equiv transportation \equiv Spinning . The velocity-component , $\overline{\mathbf{v}_{e\uparrow}}$,being Perpendicular to the Magnetic-lines creates Energy-Circles and thus , Motion \equiv Work \equiv Energy , is **Carried in this Magnet-Box** .
- 2.. The Pushing velocity-Force on this [Magnet-Box] = The Velocity-Vector-Force which is Perpendicular to the Magnetic-field-lines-Plane, and which carries the [Magnet-Box] along a straight line with horizontal distance, the pitches, between Two consecutive circles. The Resulting motion is the Helical and thus Energy is Propagated. The difference between the Potential-Energy of the Orbit and that of Electron-Nutation in Precession with the Lowest-Potential-Energy, is the Resonance Frequency = Energy. The analogous is in Electrical Circuits where when A circuit



is Driven to Oscillate at its natural frequency \mathbf{f}_N , either by storing in it Electrical Energy, or by Charging its Capacitor, Figure -9-. In Fig-8- is shown the Electromagnetic-Wave Propagation.

The [Magnetic-Fields]≡[Energy-Baskets] is the Way for Energy-Propagation as ,

Strength-field
$$\overline{B}_F = [\frac{2\pi m T}{q_T}] \cdot \mathbf{f} \equiv \overline{B} = \frac{\pi r^3 \Phi \cdot \sigma}{4} \rightarrow \mathbf{Wave} \equiv \{ [\epsilon E^2 + \mu B^2] = 2.\lambda c. \sin \left[\frac{2\pi c}{\lambda} \right] \},$$
 $\overline{\mathbf{w}} = 2\pi \mathbf{f} = \frac{S_p}{m}$, issuing that Tangent of Ellipsoid $\rightarrow \overline{B} \perp \overline{\mathbf{w}}$ Vector \leftarrow and Tangent of Ellipsoid $\rightarrow \overline{\mathbf{w}} \perp \overline{B}$ Vector .It is a relation between Angular and Momentum Ellipsoid.

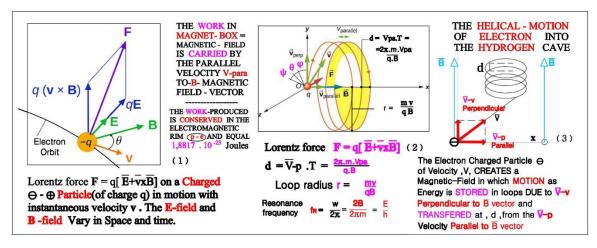


Figure -8-: The How moving-Electrons create Electromagnetic-Wave and Propagate.

In (1) , The Moving Electron of charge $\overline{q} \equiv \bigoplus$ mass m , with the Orbit-Velocity-Vector \overline{v} , $\overline{v} = \sqrt{\frac{2}{m}} [E - \{\frac{k}{r} + \frac{L^2}{2m\,r^2}\}]$, Creates IN Orbit , r, the Varying Perpendicular Magnetic-Field , \overline{B} , which in time-turn Creates an Electric-field , \overline{E} , Perpendicular to \overline{B} , with resultant force F, acting on Electron . Velocity \overline{v} is composed of V_p , Perpendicular to the Magnetic-circles $O \bot B$, and V_v , Parallel to the Magnetic-field-Vector B tending to , $L \equiv S \equiv Spin$. The resulting motion of Electron is the Helical-motion .

In (2), The changing Electron-velocity-Vector, $\overline{\mathbf{v}} = \sqrt{\frac{2}{m}} [\mathbf{E} - \{\frac{\mathbf{k}}{\mathbf{r}} + \frac{\mathbf{L}^2}{2m\,r^2}\}]$, Creates the Perpendicular Magnetic-Field $\overline{\mathbf{B}}$, which Magnetic-lines are the Energy circles \mathbf{O} in \mathbf{B} , Due to the velocity-constituent $\mathbf{V_p}$, which is Perpendicular to Magnetic lines \mathbf{O} . The velocity - constituent $\mathbf{V_v}$ is Perpendicular to the , Plane of Circles - \mathbf{O} , and Pushes O-Plane along a straight line forming thus , the Helical motion of Electron . Because of the Orbit- Magnetic-Field $\overline{\mathbf{B}}$, Property answers the Zeeman effect .

In (3), The Moving Electron of charge $\bar{q} \equiv \Theta$, with the **Orbit-Velocity-Vector**, \bar{v} , as

$$\bar{\mathbf{v}} = \sqrt{\frac{2}{m}} \left[\mathbf{E} - \left\{ \frac{\mathbf{k}}{\mathbf{r}} + \frac{\mathbf{L}^2}{2m \, r^2} \right\} \right]$$
, is forming angle $< \theta$ with $\bar{\mathbf{B}}$ Vector, Creates IN

ORBIT, \mathbf{r} , the Perpendicular Magnetic-Field $\overline{\mathbf{B}}$, which Magnetic-lines are the Energy circles \mathbf{O} in \mathbf{B} , Due to the velocity-constituent $\mathbf{V_p}$, Perpendicular to Magnetic-circles \mathbf{O} . The velocity - constituent $\mathbf{V_v}$ is Perpendicular to the , Plane of Magnetic - Circles - \mathbf{O} , and Pushes the O-Plane along a straight line .i.e. Magnetic-Field is the Store of Energy .

The continuous change of direction of the Electron Orbit-Velocity-Vector $\bar{\mathbf{v}}$, related to



 $L \equiv S \equiv Spin$, Creates the Base of Propagation of it in Hydrogen-Orbit by using the Electromagnetic-Wave E , B , as an Energy-Transported-Box .Because during motion is **Produced-Work** , which is **Conserved in Orbit** so , Orbit occupies Energy as frequency differing that of Energy-levels . i.e. **Energy = motion** Propagates , *travels* , as **Magnetic - Field \overline{B}** which is the Box , and as **Electric-Field \overline{E}** which is **The Thrust** of the Box .

Since this frequency $f_N=f_R=2$,8398447.10¹⁰ s⁻¹ exists in all Atoms , it is The Resonance - frequency between All Atoms and Molecules in this Cosmos . For Half-frequency $f_R/2=1$,4199223.10¹⁰ s⁻¹ , then Kinetic Energy is zero and Potential-Energy is , $\mathbf{U}=\mathbf{E}=\mathbf{h}\;\mathbf{f}=6,62606957.10^{-34}.1,4199223.10^{10}=9,4.10^{-24}J=5,8722.10^{10}\;\text{eV}$, which agrees with Bohr-Magneton .

Because the Magnetic-field is created On-Orbit and Applied At-Nucleus with the same Effect then , exists LARMOR - Equation as , $w_0 = \gamma$. $\beta_0 / 2\pi$, and for the Hydrogen at 1,5 T Magnet , $\gamma = 2,675$. $10^8/{\rm sT}$, $\beta_0 = 1,5$ T , then $w_0 = 63,864$ MHz = $63,864.10^9$ Hz , frequency f $_N = w/2\pi = 1,016457$. 10^{10} s $^{-1}$ or is , The Communication-Tool , *The Identity-Card* between all Atoms relations.

From Orbit-equation ,
$$\bar{\mathbf{v}} = \sqrt{\frac{2}{m} \left[E - \left\{\frac{\mathbf{k}}{\mathbf{r}} + \frac{\mathbf{S}^2}{2m\,r^2}\right\}\right]}$$
 and for $v = 0$ then $E = \left\{\frac{\mathbf{k}}{\mathbf{r}} + \frac{\mathbf{S}^2}{2m\,r^2}\right\}$ and for $r_p = L^2 / \left[GM\ m^2\right] = S^2/m^2GM$ then $\mathbf{E} = \left\{\frac{\mathbf{k}.GM.m^2}{L^2} + \frac{\mathbf{S}^2}{2m\,r^2}\right\} = \left[\frac{\mathbf{k}.GM.m^2}{S^2} + \frac{\mathbf{m}.[GMm]^2}{2.S^2}\right]$, and Energy $\mathbf{E} = \left[\frac{GM.m^2}{2\ S^2}\right]$. [2k+GMm] $\equiv \frac{\mathbf{k}_0}{2\ S^2} \equiv \mathbf{Constant}$ and $\mathbf{Halve\text{-}Spin\text{-}Inverse\text{-}Squared}$,

i.e. Energy \equiv motion, And transported in Caves as their Spin-Position, S, which Thus, defines The Identity of Orbits in all Atoms and Molecules.

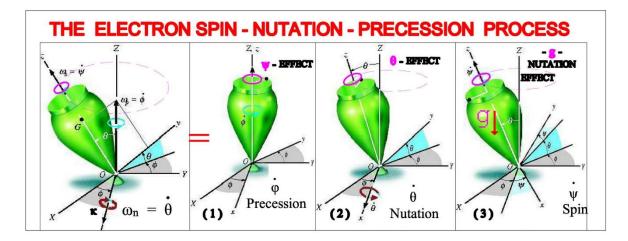


Figure - 9 - The Effect of Gravity ,g, on Electron-mass Originates Electron-Nutation θ , in Electron-Precession , ϕ , and changes Electron-Spin-Direction , ψ . The Produced-Energy is stored in Magnetic field $\overline{B}_p=2\pi.m_p.f_r\,/\,\overline{q}_p$ The Data In A - Cave -Site :

- a).. Spin is a Couple of Forces [+ F , F] following the Vectors Rules . Figure-11-
- b).. Electron [of Charge] moving in Orbit around the Nucleus creates a Magnetic Field tilted to Electron's-Spin [$M_O = S_O$], therefore it's *tilted axis precesses*.
- c).. Nucleus-Spin-axis is tilted with Orbit`s-Spin-axis ,but because the two free-Couple Vectors $[M_N = S_N \text{ and } M_O = S_O]$ may be resolved into component vectors and the **Resultant** M_T , which is the Diagonal (Magnitude) of the Parallelogram with sides

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- equal to S_N , S_O , Changes, according to their rotation axis with an angle, $d\psi$. At Nutation-Period, M_O is Swinging in circular-Magnetic field and angle, ϑ , Decreases, so the Diagonal Spin-Resultant $M_T = S_N + S_O$ Increases and the Produced Energy is supplied into the nearest Precession-frequency-System which is the classical Current-loop of masses, as [The, m_N , m_O Current-loop] \equiv The Energy-Proton-Cantilever-Vector or the Hydrogen-Bracket N-O.
- d).. Gravitation-Force through Gravity is continually acting on Orbit-Electron-Spin. The tilted axis of **Electron-Spin precesses** by changing the Direction of N-O lever arm, from the Nutation of Precession in the Magnetic-field due to the Negative,—, Charge, and from the tilted axis of Nucleus-Spin which continually precesses in the Magnetic field. The produced Energy as Resonance frequency f_R is added in N-O loop or in \rightarrow [The m_N , m_O Current-Potential-loop E = U(x)] as before.
- e).. In Hydrogen-Atom`s case, The transferred-Energy in Current-loop N-O, is that of Electron-motion with light velocity in the circular-Magnetic-field-lines which are Perpendicular to the Orbit. This Magnetic-field is related to m, q, f units.

The Direction x-x , of the two Couples of Oscillation is that of the two masses as are m_N , $m_{o\;\equiv\;e}$ of Current-loop which is continually altered because of the Polhode curve . Since the Total Angular Momentum $M_T=M_N+M_O$ where $M_T=L=S=I\;x\;w$, and is Swinging on the Precession-circle and w-Nib on Polhode curve , therefore the Resultant M_T , Resonates with the Quantum frequency f_R of the cave to form with $\pm q$ Charges the Magnetic Field \overline{B}_R . At Nutation-Period , M_O is Swinging and angle 9, Decreases or Increases , so the Diagonal-Resultant M_T Increases or Decreases and the Energy is transferred in \rightarrow $[m_N$, m_O Current-Potential-loop U(x)] \equiv The-Proton–Vector Bracket], since $K_E=0$. The bound states of the Hydrogen have Negative - Energies because Proton and Electron can never become infinitely-distance.

Kinetic-Energy K_E , is supplied in the form of a Rotating-Nucleus-Magnetic field IN ORBIT-RIM N-O, which is applied for a short time in Plane \bot to the variated $\overline{\mathbf{R}}$ vector and which is rotating very near to the Resonance (precession) frequency of the Nucleus Protons. $[m_N$, $m_{o\equiv e}$ Current-loop Increases its $P_E\equiv U(x)$]. This ORBIT-RIM is \to the Nucleus-Orbit Vector-Bracket \leftarrow Oriented in Spin axis. The Energy-Nucleus-Orbit-Vector - Bracket , of The-One-Proton-Atom issues and for the multi Proton and Electrons in Orbits and the variated vector $\overline{\mathbf{R}}$ as in (1a).

Remark-1 \rightarrow Hydrogen Atom with One **Nucleus** of Spin $\{+\frac{1}{2}\}$ and one **Electron** in

Energy-Orbit of Spin $\{-\frac{1}{2}\}$, Is a Nucleus-Orbit-Magnet $\equiv \bigoplus$ Proton $\iff \bigoplus$ Electron which ORIGINATES The-Constant-Resonance-frequency f_R between them , becoming from the Eternal-changeable-motion of the Electron around the Nucleus and from the Produced Variable – Magnetic - Orbital-Fields.

Since the Total-Spin in Hydrogen is measured and at the Nucleus-Position then , Protons Absorb Energy from The-Electron-Spin which is moving in its different directions , and Store it as a Resonance-frequency f_R , IN ORBIT-RIM N-O . This Orbit-Rim which is [The , m_N , m_e , Current-loop] , continually increases its Energy and so produces a Signal , f_R , in The Hydrogen-Atom , i.e.

Gravity g , acting On The Varying-Velocity \acute{x} of the Orbiting-Electron Creates , The Nutation of Electron , which Work is Conserved as The-Electron-Magnetic-Field and magnetic moment , $\overline{\mu}$, in a time T , and as a Resonance-frequency f_R . When velocity $\acute{x}=0$ then E=U(x) , i.e. the Signal is the Increasing - Potential Energy in loop .The [m_N , m_e ,Current-loop] consists the Energy-Bond between Atoms and is the Communication-tool , *The Resonance Signal* , in all Universe .

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 $\underline{Energy\ equation\ is} \to E_{loop} = E_{dipole} + \overline{\mu}\ .\ [\overline{\nabla} x \overline{P}] \equiv E_{dipole} + \overline{B}\ .[\overline{\nabla} x \overline{P}]\ ...(e)\ in\ which case\ ,\ \mbox{Of\ An-External-Magnetic-Field}\ ,\ P\ ,\ the\ Electron\ -\ Spin\ is\ swigging\ around\ the\ Magnetic-Vector\ and\ this\ Motion\ ,\ \it{the\ Nutation}\ ,\ is\ transferred\ to\ the\ Nucleus\ .$

The Produced-Work is The-Frequency $f_N = \frac{sQ}{2\pi J_3 w} \equiv f_R = 2,8398447.10^{10} \text{ s}^{-1}$.

IN MRI , this is the Transverse-Presession , where B-Vector creates an RF Signal from the Precessing Protons , and Conserved Energy is the frequency $f_N=f_R$. Because of the Magnetic-field created On-Orbit and Applied at-Nucleus with the same Effect then , exists LARMOR Equation as , $w_0=\gamma$. $\beta_0/2\pi$, and for Hydrogen at 1,5 T Magnet , $\gamma=2,675$. $10^8/{\rm sT},~\beta_0=1,5$ T , then an-frequency w=63,864 MHz $=63,864.10^8$ Hz , frequency $f_N=2\pi.w=4,012575$. $10^{10}~s^{-1}$.

Remark - 2.

The Accumulation of Energy as (e) creates the [The-Proton–Electron-Vector-Bracket] which is the BONDING - FREQUENCY , $f_N = \frac{sQ}{2\pi J_3 w}$, and Happens in the Maximum**Potential cave** E = -U(x), and which is needed for any **Two Atoms to Joint** and create the molecules . Resonance Phenomena in any Media (Mechanical ,Electrical ,Acoustic Magnetic) is that , for Response to be the maximum at a Specific-frequency f_R and **requires more Energy Input** including that of frequency. Nucleus with Spin S \neq 0 can absorb and emit Electromagnetic Radiation and undergo, **Resonance**, when placed in a magnetic field . This Uniform-Magnetic-field of Nucleus-Orbit [$p \leftrightarrow e$] already exists in Protons which Eternally becomes from the Swinging of the Electron-Angular-velocity Cone, with Spin-Vector \bar{S} in the axis of cone as Angular – Momentum - Vector, the **Polhode**, at a fixed Point of the **Central-Cone-circle**. Because of Gravity, \mathbf{g} , **SPIN** $\hat{\mathbf{\psi}}$, is under **NUTATION** $\dot{\theta}$, and the **Response** is the **PRECESSION** $\dot{\phi}$, or **ELECTRON-NUTATION** \leftarrow due to **Gravity** is applied for a short time in the **Plane Perpendicular**, \perp , to the variated Moment-Vector, $|\overline{R}| \equiv |M_T| = |M_N| + |M_O|$ and the Work produced is **Conserved** in \rightarrow Nucleus-Orbit [$\mathbf{p} \leftrightarrow \mathbf{e}$] \equiv the [Energy-Box] . The Angular-velocity-cone, $\overline{\mathbf{w}}$, is Rolling with Spin-Vector $\overline{\mathbf{B}}$ in the central cone. The Difference between the Potential-energy of the Orbit and that of the Electron-Nutation Precession with the lowest Potential energy, is the **Resonance** $-Frequency \equiv The Energy$. In figure 9, is shown the **Magnetic-Dipole-moment** of nucleus which is associated with the Orbital Angular Momentum $|\mathbf{B}|$, the Spin, resulting to the $R = |\mathbf{M}_T| = |\mathbf{M}_N| + |\mathbf{M}_O|$ When an External Static-Magnetic-field is present then \rightarrow The Spectral-lines \leftarrow Split into Multiple-closely-Spaced-lines, because of the Released-Energy in the

 $\textbf{Magnetic-Field} \text{ , Due to the Duality-Photon as , } \ \overline{v} \ [\frac{\sigma}{2\pi r} + \frac{\sigma\Phi}{2\pi r} \] \equiv \overline{v}.[\ \overline{\overline{f_n}} + f_n \] \ ,$

Above Zeeman-effect , ${\it In\ Astrophysics}$, is the trapping of Magnetic field ${\bf \overline B}_C \equiv [\frac{2\pi.m_T}{q_T}]$. f where frequencies are variated from Suns . ${\it In\ Lasers}$, the cooled-velocity-trapping which is related to the Frequencies , ${\it In\ Electric-Dipole\ Spin}$, is the controlling of the Magnetic moment ${\bf \overline \mu}={\bf \overline B}$ by flipping the orientation of the Magnetic - Moment .

As was calculated for the **Strength** of an **Magnetic-field** of 1 Tesla the Static-Moment = 1,174462.10⁻⁴ = 11,74462.10⁻⁵ eV. In the Absence of Electron , $|M_T| \equiv |M_N| \equiv$ The Spin exists only as Nucleus-Magnetic-Field \overline{B}_L . The Kinetic Rotational-Energy in a monad ,is the Scalar Quantity L=E, while the Vectors of , *Angular-Momentum* $\overline{B} \equiv \overline{S}$, and that of *Angular-Velocity* \overline{w} , are related in monads as \overline{B} . $\overline{w} = 2L = J$. w^2 Analysis in [90].



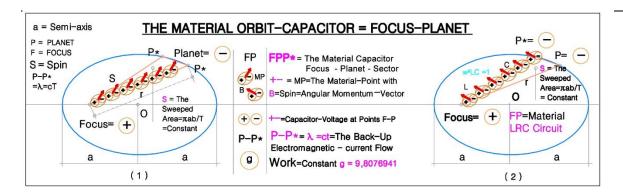


Figure -10-: The Material , **LRC Circuit** on **Orbit** , on Focus-Planet-Sector $|F \leftrightarrow P|$ **8e.. The Focus and the Signals in Orbits**

In the Undamped **Planck's** - Conservative -**System**, the Total-Energy in **Hydrogen-cave** is, -13,6 eV, corresponding to the Natural-frequency of the **Primary-Particle** with the less

Negative-Charge-frequency, which is **The electron** and which mass $\mathbf{m_e}$, and frequency $\mathbf{f_e}$ follow the minimum energy ${f g}$. Electrons-equation of motion is $\ddot x + w^2 x = 0$ with solution $4 \pi f_{e}^{2}$. $m_{e} = g$, where The Reaction to the Change of motion, Electron mass $m_{e} = \frac{g}{4 \pi f_{e}^{2}}$ and the Primary equation of Electron $\rightarrow \mathbf{w}_{e}^{2} \cdot \mathbf{m}_{e} = \pi \mathbf{g} = \mathbf{constant} \leftarrow$ Hydrogen-cave is a Vacuum in where exist also the Lattice-Stationary-Spinning-Material **Point**, where Energy in Cave a, is equation $E = \frac{k}{a} + \frac{L^2}{2m a^2}$ and Unit-energy k becomes from equation $a^3.f_n^2.k = 1$ and is $k = \frac{1}{a^2f^2}$, and from velocity $c = w = 2\pi f a$ is, $f^2a^2 = \frac{c^2}{4\pi^2}$ or $k \ a = \frac{4\pi^2}{c^2} \ \text{ and Resonance - Energy} \rightarrow \ E = \frac{ka}{aa} + \frac{L^2}{2m \ a^2} = \frac{1}{a^3} \left[\frac{4\pi^2}{c^2} + \frac{S^2}{2m} \right]$ **A...** The Gravity-System, It is Another Infinite \pm Equilibrium-Rotating vectors $\bar{\mathbf{r}}$, where for Stability $\uparrow \bar{\mathbf{r}} \downarrow \bar{\mathbf{r}} = \mathbf{0}$, and which *Gravity-System* interacts with *Hydrogen-Cave-System*. The condition for *Irrotational Energy* is $\rightarrow \nabla x \overline{B} = \nabla x \overline{S} = 0$, or $\nabla x \overline{B} = \nabla \overline{r} + 2\pi$ mf. $\overline{a} = 0$, and $\bar{r}=\pm\,2\pi mf.\bar{a}$. Vector \bar{r} , occupies Both directions for Rotational - equilibrium, i.e. The vector $\bar{\bf r}=\pm \ \overline{\bf B} \equiv \overline{\bf S_n}=2\pi m {\bf f_n}$, and ${\bf f_n}=\frac{B}{2\pi \ m_e}=\frac{E}{h}$, is the Stationary-Filling-Ocean of the Spinning-Gravity-Material Point, in the called Empty-Space, with frequency that of Material-Point \rightarrow $f_n = n.f_1 = \frac{E}{h} = \frac{n.v}{2\pi r} = \frac{n\sigma}{4\pi r} [1+\sqrt{5}]$, and from $v = w r = 2\pi f r$ then, $f_n = v/2\pi r = \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{\sigma.\Phi}{2\pi.r_n}, \text{ where } v = \sigma.\Phi \text{ , and Spin } S_n = \overline{B} = J \text{ } w = \pi^2. \text{ } r^4. \text{ } f_{n=e}$ **B...** The Hydrogen-Cave-System. From the Nucleus -Planet velocity equations $K_E = \frac{mv^2}{2}$ $E - \left\{ \frac{k}{r} + \frac{L^2}{2m \, r^2} \right\} = 0 , 4\pi f_e^2 . m_e = g , \text{ and for } E = \frac{\pi g}{r} + \frac{L^2}{2(g/4\pi f^2) \, r^2} = \frac{\pi}{g \, r^2} . \left[g^2 \, r + 2. \, S^2 . f^2 \right] = 0 ,$ then issues $g^2 r + 2. S^2.f^2 = 0$ or $f^2 = \frac{r.g^2}{2L^2} = \frac{r.g^2}{2B^2w^2} = \frac{r.g^2}{2B^2(2\pi f)^2} = \frac{r.g^2}{8B^2\pi^2.f^2}$, since 2L = B w, then the Cave-Resonance-frequency of Nucleus-Planet is $\rightarrow f_c^4 = \frac{r_c \cdot g^2}{8\pi^2 S_c^2}$ f.(c) where $\mathbf{r_c}$ = Nucleus –Planet-Segment , and $\mathbf{S_c}$ = the Spin of cave , consisting the Cave-System . Communication between the two Systems happens with their Resonance-frequency, and when $\mathbf{f_n}^4 = \frac{\sigma.\Phi}{2\pi r_n}|^4 = \frac{\mathbf{r_c.g^2}}{8\pi^2 c_n^2}$ or as $\sigma^4.\Phi^4.[8\pi^2.\mathbf{S_c}^2] = \mathbf{r_c.g^2}.[16.\pi^4.r_n^4]$. Rearranging $\sigma^4.\Phi^4.S^2_c = r_c.g^2.2.\pi^2.r_n^4$, or $|\frac{\sigma}{r_n}|^4 = \frac{2.\pi^2.r_c.g^2}{\Phi^4.S_c^2} = \frac{2.\pi^2g^2}{\Phi^4}[\frac{r_c}{R^2}] = \frac{16.\pi^4.f_n^4}{\Phi^4}$, and Resonanse



frequency $f_{\text{Resonance}}^6 = \frac{g^2}{8\pi^2 r_c^2 B^2}$, and $f_{\text{Res}}^3 = \frac{g}{2\sqrt{2}.\pi r |B|}$, or $f_{\text{Resonance}}^2 = \frac{g}{\sqrt{2}.\sigma \Phi |B|}...(f.r)$

This **Frequency-Path-way** through the line-Series of the infinite Spins $\overline{\mathbf{B}}$, which Spins are Oriented and Reoriented Spins, from The **Two-Types of Material-Points**, shows the way that Planet \mathbf{P} , and Nucleus \mathbf{N} , are continually **communicating each other**.

The Kinetic-energy in Planck's System for any two masses $\,m_1^{}$, $m_2^{}$ $\,$ is as ,

Total Kinetic Energy \rightarrow E = $\frac{1}{2}$.m₁. $v_1^2 + \frac{1}{2}$.m₂. v_2^2 , and because $v_1 = v_2 = v$, then

$$E = \frac{v^2}{2}[m_1 + m_2]$$
, and since $m_1 = \frac{F}{g_1}$, $m_2 = \frac{F}{g_2}$, $\overline{v} = \overline{r}$, and for Unit Work $E = 1$,

becomes.

$$\mathbf{E} = \frac{\mathbf{v}^2}{2} \left[\mathbf{m}_1 + \mathbf{m}_2 \right] = \frac{\mathbf{r}^2}{2} \left[\frac{F}{g1} + \frac{F}{g2} \right] = \frac{F \cdot \mathbf{r}^2}{2} \left[\frac{1}{g1} + \frac{1}{g2} \right] = \frac{F \cdot \mathbf{r}^2}{2} \left[\frac{g1 + g2}{g1 * g2} \right] = \frac{F \cdot \mathbf{r}^2}{2} \left[\frac{2 \cdot g}{g^2} \right] = \frac{F \cdot \mathbf{r}_c^2}{g} = \mathbf{1} , \quad \text{i.e.}$$

Unit Work of force, F, between Two masses of constant Distance rc is Proportional

to a Constant and Minimum Acceleration , **g** , the Layer , Stress $g \equiv 9$, 8076925 , and is inverse square to the distance as $F = \frac{g}{r_c^2}$ (r) \rightarrow is Newton's and Coulomb Laws \leftarrow

Gravitational-Constant Force $\equiv G$, is Spread -over a minimum - Surface, the Layer or Conductor or, a-Surface, or The-Permissible-Path, in-where exists this Reaction and called the mass. The Surface-force, $\mathbf{g_G}$, becoming from the inner acceleration $\mathbf{f_n}$ of the Material-Points as Vector, $\overline{\mathbf{r}} = \pm \ \overline{\mathbf{B}} \equiv \overline{\mathbf{S_n}}$, is acting on Spins $\overline{\mathbf{B}}$, and all the masses of the universe, or is Action of $G \to \text{on } \overline{\mathbf{g}} \to \text{on } \overline{\mathbf{B}} \equiv \overline{\mathbf{S}} \to \text{on } \mathbf{g_G}$, through $\mathbf{f_{Resonanace}}$

Since $\mathbf{f}_{\text{Resonance}} = \sigma \Phi^3 = G$, then $\sigma = \frac{G}{\Phi^3} = \frac{G \cdot \sigma^3}{c^3}$, and $\sigma^2 G = \mathbf{c}^3$, where σ , is Stress

$$\sigma_{Res}$$
 between all frequencies . Stress $\sigma = \sqrt[2]{\frac{c^3}{G}} = \frac{(2,9982.10^8)^3}{(6,673692.10^{-11})} = 6,3548867.10^{17}$ Kg/m2

A clear Magnetic-Resonance-Imaging is Possible in [MRI] and to the other Media - MB under a Common-Detector-Frequency. In the One degree of freedom Vibration of a mass , \bm{m} , and Stiffness , \bm{k} , in a distance , \bm{a} , is for , w 2 = [k/m] the equation , m \ddot{x} +w 2 x = 0 ,

with solution \rightarrow the Period $\mathbf{T} = 2\pi^2 \sqrt{\frac{m}{k}}$, frequency $\mathbf{f_H} = \frac{1}{2\pi} \sqrt[2]{\frac{k}{m}}$, and Energy = h f_H(1)

From Orbit-equation $\overline{\mathbf{v}} = \sqrt{\frac{2}{m} \left[\mathbf{E} - \left\{ \frac{\mathbf{k}}{\mathbf{r}} + \frac{\mathbf{S}^2}{2m \, r^2} \right\} \right]}$ and for $\mathbf{v} = \mathbf{c}$ then, $\mathbf{E} = \frac{mc^2}{2} + \frac{\mathbf{k}}{\mathbf{a}} + \frac{\mathbf{L}^2}{2m \, a^2} = \mathrm{hf}_{\mathrm{R}}$

Hydrogen Diameter
$$\mathbf{a}_{H} = \sqrt[3]{\frac{1}{g f^{2}}} = \sqrt[3]{\frac{h^{2}}{g E^{2}}} = \sqrt[3]{\frac{[6,62606957..10^{-34}]^{2}}{9,808.(13,6.1,60218.10^{-19})^{3}J}} = 2,1145016.10^{-11} \text{ m}$$

The constant Energy \mathbf{k} , in Orbit is $k = \frac{L^2}{2m \, a}$ and depends on Total-mass-cave $m = M_T$.

For Total mass $\mathbf{M_T}$ issues *The Parallel Connections Resistors* inverse law as in Electricity . The Parallel LRC Circuit , with Impedance \equiv Composite-Resistor of the R,L,C calculates the *Impedance* of the Parallel RLC circuit and the *Current* drawn from the Supply .The Complex

- 1. Impedance is $Z_T = \sqrt{R_T^2 + [L_T C_T]^2}$, where $(w_0)^2 = LC$
- 2.. Total-Resistor $R_T = \left[\frac{1}{m_1} + \frac{1}{m_2} + \frac{1}{m_3} + ... + \frac{1}{m_n}\right]$, Total-Inductance $L_T = \left\{ \left[\frac{1}{q_1} + \frac{1}{q_2} + ... + \frac{1}{q_n}\right] \right\}$. W_0
- 3.. Total-Capacitance $C_T = \frac{1}{C_T} = \left[\frac{1}{n_1} + \frac{1}{n_2} + ... + \frac{1}{n_n}\right]$. w_o, and supply the Current $I_s = \frac{V_s}{Z_T}$. and
- 4.. $\mathbf{f_{Reson}} = \sqrt[4]{\frac{1}{4\pi^2 \text{m.a}^3}}$, with Impedance \equiv Resistor and $\mathbf{w}_0 = 1$ System-Resistor unaffected.
- F.. : THE NEW ATOMS –STRUCTURE.
 - 1f.. The Structure of Atoms in Planck-Cave $L_P \equiv e^{-i(\frac{5\pi}{2}).10}$

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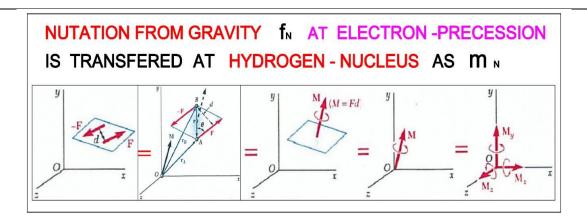


Figure - 11 -: The Orbit-Electron-Spin is applied on the Nucleus-Proton-Spin :

Spin is a Free-Vector of Electron and can be applied at **Any-Point** with the same effect. Couple \equiv Moment M =Fxd \rightarrow Vector, and may be resolved into Component-vectors Electron-Nutation-Vector $\mathbf{M_0}$ is the Resolved Component-vector $\mathbf{M_N} + \mathbf{M_0}$ at Nucleus. Hydrogen Cave . Atom Cave is a Potential of 13,60 eV becoming from the Energy-Cave Kepler equation, $a^3 f^2 g = 1$, or $a = \sqrt[3]{1/g f^2} = 2$, 1145016.10⁻¹¹ m, in the Planck cave $L_{\,P} \equiv \,\, e^{-\,i.\left(\frac{5\pi}{2}\right).10} \,\, \equiv \sqrt{3}.\pi. \,\, 1,\, 616199.10^{-35} \,\, \, \text{m} \,\, . \, \, \text{The why such , was prior referred in 6d} \,\, .$ The Quantization of Energy \equiv Angular-Momentum \equiv r m v, which consists the three Elements $\mathbf{r} = \text{The Planet-Focus line}$, $\mathbf{m} = \text{The masses}$, $\mathbf{v} = \text{The velocity of mass which}$ follow Kepler-second-law where for radius r, sweeps out Equal-Areas in equal times and consequently **Energy-Quantization** becomes from equation $a^3.f^2{}_n.k=1$ where $k=[\frac{4\pi^2}{GM}]$. The Unit-Work occurs in Hydrogen cave following Kepler-first law in Orbits , $4\pi^2.r^3f^2_{\ p} = k$, which k = The Quantized Work W = $v^2 \left[\frac{h}{2\pi} \right]$ or Work = $k = 4\pi^2 \cdot r^3 f^2_p$ and being equal to the Unit-prior and so $\mathbf{k} = 4\pi^2 \cdot r^3 f_p^2 = \frac{1}{f^2 r^3}$ which results to the Resonance frequency f_R as $f_R = \sqrt[4]{\frac{1}{4\pi^2 \, m \, r^3}}$ of cave r, and from f_R the **Resonance Step-cave** $\rightarrow a = \sqrt[3]{\frac{1}{g \, f_R^2}}$.. (1) **Atom-Cave** is a, **Heap of Masses** M_T , *Protons Electrons and Neutrons*, and Charges Q_T , Protons and Electrons, following the Lorentz force equation $F = q.[E + v \times B]$ where E = 0and Force is $\overline{F}=q$. $\overline{v} \times \overline{B}$. The Created Magnetic-Field $\overline{B}_F=|\frac{2\pi.M\ _T}{O_T}|f$, where in it Energy \equiv motion is Quantized, i.e. Magnetic-Field \overline{B}_F is the Store of Energy in motion $\ddot{x} + w^2 x = 0$ The Resonance Energy E_R , becomes from The Moving Electron in Orbit of charge $\ \overline{q} = \bigcirc$ with the **Orbit-Velocity-Vector** $\bar{\mathbf{v}} = \sqrt{\frac{2}{m} \left[\mathbf{E} - \left\{ \frac{\mathbf{k}}{\mathbf{r}} + \frac{\mathbf{L}^2}{2m \, r^2} \right\} \right]} = 0$, and this because charge $\bar{\mathbf{q}}$

Creates the Electric-field $\bar{E} \perp \bar{B}$, with resultant force F acting on Electron . For c=0 then 45

Photon Particle, Photon Wave OR The Duality Photon ???

Creates IN Orbit, r, the Varying and Perpendicular Magnetic-Field, $\overline{\mathbf{B}}$, which in time-turn



In Orbit exists **Only-Potential-Energy** of Orbit , and $E = \frac{k}{a} + \frac{L^2}{2m a^2}$, and using Kepler's law for equal-areas $\mathbf{k} = \frac{L}{2 \text{ m}}$, and constant Planets relation $\frac{T^2}{a^3} = k = \left[\frac{4\pi^2}{6 \text{ m}}\right] = 2,97.10^{-19} (\text{s}^2/\text{m}^3)$ in Planck's length $\mathbf{a} = \sqrt[3]{\frac{1}{k \cdot f^2}}$ then $\mathbf{k} = 1/a^3 \cdot f^2$, and **Energy** $\mathbf{E} = \frac{1}{a^3 \cdot f^2} \left[\frac{1}{a}\right] + \frac{L^2}{2m \cdot a^2} = \frac{1}{a^4 \cdot f^2} + \frac{L^2}{2m \cdot a^2} + \frac{L^2}{2m \cdot a^2} = \frac{1}{a^4 \cdot f^2} + \frac{L^2}{2m \cdot a^2} + \frac{L^2}{2m \cdot a^2} = \frac{1}{a^4 \cdot f^2} + \frac{L^2}{2m \cdot a^2} = \frac{1}{a^4 \cdot f^2} + \frac{L^2}{2m \cdot a^2} + \frac{L^2}{2m$

 $\frac{1}{a^2} \left[\frac{4\pi^2}{c^2} + \frac{L^2}{2m} \right], \text{ or } \quad E = \frac{1}{a^2} \left[\frac{4\pi^2}{c^2} + \frac{L^2}{2m} \right], \text{ } a^2 = \left[\frac{1}{E} \right] \cdot \left[\frac{4\pi^2}{c^2} + \frac{L^2}{2m} \right], \text{ and Stored in the Magnetic field}$

i.e. Exists only $\mbox{\bf Potential-energy}~\mbox{\bf L}$ and the $\mbox{\bf \it Orbit}$ is that of $\mbox{\bf \it Circle}$.

and the Resonance-Energy $E_R = \frac{1}{a^2} \left[\frac{4\pi^2}{c^2} + \frac{L^2}{2m} \right]$ (2) and it is a **Signal**.

2f.. The Elements in the Atom cave \rightarrow { Masses – Charges – Caves }

 $\textbf{a-Proton} \bigoplus \rightarrow \text{mass} \ \ \textbf{m}_{\textbf{p}} = 1,672.10^{-27} \ \text{Kg} \rightarrow \text{Charge} \ \ \textbf{C}_{\textbf{p}} = 1,602.10^{-19} \ \text{C} \rightarrow \textbf{d} = 8,4.10^{-16} \ \text{m}$

b-*Electron* \bigcirc \rightarrow mass $\mathbf{m_e} = 9,11.10^{-31} \text{ Kg} \rightarrow \text{Charge } \mathbf{C_e} = 1,602.10^{-19} \text{ C} \rightarrow \mathbf{d} = 5,0.10^{-17} \text{ m}$

c-Neutron[⊕↔⊕]→mass $\mathbf{m_n} = 1,672.10^{-27} \text{ Kg}$ →Charge $\mathbf{C_n} = 0,0 \text{ C}$ → $\mathbf{d} = 1,7.10^{-15} \text{ m}$

d... Newton `s law for masses is \rightarrow Force \rightarrow $\mathbf{F}_{N} = \mathbf{G} \frac{m_{1}.m_{2}}{r^{2}}$

e... Coulomb law for Charges is \rightarrow Force \rightarrow F $_c$ = C $\frac{q_1.q_2}{r^2}$,

f – Kepler laws for Planets and Constant-Areas is , $4\pi^2$.m. $f_n^2 = k$, $k \cdot f_n^2 \cdot a^3 = 1$

g – Magnetic-fields laws for Charges and Periods is, $T = \frac{2\pi .m_T}{\alpha.\overline{B}_F}$, $\overline{B}_F = \frac{2\pi .m_T}{\alpha.T} = \frac{|2\pi .m_T|}{O_T}$ f

h – The United Newton-Coulomb **Electro-Mechanical** Equation , \mathbf{q} $\mathbf{\overline{B}_L} = 2\pi$ m f , and the Resonance frequency $\mathbf{f}^4 = \frac{1}{4\pi^2 ma^3}$, or $\mathbf{f}_R = \sqrt[4]{\frac{1}{4\pi^2 m.a^3}}$ between Charges and masses .

The Total-energy for Unit-mass $E_T = K_E + P_E$, is from equation $\acute{x} \equiv \sqrt{\frac{2}{m} \left[E - \{\frac{k}{a} + \frac{L^2}{2m \, a^2}\}\right]} = c$ where for $\rightarrow K_E = 0$, c = 0, $E = \frac{m.c^2}{2} + \{\frac{k}{a} + \frac{L^2}{2m \, a^2}\}$ \leftarrow Energy becomes $E = \frac{k}{a} + \frac{L^2}{2m \, a^2}$ or, Above configuration of, masses m_L , Charges q_L in a Hydrogen cave a, Forms an Harmonic Oscillator with a Natural Frequency f_R with the less Damping-factor (1/m).

The Quantum of a Magnetic -Field \overline{B}_L in a cave , a , is the Resonance - Magnetic Frequency , f_R , depended on the Stiffness , the Damping 1/m , of the cave per unit Charge q , as the Electro-Mechanic-equation - q . $\overline{B}_L = [2\pi.m_L].f_R \leftarrow \text{ where }$,

- 1.. Resistor R, in Electric Circuit corresponds the analogous Mass, m, in Mechanics.
- 2.. Inductor L, in Electric Circuit corresponds the analogous Energy, f, in Masses.
- 3.. Capacitor C, in Electric Circuit corresponds the analogous Magnetic, q, in Planes.
- **4..** Voltage V ,in Electric Circuit corresponds the analogous Field-Strength. \overline{B}_F , in Fields.
- 5.. The Parallel RLC-Electric-Circuits Create a *Resonant Frequency* stored in Magnetic Field \overline{B}_F , while the Charged Electrons are stored as Energy in Static-Electric-Field . Above configuration of , *RLC-Electric-Circuits*, forms a Harmonic oscillator in the Magnetic-field \overline{B}_F and the same for , *Masses*, *Charges*, *Caves*, as below,

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1...Case -A- \rightarrow 1-Proton $[\oplus]$, 1-Electron $[\ominus]$, 1-Newtron $[\oplus ひじ\ominus] - [\oplus \leftrightarrow \ominus]$:

$$=\frac{10^{31}}{8360}+\frac{10^{31}}{9.11}=\frac{10^{31}}{9.100084}$$
, and **The-One -Total-mass** $M_T=9,100084.10^{-31}$ Kg ...(a)

 $\begin{array}{l} \textbf{The Nucleus} \ \text{Total-Harmonic mass} \equiv M_T \ \ is \rightarrow \frac{1}{M_T} = \frac{1}{m_P} + \frac{1}{m_n} + \frac{1}{m_e} = \frac{10^{\ 27}}{1,672} + \frac{10^{\ 27}}{1,672} + \frac{10^{\ 31}}{9,11} \\ = \frac{10^{\ 31}}{8360} + \frac{10^{\ 31}}{9,11} = \frac{10^{\ 31}}{9,100084} \ \ , \ \text{and The-One-Total-mass} \ \ M_T = 9,100084.10^{-31} \ \ \text{Kg} \ \ ...(a) \\ \textbf{The Nucleus-Orbit} \ \ \text{Total-Charge} \equiv Q_T \ \ is \rightarrow \quad \frac{1}{Q_T} = \frac{1}{q_P} + \frac{1}{q_e} = \frac{10^{\ 19}}{1,6022} + \frac{10^{\ 19}}{1,6022} = \frac{10^{\ 19}}{0,8011} \\ \text{and Total-Charge} \ \ \ Q_T = 8,011. \ 10^{-20} \ \ \text{C} \qquad \qquad \dots \dots (b) \end{array}$

The frequency of the Closed-Nucleus-Orbit-System becomes from Kepler second Planetary law equation, $4 \pi^2$ m $f_0^2 = k$, and constant law of Areas $1 = k \cdot f_0^2 \cdot a^3$. Their common k,

is Constant-Energy
$$\to \mathbf{k} = 4 \, \pi^2 \, \text{m} \, f_0^2 = \frac{1}{f_0^2 \, a^3} \, \text{or} \, , \, f_0^4 = \frac{1}{4 \pi^2 \text{ma}^3} \, \text{and} \, \mathbf{f} = \mathbf{f}_R = \sqrt[4]{\frac{1}{4 \pi^2 \text{m.a}^3}}$$

With this way, *Impedance* \equiv *Resistor* and $w_0 = 1$, the Resistor in the System is unaffected by the frequencies of Inductive and Capacitive Reactance and the Total-Resistance becomes

as the above
$$\mathbf{m}=M_T=9,\,100084.10^{-31}~Kg$$
 . The Resonance-Cave-frequency is as (c) ,
$$f=\sqrt[4]{\frac{1}{4\pi^2m.a_H}}=\sqrt[4]{\frac{1}{4\pi^29,100084.10^{-31}(2,1145016.10^{-11})^3}}=\sqrt[4]{2,94439610^{60}}=1,3099329.10^{15}H..(c)$$

Coulomb-law issues between Nucleus and orbit diameter *Charges* $d = 10^{-10}$ m, while Newton's-law issues for all *masses* between Nucleus and Nucleus-Orbit $d = 10^{-14}$ m. and is Universal law such in microcosm or as in all macrocosm, and this because of G.

The System $M_T = \text{masses}$, $Q_T = \text{Charges creates a constant Magnetic-field}$ $\overline{B}_F = |\frac{2\pi.M_T}{O_T}|f$

9,3492068.10⁴ Tesla(d) i.e. $\overline{\mathbf{B}}_{\mathbf{F}} = 93,492068$ Kilo-Tesla, \rightarrow the Strength of a

Non - Magnetar Neutral star,

since $1\text{Tesla} = [\text{N.s/C. m}] = [\text{N/Ampere .m}] = [\text{Kg/C.s}] = 10^4 \text{ Gauss} = 10^{-9} \text{Mega-Tesla}$

Resonance-Cave
$$\mathbf{a} = \sqrt[3]{T^2/g} = \sqrt[3]{1/g} \, \mathbf{f}^2 = \sqrt[3]{1/g} \, [1,3099329.10^{15}]^2 = \sqrt[3]{7,78342.10^{-33}}$$

= 1,9817863.10⁻¹¹ m , and the **Resonance - Energy**
$$E = \frac{1}{a^3} \left[\frac{4\pi^2}{c^2} + \frac{L^2}{2m} \right]$$
 , where

L = the Spin S = 5,691952. $10^{-34} \{ Kg/m/s \}$, mass $M_T = 9,100084.10^{-31} Kg \text{ of System}$,

$$\label{eq:continuous} \boldsymbol{c} \equiv 2{,}998.10^8 \ \text{m/s} \text{.} \quad \boldsymbol{E} = [\ 2{,}5461638.10^{22}] \ \text{x} \ [4{,}392086.10^{-16} + 1{,}780111.10^{-37}\] = 10^{-16} + 10^{-1$$

=
$$1,118297.10^{7} J + 4,5324541.10^{-15} J$$
(e)

i.e. Energy in Electron-Orbit is 1,118297.10 ⁷ J, or 11,2 Million Joules,

2.... Case –B. \rightarrow 1-Proton $[\bigoplus] \equiv$ An Ion-nucleus :

The Nucleus Total-Harmonic mass $\equiv M_T$ is $\to \frac{1}{M_T} = \frac{1}{m_P} = \frac{10^{27}}{1,672}$ and $M_T = 1,67.10^{-27}$ Kg or $M_T = 1,67.10^{-27}$ Kg / 1,66053886.10⁻²⁷ amu = 1 am

The Nucleus-Orbit Total-Charge $\equiv Q_T$ is $\rightarrow \frac{1}{Q_T} = \frac{1}{q_P} = \frac{10^{19}}{1,6022}$ and $Q_T = 1,6022. \ 10^{-19}$ C. The Resonance-Cave-frequency is $f = \sqrt[4]{\frac{1}{4\pi^2 \text{m.a}_H}^3} = \sqrt[4]{\frac{1}{4\pi^2.1,672.10^{-27}8.(2,1145016.10^{-11})^3}} = 0.$

 $\sqrt[4]{2,0031592.10^{60}} = 1,189676.10^{15} \text{ H} \dots (1)$. The System $M_T = \text{masses}$, $Q_T = \text{Charges}$



 $\overline{B}_F = 4.1464883.10^7$ Tesla \rightarrow the Strength of a Non-magneton neutron-Star,

Energy in an Proton-cave of Proton radius $\, r_{\,p} = 8{,}42.10^{-16} \,$ m , follows Energy-equation

$$E = \frac{1}{a^3} \left[\frac{4\pi^2}{c^2} + \frac{L^2}{2m} \right] \text{ , where } L = \text{the Spin } S = 5,691952. \ 10^{-34} \{ Kg/m/s \} \text{ , } c \equiv 2,998.10^8 m/s \text{ .}$$

mass
$$M_T=1,67.10^{-27}$$
 Kg of System , and Energy is $E=[\ 1,4105087.10^{30}]$ x[-] $[4,392086.10^{-16}+9,7000946.10^{-41}\]=6,1950755.10^{14}$ J + 1,3682067.10⁻¹⁰ J

For the **Ion-Proton**
$$E = \frac{k}{a} + \frac{L^2}{2m a^2} = \left[\frac{L}{2m}\right] \cdot \frac{1}{a} + \frac{L^2}{2m a^2} = \frac{L}{2a.m} \left[1 + \frac{L}{a}\right]$$
 where \mathbf{a}_p is Proton-cave

L is the Spin S, and m is the mass of Nucleus, Placing above quantities then Energy is

$$E = \frac{5,691952.10^{-34}}{2.1,67.10^{-27} \cdot 8,4.10^{-16}} \left[\ 1 + \frac{5,691952.10^{-34}}{8,4.10^{-16}} \right] = 2,028782.10^8 \ + 1,3747296. \ 10^{-10} \quad Joule \ .$$

i.e. Energy of *Charge-Proton* is $0, 203.10^9 \, \text{J}$, or $0,203 \, \text{Giga-Joules}$ and , it is about equal to the *Reduced Planck energy* .

Remark : Cave is composed of One mass in its Proton-cave with an *Magnetic-field* Strength $\overline{B}_F = 4,1464883.10^7$ Tesla = **41,464883Mega-Tesla** ,with a *Frequency* f $_R = 6,32705.10^{14}$ H. The fact that Atom`s-nucleus occupies such Energy as that of Neutron stars , consists the Atom as the strongest massive element in nature . This quantity consists the minimum **Quantum of Energy** in this cave and can be said is the **Quantum of Magnetic-Energy** in Atom .

This case is very interesting because it is the Quanta of Electron in microcosm and macrocosm i.e. the Spin of Electron is squeezing in the direction of the field - *Space* . **Since Energy is on Magnetic-moment axis and Spin Precesses** , the highly magnetized vacuum must behave like a Prism that **Polarizes the light** , this happening because of the Two-Magnetic-fields in Atom . Birefringence also split X- ray Photons into two

3f.. The New Electromagnetic-Structure of Atom.

n... Case –N. → n-Proton
$$[\oplus]$$
, n-Electron $[\ominus]$, n-Neutron $[\oplus \circlearrowright \circlearrowleft \ominus]$ = $[\oplus \hookrightarrow \ominus]$:

From a **Set of infinite rest, or, moving Units** choosing **Two of them**, is consisted, and is found, the Mendeleyev Periodic table in Planck's level ${\bf 10}^{-35}$ m (this Property issues in all Geometrical caves and in a cave of, ${\bf 10}^{-62}$ m, which is the Gravity level in which Gravity - Field exists), and also all models of the atom as follows,

a... In Set $\downarrow \equiv \{\text{Mould} \equiv \text{Space} \equiv \text{Cave}\} \rightarrow \text{The minimum Number of Points in each Energy-Level is}$

- 1 for Material-Point, \rightarrow 1 Point. $\times 2 = 2$ Elements,
- 2 for Line-sector, \rightarrow 2 Points x 2 = 4
- 3 for Plane, \rightarrow 3 Points x = 2 = 6
- 4 for Volume, \rightarrow 4 Points x 2 = 8
- **m** for **m**, Spaces. \rightarrow m Points x 2 = 2m

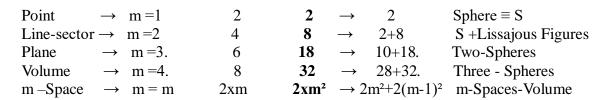
b... Elements \rightarrow The maximum number of Elements \equiv Digits in Material - Point is , 2 , [1 Positive \oplus and 1 Negative \ominus] consisting the \rightarrow Unit-M-P \equiv { $[\oplus \leftrightarrow \ominus]$, \oplus , \ominus }

The possible Repetitive-Permutations for moulds and Elements are $Mould^{Elements} = m^2$, for every mould, so the **Available -Extrema-Positions for each mould is** $2m^2$ and for,

<u>Point</u> E-<u>Elements</u>, <u>Material-Point</u>, <u>Permutations</u>, <u>m-Cave</u> Shapes, *are for*,

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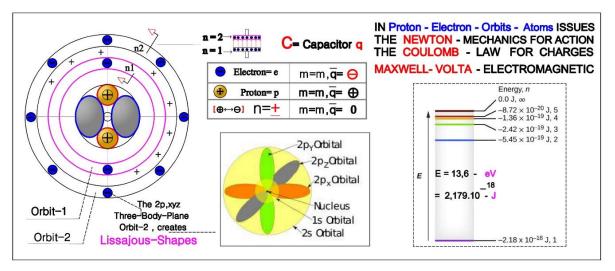


Figure-12-: The Analogous RLC-Electric-Circuit of Atom's Structure and Mechanics:

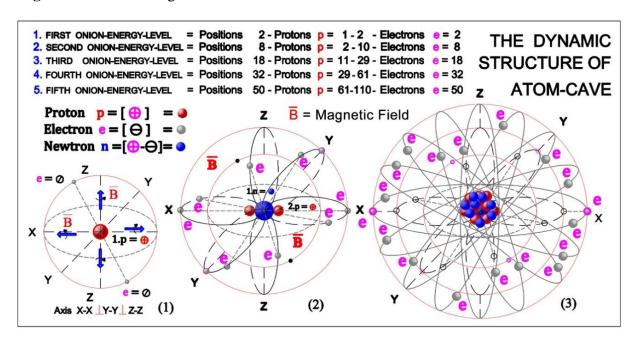


Figure-13-: The New **Energy-Atom-Cave Pattern**, In minimum Energy-Space , $\mathbf{p} \leftrightarrow \mathbf{e}$: **1..**Hydrogen-Cave becomes from Gravity , \mathbf{g} , entering the minimum cave \mathbf{a} of $\mathbf{g}.a^3.f^2_{\ \mathbf{p}}=1$ relation ,with the minimum Energy -13,6 eV .The Presence of a **Proton-Positive-Charge** $\overline{q}_p \equiv \bigoplus$, creates in cave \mathbf{a} the **Uniform-Magnetic-Field** \overline{B}_p , [**The-Material-Space**] as equation $\overline{q}_p.\overline{B}_p=2\pi.m_p.f_r$ which is the **Storage of Energy** in Hydrogen-Cave . In this UMF , Charges $\overline{\mathbf{q}}$, Orbiting in a Plane Normal to \overline{B}_p , their cyclotron-frequency \mathbf{f}_n is independent of the Particles-speed and radius allowing the acceleration of Charged Particles as the , Electrons $\rightarrow \overline{v}_e = 2\pi r. f_e$ and , Photons $\rightarrow \{\overline{c}.\overline{f_n} + \overline{c}.f_n\} \leftarrow$

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- 2.. The Presence of a Negative-Electron-Charge $\overline{q}_e \equiv \bigoplus$ in the Uniform-Magnetic-field $-\overline{B}_p$ experiences a Force , The-Lorentz-Force , when entering the Magnetic-field and since it occupies the constant-energy , $\overline{q}_e \equiv \frac{G}{c\sqrt{2}} = 1,59.10^{-19}$ C , then follows a Complete-circle The-Material-Space is \overline{B}_p , and defines the Number of the Material-Points in Spaces , as well as the Material-number Zero which is now included . The presence of Photons with this Dual frequency $\{\overline{c} : \overline{f_n} + \overline{c} : f_n \}$, Storage + Energy allows The Work \equiv Energy produced by Electrons , be Stored in Photons Storages .
- **3..** The Heap of Masses $\mathbf{m} = \mathbf{M_T}$ follow Newton laws , Charges $[\oplus, \pm \overline{\mathbf{q}}_{\mathbf{p}}, \ominus]$ the Coulomb law , Zero-Electron Charge $[\oplus \leftrightarrow \ominus] \equiv \pm \mathbf{0}$ the Material-Geometry-Rules , Arrangements **Positions** , \mathbf{n} , the Material-Geometry Rules of Permutations as follows ,
- a.. The **Three Elements** \equiv Digits of Material-Geometry are $\{ \bigoplus, [\bigoplus \longleftrightarrow \bigcirc], \bigcirc \} \equiv [+, 0, -]$
- b.. The **Permutation**, arrangement, of the Two-Elements is $P_1^2 = 2$, and these are two as $\rightarrow [\oplus, \ominus]$ and $[\ominus, \ominus]$. The number of **Permutation** with **Repetition** of the **Two**-Elements in $\mathbf{n} = \mathbf{2}$ in the Sub-Spaces is $\mathbf{P}_{\text{Elements}}^{\text{Moulds}} \equiv \mathbf{RP}_1^2 \equiv 2$, because the numbers in Material Geometry do Not begin with zero $[\ominus \leftrightarrow \ominus]$, as this happens in Euclidean-Geometry.
- c.. The Material-Spaces for 1- **Point** ≡ 2 Elements, A **Vector** ≡ 4 Elements, A **Plane** ≡ 6 Elements, A **Volume** ≡ 8 Elements, A **Space1volume** ≡ 10 Elements, A **Space2volume** ≡ 12 Elements, A **Space-n-volume** ≡ 2 n Elements in Regular Solids, [63]
- d.. The number of **Permutation** with Repetition of the **Two**-Elements in the **n-Spaces** and in the Two **Sub-Spaces** is $P_1^2.RP_2^n \equiv 2 \quad n^2 \equiv The Number of Electrons in Each-Space, A relation defining the number of Electrons in Orbits and The-Mendeleyev-Atoms-Table. Nature follows the Quantum-Space-Positions logic for each element agreeing with M-G.$
- e.. The number of **Permutation** of the **n-Spaces** and of Repetition in the **2-Sub-Spaces** of the **Two**-Elements $[\bigoplus$, \bigcirc] is equal to $P_1^2.RP_2^n + P_1^2.RP_2^{n-1} + ... \equiv 2 [n^2 + (n-1)^2 + (n-2)^2 + ...]$ denoting the Total-number of Positions in Hydrogen-Caves .
- f.. In Fig-13, *The Elements* \rightarrow **Proton** $\equiv \bigoplus$,**Electron** $\equiv \bigoplus$, is **The-Energy-Part of Atom**, while Neutron $\equiv [\bigoplus \longleftrightarrow \bigoplus]$, **The-Space-Part of Atoms** as $0 \equiv [\bigoplus \leftarrow r \to \bigoplus]$, which both consist , **The Energy-Space-Universe-Model** . Markos 3/12/2019 .

The Structure of Atom - Figure -13:

- In (1) is , The Point-Space-Cave with *One-Charge-mass-Nucleus* in Hydrogen-Cave , and Charge Orbit-Position-Elements m=0 , consists the **Proton-Ion** of Hydrogen-cave of Uniform-Magnetic-field-Strength = 4,1464883 Mega -Tesla and Cyclotron-**Frequency** $f_R = 1,189676.10^{15} \ H \ ,$
- In (2) is , The Vector-Space-Cave m=1, with Two-Nucleus-masses of One-Charge and with $2m^2=2$ Permitted-Orbit-Positions , per 2 Electrons for Stability, \rightarrow consists the first , 3 , Perpendicular-Plane-Permitted-Positions in Cave , for the \rightarrow Lissajous Eight Shapes . Because of the Linear-Vibrations [$\ddot{x} + w^2 x = 0$] of the three-masses , Occur on the Two Perpendicular each other , Line-Vectors of , $x \perp y$, Plane above Shapes which for ,
 - a.. Difference of Phase $~d_{\phi}=90^{o}~$ emission is \rightarrow The Eight-Shapes ~ CO .
 - b.. Difference of Phase $d_{\varphi} = 0^{\circ}$ emission is \rightarrow The Ellipse-Shapes \propto .
 - c.. Difference of Phase $d_{\omega} = 45^{\circ}$ emission is \rightarrow The Double-Saddle-Shapes . 8, GO.



For *One-Nucleus-mass* and *One-Orbit-mass* is produced the **Atom-Nucleus-Orbit-Hook** + Plane + [ANOH], which accumulates the Nutation-frequency used for Atoms-Bonding. For any two masses in Nucleus and one mass on Orbit, *three masses problem*, issues the $\mathbf{x} \perp \mathbf{y}$, Plane giving the Transverse Electromagnetic waves.

- In (2) is , The Plane-Space-Cave m = 2 , with [2+1] = 3-Nucleus-masses of 2-Charges and with 2m² = 8 Permitted-Orbit-Positions ,per 2 Electrons for Stability→ consists the Second Onion Plane-Energy-Volume ,enveloping the Priors ,Vector-Space-Cave m + Plane +Vector + Point + [ANOH] , and For the n-Proton [⊕] , n-Electron [⊕] , n-Neutron [⊕∪∪⊖] , issues the logic for Total number of Positions in the Hydrogen-Caves .
- In (3) is ,The Volume-Space-Cave m=3, with [11x2]=22-Nucleus-masses of 11- Charges and $2m^2=18$ Permitted-Orbit-Positions, per 2 Electrons for Stability—consists the Third Onion Space-Energy-Volume, enveloping the Priors, Vector-Space-Cave-m + Volume + Plane +Vector + Point + [ANOH], and for The Total Positions cave-number is filled with The Permutation number with Repetition of the Two Elements in the n-Spaces and the Two Sub-Spaces which is $P_1^2 \cdot RP_2^n \equiv 2 \cdot n^2$.
- In (3) is , The $\mathbf{m^{th}}$ --Volume-Space-Cave with , $\mathbf{m} = \mathbf{m}$, with $\sum_{1}^{n} [\mathbf{m_n} 1]^2 = \mathbf{M}$ -Nucleus-masses of $\{\mathbf{M/2}\}$ Charges and with $2\mathbf{m^2}$ Permitted-Orbit-Positions , per 2 Electrons for Stability, and consists the $\mathbf{m^{th}}$ Onion -Space -Energy-Volume -Cave , enveloping the Priors \rightarrow Volume + Plane +Vector + Point+ [ANOH] \leftarrow with the Three-Elements Space \oplus , Anti-Space \ominus , Material-Point $[\oplus \leftarrow \mathbf{r} \rightarrow \ominus]$, of Material-Geometry.

Because \overline{B}_F is Independent of the Electron-velocity v_e and of the Cave-radius r, therefore electron is not accelerated in Magnetic-Field, but its Strength is Dependent on f, and q only. Because of this Velocity-lag allows the in Hydrogen-Storage without Inverse Impedance which exists in M-Point. Above Property makes Hydrogen-Cave a *Uniform-Magnetic-field*, \overline{B}_F .

Photon was proved to be a Material-point in cave ${\bf r}$, where its Inner Storage is the Stationary-Standing-wave the Electromagnetic-Wave $[E^2+H^2]=2(2r)$.c.sin 2ϕ with n-Lobes representing the Normal mode vibration with frequencies $f_n=n.f_1=\frac{E}{h}=\frac{n.v}{4r}=\frac{n\sigma}{8r}$ $[1+\sqrt{5}]$ and Outward the Storage is the Electromagnetic-Wave $\rightarrow \{[\epsilon E^2+\mu B^2]=2.\lambda c.\sin .2\phi\} \leftarrow$ where Particle $2r=n\lambda$, Cave r, is the Electromagnetic Energy-Storage, and Electromagnetic Radiation E, B, is the Wave Conveyer of Cave, r, with frequency f=E energy E / Planck-constant h, or f=E / h which Photon-velocity $\bar{\bf v}\equiv\bar{\bf c}.[\frac{\sigma}{2\pi r}+\frac{\sigma\Phi}{2\pi r}]\equiv\bar{\bf c}.[\frac{\overline{f_n}}{n}+f_n]\dots(f-v)$ From relation Force $G=\sigma$ A = $(2\pi f\,r)\frac{A}{\phi}=w\,r=\bar{\bf c}.\frac{A}{\phi}$, i.e. Action of $G\to on\ \bar{\bf c}$ and, Following relation σ x $\Phi^3\equiv G$, from Energy-force F_g in $r=L_p$ Planck's scale of mass $m_g=J.w^2$, where angular-velocity $w=\frac{c}{r}$ and, The 3-Dimensional $[2^3=(\bigoplus\leftrightarrow\ominus)^3]$ Impedance g_Z , of Space $\ln(3)$ and Anti-Space $\pi\sqrt{3}$, Centrifugal-Force $F_g=\bar{\bf g}=m_g[\frac{c^2}{r}]=m_g[\frac{c^2}{r}]=J\,w^2.\frac{c^2}{r}.g_Z=[\frac{\pi r^4}{2}].[\frac{c}{r}]^2.[\frac{c^2}{r}].2^3.\ln(3).\pi\sqrt{3}\}=4\sqrt{3}.\ln 3.\pi^2rc^4=9,8076754$ m/s i.e. Gravity $\bar{\bf g}$, Is The effection of ${\bf G}$ Force, on $\bar{\bf c}$ light-velocity, In the 3-Dimensional Impedance of Space $\ln(3)$ and Anti-Space $\pi\sqrt{3}$ in 2^3 , Planck-length $L_P=r$,(g)



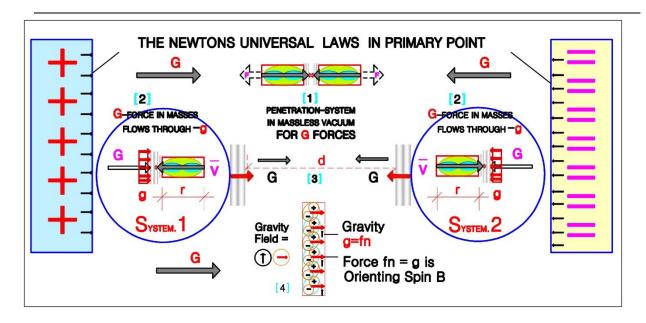


Figure – 14. The Newton's Universal Laws in **Primary-Material-Points**:

Above , is consisted of Two-Primary-Opposite-Spaces , $\{+\} \rightarrow \leftarrow \{-\}$, The Poles with Infinite points for Parallel-lines such that **G** is a **Uniform-Pointy–Force**. The STPL - Mechanism is for constructing the Elementary Particles while the Material - Point , Photon and Photon - Charge , Light velocity c , Gravity g , Electrons e and e— Charge , Hydrogen cave by the Gravitational constant G .

G... THE GRAVITATION CONSTANT G.

1g.. The Gravitation Constant G and Photon

In universe **exists Only-One-Force**, **The Gravitational-force** \mathbf{G} , which is constant in all universe, therefore being constant, becomes from an Conservative –System. In Mechanics, a force \mathbf{F} produces the Work \mathbf{W} , when it removes the point of action from a Position, \mathbf{A} , to another Position, \mathbf{B} , as the equation, $\mathbf{W} = \mathbf{F.ds}$, where ds = the displacement |AB|. This right definition automatically defines that all this work in universe, *which is Space and Energy*, has been produced by this Unique force \mathbf{G} . It was prior proved, that one of the smallest **Energy-Unit of Space** is that of Planck's length, and **is an Energy-cave**, and this because from (s) Space s = 0 and Type -s = 1. Energy which is motion is kept in Massive-Box-B_P called **Photon** or **Energy-Storage**.

The velocity of Photon is $\ \bar{v}$. [$\frac{\sigma}{2\pi r} + \frac{\sigma\Phi}{2\pi r}$] $\equiv \bar{v}$. [$\overline{f_n} + f_n$] , a Dual motion as ,

- 1.. Energy-Storage $S = [\bigoplus \leftarrow r \rightarrow \bigcirc] = \text{Particle } [\overline{\mathbf{v}} \cdot \overline{\mathbf{f}_{\mathbf{n}}}] \rightarrow [\overline{\mathbf{v}} = \overline{\mathbf{c}} = \lambda \frac{\mathbf{f}}{\Phi}] \rightarrow \text{i.e.}$ a Stationary Standing - Wave $\rightarrow [S = [EM-R = f_{1-N}, f_{2}, f_{2}, f_{3}, f_{5}, f_{5}] = \mathbf{w}^{2}]$
- a Stationary Standing Wave \rightarrow [S = [EM-R = $f_{1=N}$, f_2 , f_3 , f_D ,, $f_n = w^2$]. 2.. Energy-Motion M = \overline{v} - Vector = Wave [\overline{v} . f_n] = [f_1 = (E²⁺H²) = $n \frac{\Phi . \sigma}{2\pi r}$ = $\frac{\overline{B}}{\pi^2 r^4}$] \rightarrow i.e. a Propagating Wave {W = EM-R = [$\epsilon E^2 + \mu B^2$] = 2. $\lambda c. \sin. 2\phi$ }.

In both cases carry the in box Golden-ratio-frequency $\boldsymbol{\Phi}$, Everywhere and Anywhere such in microcosm and as in macrocosm.

Gravitational force G, in order to communicate with another velocity-vector \bar{v} which is axial also, is needed to Have a Reaction to this motion, i.e. Gravitational-Energy G through Waves $f_n \to [$ on Material-Point Unit Spin $S \approx g]$ is acting on Stress $g \to \bar{g}$. Force G is Spread in a Layer—a Field which is the Stable—Ocean-Spins S becoming from the Periodic motion, and thus Communicates through stress g on \bar{S} as Stress g, It was proved that the Electron-Spin is $\to S/2 = 1$,4603748. 10^{-34} Joules, which is



the same to the Material-point-Periodic-motion-Spin so ,from Bonded Tack-Geometry as .

- 1.. A Charged-Particle, is a Particle with an electric charge, \bigoplus or \bigoplus , produces an Electric-field $\overleftarrow{\mathbf{E}}$, which exerts a force $\overleftarrow{\mathbf{F}}$ on other charged Particles $\overleftarrow{\mathbf{e}}$. Positive charges $+\overleftarrow{\mathbf{e}}$ accelerate in the Direction \leftarrow of the Field $\overleftarrow{\mathbf{E}}$ \leftarrow and Negative charges $-\overleftarrow{\mathbf{e}}$ accelerate in a Direction Opposite \rightarrow to that of the field $\overleftarrow{\mathbf{E}}$.
- 2... A moving Charged-Particle, \bigoplus or \bigoplus , produces a Magnetic-field $\overleftarrow{\mathbf{B}}$, which exerts a force $\overleftarrow{\mathbf{F}}$ on other moving charges $\overleftarrow{\mathbf{e}}$. The force $\overleftarrow{\mathbf{F}}$ of these charges is always perpendicular to the Direction of their Velocity-vector, therefore *Velocity* does not change and only the *Direction* of the Velocity-vector changes.
- 3.. An accelerated-Charged-Particle $, \bigoplus$ or \bigoplus , produces an Electro-Magnetic-Wave $\overleftarrow{\mathbf{E}} \perp \overleftarrow{\mathbf{B}}$, *Perpendicular each other*, which are Electric and Magnetic fields travelling through empty Space with the speed of light , \mathbf{c} , and which is as a Charged-Particle oscillating about an fixed equilibrium Position . The oscillation frequency , f , is the same to the E-M-Wave and which wavelength $\lambda = \mathbf{c} / \mathbf{f}$. E-M-Waves transport Energy through Space and may be delivered any distance away from the Source .
- 4.. Accelerated-Charges produce, Changing Electric and Magnetic-fields alternately, which leads to the Propagating-Electromagnetic-Waves. The Un-bonded-Force G, or Gravitational-constant G, was shown to be the Electric-Field-lines, i.e. the SPACE of a Huge-Electrostatic-Magnet from the Infinite-Dipole-Opposite-Primary-Charges which is The-ENERGY PART, of the Two-Primary-Points ⊕ to ⊖ .[84-86]

2g.. The Electron and Photon charges:

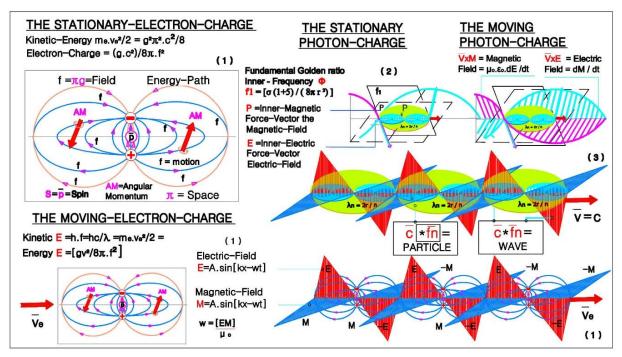


Figure 15. Conservation of motion \equiv Energy in the Primary-Material-Point-Field-lines :

 $\text{Photon} \equiv \text{Energy} \equiv \text{motion} \ / \ T \equiv (\frac{v}{2\pi r}) \ . \ [\sigma + \sigma \ \Phi] = \overline{\boldsymbol{v}} \ . \ [\ \frac{\sigma}{2\pi r} + \frac{\sigma \Phi}{2\pi r} \] \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\overline{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\overline{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad \equiv \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{v}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{f_n}} \ . \] \quad = \overline{\boldsymbol{f_n}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{f_n}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{f_n}} \ . \] \quad = \overline{\boldsymbol{f_n}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{f_n}} \ . \] \quad = \overline{\boldsymbol{f_n}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{f_n}} \ . \] \quad = \overline{\boldsymbol{f_n}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n} \] \quad = \overline{\boldsymbol{f_n}} \ . \] \quad = \overline{\boldsymbol{f_n}} \ . \ [\ \overline{\boldsymbol{f_n}} + \boldsymbol{f_n}$

Moving - Storage $\rightarrow [\ \bar{\mathbf{v}}.\overline{\mathbf{f}_{\mathbf{n}}^{\mathsf{T}}}\] \leftarrow + \text{Moving-Frequency} \rightarrow [\ \bar{\mathbf{v}}.\mathbf{f}_{\mathbf{n}}\] \leftarrow \equiv \text{Material-Point}$ i.e.

The Energy produced in Photon-Cave is consisted of ${\bf Two\text{-}moving\text{-}Storages}$, which travel.



The Stationary-Charged-Particle is from equation , \mathbf{g} . \mathbf{f}^2 . $\boldsymbol{\pi}^3 = \mathbf{1}$, where $\boldsymbol{\pi}$ is the Closed Space , $\boldsymbol{\pi}\mathbf{g}$ is the Stationary-Electric-Lines , and $\mathbf{f}^1 = \sqrt[2]{\mathbf{g}^{-1}\boldsymbol{\pi}^{-3}}$, the motion = Energy = **the Stress** in the Two and Opposite-Spaces , [$\{+\} \rightarrow \{-\}$] , or in the consisted Poles , with Infinite Points and Parallel-lines such as \mathbf{G} which is as An-Uniform-Pointy-Force . Electrons can be spinning clockwise or anti-clockwise and propagate on a Spiral trajectory.

The Electron-velocity is $\to \overline{v}_e = 2\pi r. [f_e = \sqrt[2]{\frac{g}{4\pi^2 \, m}} = \frac{1}{2\pi} \sqrt[2]{\frac{g}{m_e}}] \equiv r \cdot \sqrt[2]{\frac{g}{m_e}}$, while the , Photon velocity is $\overline{v} \left[\frac{\sigma}{2\pi r} + \frac{\sigma \Phi}{2\pi r} \right] \equiv \overline{v}. [\overline{f_n}] + f_n]$, where $\overline{v}. [\overline{f_n}] \equiv$ The Particle-Photon and $\overline{v}. f_n \equiv$ The Wave-Photon .

A true definition of what is Electric-Charge and Electricity based on above follows .

In [1] <u>The-Stationary-Electron-Charge</u> Becomes from E-equation $\bar{q} = \frac{m_e c^2}{2} = \frac{g c^2}{8\pi f^2}$ while for Photon is directly from $G = F = \sigma A = (2\pi f r) \frac{A}{\Phi} = wr \frac{A}{\Phi} = \overline{v} \frac{A}{\Phi} = \sigma \Phi^3$, which is a straight-line-Voltage. Since Energy is produced from motion, which is the continuous removal of $\{+\}$ to $\rightarrow \{-\}$ and because it occurs in Closed-loops, The Electric-Field-lines are Straight-lines, in Space Φ and Energy-Field σ and when these Pass from \mathbf{g} ocean then continue to be *Straight-lines*, and this because Total-work W = F.s = F.0 = h f = 0. The Geometry of cave (Tack-Geometry) controls the Electric-field and the Stability from g while equilibrium from $g f^2 \pi^3 = 1$, and created from the two opposite Angular Momentum vectors , M $_u$, M $_d$, at distance , r , and thus is created the $\,$ **E - Spin** as $2S = M_u \, x[\{+\} \rightarrow \{-\}]$, and is acting on $[\{+\} \rightarrow \{-\}]$ axis . i.e. The Stationary- Electron - Charge is the Storage of $\mathbf{r} \equiv \mathbf{L}_{\mathbf{p}}$, cave in-where the *Space* and *Anti-space*, as π g, and as Stationary-Electric-Lines are creating Potential-Energy P_E, with such Geometry that, to exist from the linear-motion stored in the form of Dipole-Rotation with a changing-Spin , S , and of frequency f=1/Tin the min-cave. Here is cleared that frequency $f_e = B/(\pi^2 r^4)$ of Electron is Energy as angular velocity vector motion in r cave, and this is because in cave exists the Natural-Frequency $f_n = \sqrt[2]{g^{-1}\pi^{-3}}$ of cave in Electric-Field-lines $E = g \pi$. Photon Frequency becomes from the Isochronous motion $w = \frac{2\pi}{T} = \frac{g}{4r} = 2\pi f$ which **Amplitude** is **Independent of motion**, and its velocity $\; \overline{v} = [\frac{G \; \Phi}{A}] \; ,$ is **Dependent on Impedance** $\; Z_p \;$ of Space A .

In [2] the *Electrostatic Unit of Charge* \bar{q}_P , the Quantum of All, which when concentrated at Point $\{+\}$ and placed at a unit distance from an equal and Opposite concentrated quantity $\{-\}$, Is the Pulling with a Unit-force . Mass m_e is the reaction to this Inner motion of $[\{+\} \rightarrow \{-\}]$ and consists the Granular- Storage of Energy motion , which is vibration in a closed loop, and it is a measurable Physical-quantity denoting the Geometry of Electron in \mathbf{r} cave, and Periodic motion . The Geometry of the Periodic motion issues the same such as for Electron and for Material point with different cave and one-frequency as $f_e = \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{\sigma.\Phi}{2\pi r} = \frac{\bar{B}}{\pi^2. \ r^4}$ Electric-current is then The flow of the Electric-Charges and which is the moving-quantity of Charges . Since *Electrons* and *Electric Charges* exists in , $\mathbf{g}_{\mathbf{r}}$ loop-level, therefore IS the Property that controls all interactions between Bodies through these **Electrical-forces**.

In [2] <u>The-Stationary-Photon-Charge</u> is the case of Material point with **Periodic Orbital** motion where issues the **Tack-Geometry** i.e. the tracks of the Electric-lines Pattern are closed loops and not straight-lines , and also because of the Voltage between the ends , is created the motion as an *Eternal rotation* of the $[\oplus]$ *constituent towards* $[\ominus]$ *constituent* , $[\Box]$ The opposite issues for Rotational motion where in the *Moving-Photon-Tank* and because



of Stress , σ , is created the Centrifugal-Force F_f]. and $\bar{v} = [\frac{G \ \Phi}{A}]$. Because $f_n = \frac{\bar{B}}{\pi^2 \cdot r^4} = \frac{\sigma^2 \cdot \Phi^2}{4 \cdot \bar{B}}$ so , Stress $\sigma = 0 \to \sigma$, and $\bar{B} = \text{Angular-Momentum} = AM$ independent of σ . $\to AM$, and Spin is equal to AM / Unit-Area = AM / π , and because of the Closed *One-way-loops* , Spin is either Positive or Negative and is \to Electric-Charge E $\bar{E} = \pm AM$ / $\pi = \text{Electron-Spin} = \text{The} \pm \text{Electron}$.

Above Spin disappears the ERP Paradox because is extended and actually is filling up the entire universe . These Stationary-Particles are permanently entangled , with Wave packets becoming from M-P-Photons , which Orientate and Re-orientate their Spins .

In [3] the <u>The-Moving-Electron-Charge</u> Is consisted of the above <u>Energy-Storage</u>, the g in <u>min-cave</u>, occupying *All Properties of the Stationary-Electron-Charge* and additionally the Kinetic-energy $E=\frac{m_e\ v^2}{2}=g.\ v_e^2\ /\ 8\pi\ f_e^2=\overline{q}_eV=h.\ f_e$, and $g.\ v_e^2=8\pi h.\ f_e^3$ or $[v_e^2/f_e^3]=8\pi h\ /\ g=constant$, or $v_e^2\ /\ f_e^3=k$, and $v_e^2.T_e^3=k=\frac{f^3}{f^3}=f^3\left(\frac{T}{\lambda}\right)^2=f^3.\ [\frac{i}{\lambda f}]^2=k$

i.e. The *Electron-velocity squared* to the *Electron's - cube Frequency* is constant following the Orbit-Unit-Energy equation $k = f_e^2 a^3$, and equal to the Inverse **f** squared to the *Electron's-cube Frequency* in wavelength λ interchanged and keeping light-velocity \overline{c} without any other Force acting on them .

This Kinetic-Energy creates angular velocity ${\bf w}=2E/B=\frac{m_e~v^2}{B}$ and the Inwards transverse Electromagnetic-Waves , ${\bf E}\perp {\bf M}$, travelling with v_e , inner velocity as E=A. sin[kx-wt] and as M=A. sin[kx-wt] , and E=M=A. [1 - sin~wt] , since sin~kx=0.

i.e. The Moving-Electron-Charge is The Electromagnetic-Wave, $E \perp M$, which carries the Stationary-Electron-Charge, and which is The STORAGE of ${\bf g}$, in min-cave, in-where the Potential-Energy P_E , as linear-motion in ${\bf g} \equiv {\bf r}$ cave is stored in the form of Dipole-rotation, Angular-momentum due to curved motion, with Spin, ${\bf S}$, directed from $\{-\}$ and to G-Primary-Direction of frequency ${\bf f} = {\bf 1}/{\bf T}$, and which is the Source in cave ${\bf r}$.

3g.. The Elements needed in Cave for Black-Hole-Genesis.

Both motions , **Periodic and Rotational** , exist as the Mean between the Two Primary-Opposite in PNS \equiv Primary-Neutral-Space . This Mean is the Ocean of the , **Two kinds of Spins** created from the inner motion in Material-points both Oriented by the acceleration ${\bf g}$,created from Rotational-motion and which ${\bf g}$, continually effects on Spins through which force ${\bf G}$, Flows to all Energy structures .

From $r_{min}=1,07.10^{-7}$ m and $\mathbf{f^2}_{p}=\frac{1}{r^3}$ then $f_{min}=2,839844.10^{10}$ H , and Bonding Energy $L\equiv E=h.f_N=6.62607.10^{-34}$. 2,8398447.10¹⁰ J /1,6.10⁻¹⁹ = 1,176063.10⁻⁶ eV or in Joule = 1,8817009. 10^{-23} J = (Kg.m2/s²). Hydrogen cave was found a $_{H}=2,11450164.10^{-11}$ m and from Orbit-Quantum-Energy $f^2_{H}=\frac{1}{g.r^3}=\frac{1}{9,8076754.(2,1145.10^{-11})^3}=10,784767$.10³⁰

or $\mathbf{f_H} = 3,284017.~10^{15}~\text{H}$, while Nutation-Frequency $\mathbf{f_N} = \frac{sQ}{2\pi J_3 w} = 2,8398447.10^{10}~\text{s}^{-1}$

Energy in caves $\mathbf{E} = \left\{ \frac{k}{r} + \frac{L^2}{2m \; r^2} \right\} = \left\{ \frac{\pi g}{r} + \frac{L^2}{2\left(\frac{g}{4\pi f^2}\right)r^2} \right\} = \frac{2\pi}{g \; r^2} \left[\; g^2 r \; + L^2 f^2 \right] ...(1)$ It was proved also that

magnitude $\bar{\mathbf{L}} = \bar{\mathbf{a}} \times \bar{\mathbf{v}} = \mathbf{Constant}$ for all central motions. For circular orbits gravitational

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force G_F equals the centripetal force C_F , so $C_F = G_F$ and $m_P v^2 / R = [G.m_P m_S]/R^2$ and velocity $v^2 = GM/R$. Substituting the expression into the formula for Kinetic - Energy then, $K_E = \frac{mv^2}{2} = \frac{m.GM}{2.~R} = \frac{GMm}{2.~R}$, or $K_E = (1/2)~(-P_E) = -\frac{P_E}{2}$ and $\rightarrow -~P_E = 2.K_E \leftarrow(2)$ The Total-energy $E=K_E+P_E=K_E-2.K_E=-K_E$, i.e. The Potential - Energy P_E is Always - Negative and Twice the Kinetic-Energy While The Total - Energy E, of an Central-Orbiting-System is Negative . The ratio L / E \equiv (-P $_E$) /(-K $_E$) = (2.K $_E$)/(-K $_E$) \equiv - 2 Placing (2) in (1) then $\mathbf{E} = \left\{\frac{g.\pi}{r} + \frac{L^2}{2m \, r^2}\right\}$ and , $\mathbf{E} = \left\{\frac{g.\pi}{r} + \frac{E^2}{2m \, r^2}\right\}$ or $\rightarrow E^2$ - 4mr. $\mathbf{E} + g.\pi = 0$ \leftarrow An 2^{nd} degree Equation with solution $\mathbf{E} = \frac{4mr}{2} \pm \frac{1}{2} \left[\sqrt[2]{16m^2r^2 - 4\pi g} \right] \dots (3)$ Since E must always be Negative then $16m^2r^2 + 16m^2r^2 - 4\pi g < 0$ or $\rightarrow 32 \, m^2 \, r^2 \le 4 \, \pi g$ and by placing electron mass $m_e = \frac{g}{4\pi f^2}$ then, $\frac{g}{4\pi f^2}$.4r < $\sqrt{2\pi g}$ or $f^4 > \frac{g.^2 r}{2\pi^3} = 0.1581563.r$ and for Hydrogen cave $r = 2,1145016.10^{-11}$ m then $f > 2,8998506.10^{-6}$ H a frequency corresponding to an energy $E = 12.10^{-6}$ eV in a cave $a = \sqrt[3]{\frac{1}{g \cdot f^2}} = 2297$ m. The kicked-Energy is $\to \overline{B}$. $f_n = E \equiv [\frac{\sigma.\Phi.\overline{B}}{4\pi r}] = 1,4603748.10^{-34}.2,89985.10^{-6} = 4,23487.10^{-6}$ Equation (3) $0 \le 4\pi g \le 0 \equiv 4$. $\pi.[4\sqrt{3} \ln(3).\pi^2 r c^4] \equiv 16\sqrt{3} \ln(3).\pi^2 L_p c^4 = 0...(4)$ and from $c = \frac{G \Phi}{A} = \frac{G \Phi}{e^{-i.(\frac{\pi}{4}).b}}$, where $A = \sqrt[2]{-i} = e^{-i.(\frac{\pi}{4}).b} >>$ **Anti-Space +Space-Positions** i.e. as soon as A = {The Space + Anti-Space Positions in Universe } , become Inadequate for **Energy-Storage A** = $e^{-i.(\frac{\pi}{2}).b} = 0.207879576.b = 3.2^2 = 12$ -Times-Less The Necessary, The \rightarrow Velocity-Vectors \equiv motion \leftarrow Burst Into another cave a of L $_p$, connected to G, and which Is an Overflow of Energy in , Space + Anti-Space Positions . [58]

Black Holes Follow Kepler laws , where , On any moving Particle when Tangentially colliding or under any angle φ , with a Material-Point executing Circular motion , then the Total Energy is E , and the Particle follows constant Elliptical Energy - Orbits on the same semi major axis as equation , $\mathbf{1} = \mathbf{c} \cdot \mathbf{f_n^2} \cdot \mathbf{a^3}$, and of the same constant Energy . Semi major axis , \mathbf{a} , is related to energy as $\rightarrow \mathbf{a} = G \ M \ m / 2E$, and for ellipse (a b axis)

 $\frac{B^2}{(mab)^2} = -\frac{q.q`}{(ma)^3} \text{ and } Spin \ |S|^2 \equiv [\overline{B}]^2 \equiv -m \ q \ q` [\frac{b^2}{a}] \text{ or } \overline{B} \equiv \sqrt[2]{maqq`} [\frac{b}{a}] = \overline{B} \equiv \sqrt[2]{maqq`} \text{ for } a=b$ i.e. for very large Energies , semi major axis tents to a Negative-Energy-Point ,which is the beginning of the Black hole such as in microcosm and macrocosm. For axis $a \to \pm 0$, then $f_n \to \infty$, or $E = \to \infty$, which is a Black-hole . [61]

In **Black-holes** where exists the Rotation-Energy , *the Spin* ,velocities follow Quantization of Unit-velocity as $\mathbf{v}=2\pi.f_1[\mathbf{n}\ \mathbf{c}/2f_1]=\mathbf{n.\pi.c}$. From prior relations in B-Holes-Energy is found the SPIN , $\mathbf{S}\equiv\mathbf{B}$, using equation $\rightarrow [\mathbf{2}\overline{\mathbf{B}}]^2=\pi\mathbf{G}\ \Phi^2\ \mathbf{r^3}=|\pi\mathbf{r^4}\ \Phi|^2\leftarrow$ when radius \mathbf{r} , is measured . Angular-Momentum $\overline{\mathbf{B}}=\frac{2L}{\overline{\mathbf{w}}}=\frac{2L}{2\pi f}=\frac{\pi^2\mathbf{r^4}.f}{2}$, and vector $\overline{\mathbf{B}}=\mathbf{a}\ \mathbf{m}\ \mathbf{v}$, becomes

 $\overline{B} = a \text{ m v} = 2,11450164.10^{-11} \text{ m .7,237315.} \\ 10^{-32} \text{ kg.2,99798.} \\ 10^8 = 4,5879026.10^{-34} / \pi \\ \text{and} \\ \rightarrow \text{S/2} = 1,4603748.10^{-34} \text{ which is the E-Spin. From cave-relation , } \\ \textbf{a} \text{ cave , as } \quad a = d = 1,4603748.10^{-34} \\ \textbf{b} \text{ cave } \quad a = 0 = 1,4603748.10^{-34} \\ \textbf{c} \text{ cave } \quad a = 0 = 1,4603748.10^{-$

$$\sqrt[3]{\frac{1}{9,808.f_{3M}^2}} = \sqrt[3]{5,6102298.10^{-30}} = \mathbf{a} = 1,77688867.10^{-10} \text{ m}, \text{ then } \mathbf{Bracket-length}$$

 $\Delta=2a=3,\,5537772$. $10^{-10}\,$ m .The Black-Hole-Gravity-equation related to the Inner



Quantum-velocity v = c, and to its n, **lobes** is the frequency squared as,

$$\mathbf{f}^2 = \frac{\pi . \mathbf{g}}{[2\pi f r]^3} = \frac{\pi . \mathbf{g}}{[\mathbf{v} = \mathbf{w} r]^3} = \frac{\pi . \mathbf{g}}{[\mathbf{v} = \mathbf{n} . \mathbf{\pi} . \mathbf{c}]^3} = \frac{\pi . \mathbf{g}}{[\mathbf{n} . \mathbf{n} . \mathbf{c}]^3}, \quad \text{Energy decreases} \ .$$
 Gravity $\mathbf{g} \cong \boldsymbol{\sigma} = \frac{Force}{Area} = \frac{Mass}{Area} = \frac{G}{k}, \quad \text{while } \textit{Gravity force} \ [\nabla i] \equiv F_G \equiv m_G \mathbf{g} = \mathbf{g}. \nabla [\frac{\sigma}{c^2}]^2. \ r = m_G \frac{v^2}{r} = J \mathbf{w}^2. \mathbf{g}_G = [\frac{\pi r^4}{2}] \mathbf{w}^2. \frac{v^2}{r} = \frac{v^2}{r} [\frac{\pi r^4}{2}] \frac{v^2}{r^2} = [\frac{\pi r v^4}{2}] \text{ and from Spin-Momentum relation } \mathbf{S} = \overline{\mathbf{B}}$
$$= \frac{E}{w} = \frac{E}{2\pi f} = \frac{Er}{\sigma \Phi} = \frac{rG}{\sigma \Phi}, \text{ then } \overline{\mathbf{B}}^2 = \frac{J^2 \sigma^2}{r^2} \Phi^2, \text{ and } \rightarrow [\overline{\mathbf{B}}]^2 = [\frac{\Phi J \sigma}{r}]^2 \leftarrow \text{ while as Centripetal is the}$$

$$\rightarrow \textit{Gravity-force} \ F_G \equiv m_G \mathbf{g} = \mathbf{g}. \nabla [\sigma \mathbf{c}]. \ r = m_G \frac{c^2}{r} = \mathbf{J} \ \mathbf{w}^2. \ \mathbf{g}_G = \frac{v^2}{r} [\frac{\pi r^4}{2}] \frac{v^2}{r^2} = \frac{\pi r v^4}{2} \text{and is} \quad \mathbf{The}$$

$$= \mathbf{Black-Hole-Gravity-equation} \ \textit{related to the Inner Quantum-velocity v to its n lobes}.$$
 Gravity-Acceleration is $\ \mathbf{g}_G = \mathbf{s} \ [\frac{\pi r v^4}{2}] = [\frac{3.1415926([\sqrt{5}+1].^4\sqrt{2.10^{-35}}).(299793458)^4}{2}].e^3 = 6,044981.10^{-35}.80,776078.10^{32}.20,085536 = \mathbf{g}_G = \mathbf{9.8076925}, \quad \text{is constant}.$ From the Primary equation of Electron $\rightarrow \mathbf{w}^2_{\mathbf{e}}. \mathbf{m}_{\mathbf{e}} = \pi \ \mathbf{g} = \mathbf{constant} \equiv \mathbf{Energy} \equiv [\textit{meter of area * meter of force}] \equiv \mathbf{Electrons on Orbits}, \quad \text{on Traces and also the Unit}$ Space $\equiv \mathbf{Massive-United-Unit-Space} \equiv \rightarrow [+\overline{\nu}.s^2] \leftarrow \mathbf{The Nucleus} \ \text{jointed through the}$ Neutral Material-Points $[\ (+)\ [\leftrightarrow]\ (-)\] \text{ with the Strong-force} \rightarrow \mathbf{S}_F = \mathbf{h}. f_n \equiv \mathbf{h}. \{[\mathbf{S} \equiv \mathbf{B}_P \equiv \mathbf{EM-R} \equiv f_{1=N}, f_2, f_3, f_0, f_n = \mathbf{w}^2] \equiv \mathbf{h}. \mathbf{n}. \frac{(1+\sqrt{5})\sigma}{4\pi r} \equiv \mathbf{h}. \frac{2.B}{\pi^2.r^3}, \quad \text{Energy increases ...} (\mathbf{mg})$ From relation Force $\mathbf{G} = \sigma \mathbf{A} = (2\pi \mathbf{f} r). \frac{\Delta}{\Phi} = \mathbf{w}. \mathbf{r} = \overline{\mathbf{c}}. \frac{\Delta}{\Phi}, \text{ i.e. Action of } \mathbf{G} \rightarrow \mathbf{on}. \mathbf{\bar{c}}.$ and , following relation $\sigma \mathbf{x}. \Phi^3 \equiv \mathbf{G}$, from Energy-force \mathbf{F}_g and , from 3-Dimensional $[2^3 = (\Phi \rightarrow \Phi)]^3$

 $\begin{aligned} & \mathbf{F_g} = \, \mathbf{m}_g \, [\, \frac{c^2}{r} \,] = J \, \mathbf{w}^2 \, . \frac{c^2}{r} \, . \mathbf{g}_Z = [\, \frac{\pi r^4}{2} \,] . [\, \frac{c}{r} \,]^2 . \, [\, \frac{c^2}{r} \,] . \{\, 2^3 . \ln(3) . \, \pi \sqrt{3} \,\} = \, \mathbf{4} \, \sqrt{3} \, \ln 3 \, . \, \pi^2 \, \mathbf{r} \, \, \mathbf{c}^4 \, \, \, , \\ & \text{and} \, \mathbf{F_g} = \, \overline{\mathbf{g}} \, = \, 4 \, . \, \sqrt{3} \, . \, 1,0986122886681 . \pi^2 \, . \, 1,616199 . \, 10^{-35} . \, [\, 2,99793458 . \, 10^2 \,]^4 = \mathbf{9,8076754} \, \\ & \text{i.e.} \, \, \mathbf{Gravity} \, \, \overline{\mathbf{g}} \, \, , \, \text{is The continual - effection of } \, \, \mathbf{G} \, \, \, \, \text{force , on } \, \, \mathbf{c} \, \, \, \text{light-velocity , in the } \\ & 3 \text{-Dimensional Planck's length Space and Anti-Space , } \, \mathbf{2^3} \, \, , \, \text{of Planck-length } \, \mathbf{L}_P = \mathbf{r} \, . \\ & \quad \, \mathbf{From} \, \, \mathbf{\sigma} \, \, \mathbf{x} \, \, \, \mathbf{\Phi}^3 \equiv \, \mathbf{G} \, \rightarrow \, [\, 1,846462 . \, 10^{11} \,] \, . \, [\, 3,61803399 \,] = \mathbf{6,680561.10^{-11}} \, \, \rightarrow \, \mathbf{G} \, \, \, \, \, \text{o.e.} \, \delta. \end{aligned}$

Impedance g $_Z$, of Space ln(3) and Anti-Space $\pi\sqrt{3}$, then the Centrifugal-Force $\ F_g$ is ,

4g... Applications

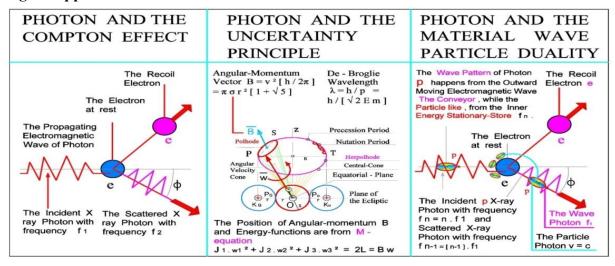


Figure – 16-: The Wave-Particle Duality of Photon as Wave and as Particle:

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The equation of Photon is \rightarrow { $\bar{c} \cdot [\bar{f_n}] + \bar{c} \cdot f_n$ } \leftarrow i.e. Dual Frequencies , The Wave [$f_1 = (E^2 + H^2) = n \frac{(1 + \sqrt{5})\sigma}{4\pi r} = \frac{2.\bar{B}}{\pi^2 r^4}$] - Particle [$\bar{v} = \bar{c} = \lambda \frac{f}{\Phi}$] \rightarrow Duality

In Revolving or Rotational motion , which is the opposite of prior , in the Moving Photon being a Material-point ,the Box B_P with fix-ends and the Inward-cave , r , which is the Energy-Storage B_P , is the Outward cave , r , as an Electromagnetic - Radiation of wavelength $\ \lambda = c\ T = c\ /\ f_P$, which carries , Pushes , the Storage B_P .

In Fig-18- Compton-effect is shown the Why Golden-ratio-frequency $f_P = \frac{\sigma.r}{\pi.B} = \frac{n\sigma.\Phi}{2\pi r}$ exists in nature from the micro to the macro scale and is a **Pressure everywhere** in all the Energy structures. Energy as motion defines **In-Box**, the minimum **Resonance-Golden-ratio frequency** $f_R = f_1$ which *follows Kepler constant for microcosm* and frequency f_R defines in **Outer-Box** the **Electromagnetic Radiation** which is the **Conveyer**, *the carrier* of the Energy-Cave, **r**. The Reality is the **Energy-Space United-universe** of one Force which produces **Work** \equiv **Force** x **Space**, and which is conserved as motion in all Space-Boxes. Potential-Energy \equiv **P**_E **stored** in Material-point is the Electric-Field $\mathbf{E} = \mathbf{g} \pi$, in where $[\oplus \text{moves to } \ominus]$ and thus from Geometry-Shape are created the two opposite Angular momentum vectors and from Dipole the Spin $\mathbf{S} = \frac{1}{2}$ in **r** cave filling the whole universe.

In Periodic-Orbital-motion issues Tack-Geometry i.e. the tracks of the Electric lines are Pattern of closed-loops-Pairs, starting Clock-wise and Anti-clockwise from the \oplus Spring not as straight-lines because of the voltage between ends of Spaces, and the created motion as an Eternal rotation of the $[\oplus]$ constituent towards $[\ominus]$ constituent. In both cases Angular momentum $\overline{\bf B}$, is equal to \pm Spin S. Material Points, Segments etc. consisting the Physical Structures. In the finite-Space of Material-point, cave $\bf r$, is stored the Work as frequencies, Because Stress $\sigma > 0$, Spin \equiv Angular momentum $\overline{\bf B}$, is equal to AM/Unit-Area \equiv AM/ π , and

frequency $f_n = \frac{\overline{B}}{\pi^2 r^4}$ so **Spin is either Positive or Negative** and equal to the Electric-Charge

 $\overline{E} = \pm \, AM \, / \, \pi$. The Spin becomes from the $\uparrow \leftrightarrow \downarrow$ Antiparallel Angular - Momentum-vectors \overline{B} . which is equal to the **Golden-ratio**, *Spin of cave r*, the **Spinning-Stationary M-point** with

Fundamental frequency $\mathbf{f_1}$ of equation $W = [\frac{4\pi r^3}{3}].\mathbf{f_1} = \frac{(1+\sqrt{5}).\sigma.r^2}{3} = 2L = \overline{B}.\overline{w} = J.w^2$.

This Stationary–Energy-Storage is as Coulomb Electrical-Force where the Electrical-Force

$$\textbf{F}_{\textbf{electron}} = k_c \ \frac{\textbf{Q}_1.\textbf{Q}_2}{d^2} = \frac{[\oplus < \rightarrow \leftarrow \ominus]}{d^2} = k_c \ \frac{2\sigma}{|e|^2} = k_c \ \frac{4\pi f_1}{r\Phi}] = k_c \ \frac{\sigma}{2r^2} = \textbf{k}_c \ \frac{2\bar{\textbf{c}}}{\textbf{r}^2\Phi} \ \text{in Box } B_e \ \text{,and for Photon}$$

$$\mathbf{F_{photon}} = \frac{[\oplus < \to \leftarrow \ominus]}{r^2} = \frac{[\sigma.\sigma]}{r^2} = \left|\frac{\sigma.}{r}\right|^2 = \left|\frac{2\pi f.}{\Phi}\right|^2 = \left|\frac{w}{\Phi}\right|^2 = \left|\frac{2L}{\Phi\overline{B}}\right|^2 = \left|\frac{\overline{c}}{r.\Phi}\right|^2$$
, in the same Box B_e, since

Angular-momentum
$$\equiv$$
 Spin $\equiv \overline{B} = \frac{\pi r^3 \sigma}{4} [1 + \sqrt{5}] = |\frac{\pi r^3 \Phi \sigma}{2}| = [\frac{\pi r^3 . \bar{c}}{2}]$, as Orbit-Forces.

Above relation agrees with *Laplace-equations* for Incompressibility and Irrotationality where $\nabla x \bar{q} = \bar{r}_x + \bar{v}_y = 0$, and $\nabla x \bar{v} = \bar{v}_x - \bar{r}_y = 0$, meaning that Space, \bar{r} , and Energy, $\bar{v} = motion$ are Interchanged \rightarrow Because from the first relation the *Magnetic-field-Space* \bar{r}_x creates the *Electric-field-Energy* \bar{v}_y , and from the second \rightarrow *Energy* \bar{v}_x Pushes the *Space* \bar{r}_x . From Electron-Orbit-equation $4\pi^2 f_e^2 m_e = k = \pi g$ or $4\pi f_e^2 m_e = g$, $k = \pi g$, they



denote \bigoplus Space \equiv Electric-field in-where exist Electric-lines i.e. the tracks of Electron motion of the \bigoplus Anti-space . The Right Momentum vector $AM \equiv \uparrow$ is the Produced Work and stored in Magnetic-field as motion while left-vector $AM \equiv \downarrow$ is the Produced Work and stored in the opposite Magnetic field as motion and both consist the Dipole $[\bigoplus < \rightarrow \bigoplus]$, Tack-Geometry . The Chains of Stationary-Periodic-Spins are Pointy-vibrating in Orbit LRC- Circuit with its frequencies $\{\mathbf{f_1} = \frac{(1+\sqrt{5}\,]).\sigma}{4\pi r}\}$ \mathbf{x} $\mathbf{\bar{B}} = [\mathbf{\sigma} \Phi \mathbf{r}^{\mathbf{r}}]$ $\mathbf{f} = \frac{\mathbf{\bar{B}}^{\,2}}{\pi^2.r^4} = |\frac{\sigma^2\Phi^2}{2\pi.c}|\mathbf{\bar{B}}$, filling up the entire universe .

Stationary-Electron-Charge $\mathbf{q} \equiv \boldsymbol{\ominus}$, with Orbit-Velocity-Vector $\overline{\mathbf{v}} = \sqrt{\frac{2}{m}} [E - \{\frac{k}{r} + \frac{L^2}{2m\,r^2}\}]$ occupies Zero Kinetic-energy between Q_1 , Q_2 therefore, $K_E = \frac{mv^2}{2} = E - \{\frac{k}{r} + \frac{L^2}{2m\,r^2}\} = 0$ or $\mathbf{E} = \left\{\frac{k}{r} + \frac{L^2}{2m\,r^2}\right\} = \frac{\pi g}{r} + \frac{S^2}{2(g/4\pi f^2)\,r^2} = \frac{2\pi}{g\,r^2} \left[\mathbf{g}^2\mathbf{r} + \mathbf{S}^2.\mathbf{f}^2\right]...(s)$ Equation (s) issues for Spinning Points, and Atoms-Stationary-nucleus and is **the Strong-Force** between **Nucleus-Protons**.

ONION STRUCTURE

THE SPLIT - FOCUS
WITH

3 - LAYER - CORE

Figure – 17. The Newton's Universal Laws in Atoms and in Onion - Structures . The Slit-Focus-Atom structure with the three Hydrogen – Orbitals . The Neutral Material-Points [(+) [\leftrightarrow] (-)] with the **Strong –Nuclear - Force** $\mathbf{S}_{\mathbf{F}} = \mathbf{h} \ \mathbf{f}_{\mathbf{n}} \equiv \mathbf{h} \ . \{ [\mathbf{S} \equiv \mathbf{B}_{\mathbf{P}} \equiv \mathbf{EM} - \mathbf{R} \equiv \mathbf{f}_{1=\mathbf{N}} \ , \ \mathbf{f}_{2} \ , \ \mathbf{f}_{3} \ , \ \mathbf{f}_{\mathbf{D}} \ , \ , \mathbf{f}_{\mathbf{n}} \] \} \equiv \mathbf{h} . \mathbf{n} \frac{(\mathbf{1} + \sqrt{5})\sigma}{4\pi \mathbf{r}} \equiv \mathbf{h} \frac{\mathbf{n}\sigma.\overline{\mathbf{B}}}{8\ \mathbf{r}^{2}}$ are so because $\mathbf{f}_{\mathbf{n}} = |\frac{\sigma^{2}\Phi^{2}}{2\pi \ \mathbf{c}}| . \overline{\mathbf{B}}$, and it is the DNA of all Energy-Structures .

In Fig-17- , The Vector-Space-Cave m=1 , with Two-Nucleus-masses of One-Charge and with $2m^2=2$ Permitted-Orbit-Positions , per 2 Electrons for Stability, consists the first , ${\bf 3}$, Perpendicular-Plane-Permitted-Positions in Cave , for the \to Lissajous – Eight - Shapes . The Linear-Vibrations [$\ddot{x}+w^2x=0$] of the 3-masses , Occur on the Two Perpendicular each other , Line-Vectors of , $x\perp y$ Plane , as above Shapes which for ,

- a.. Difference of Phase $d_{\varphi} = 90^{\circ}$ emission is \rightarrow The Eight-Shapes OO on Nucleus.
- b.. Difference of Phase $d_{\phi}=0^o$ emission is \to The Ellipse-Shapes \propto , after 1^{st} curve.
- c.. Difference of Phase $d_{\phi}=45^{o}$ emission is \rightarrow The Double-Saddle-Shapes . 8 , $\rm GO$, on the two , One Proton and One Neutron-Nucleus . Circular-motion happens after the Lissajous-Shapes on Elements $2m^{2}=2.4=8$ region which is the Helium cave .

Light velocity vector $\bar{v}=\bar{c}$ Acting on **an-cave**, $\mathbf{r}\neq L_P$, faces-to the Impedance \mathbf{Z}_c from Velocity $\bar{\mathbf{c}}$, and Becomes the minimum-Energy-cave in L_P , and Equal to $\mathbf{E}\equiv\mathbf{r}~\mathbf{Z}_c~\bar{\mathbf{c}}$, and

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$$r = \frac{h}{c.Z_c} = \frac{[\text{6,62606957.10}^{-34}]}{\text{2,99798.10}^{8.1,045263.10}^{-31}} = 2,\!11450164.10^{-11} \;\; \text{m} \; , \; \text{which is the Hydrogen cave} \; .$$

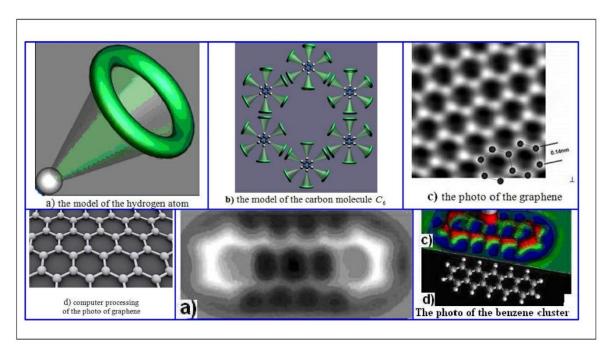


Figure – **18** - : Photo from → RESOLUTION OF THE RUSSIAN THEORY OF MICROWORLD : By Professor Ph. M. Kanarev [kanarevfm@mail.ru]

In-**a**- Is shown the structure of Graphene (Regular Hexagon of E-geometry) in a higher Level . In-**b**-**d** Is shown the Regular Hexagon structure with Nucleus , *Core*, to be the Torsional missing link of Cluster , and this because Core is a Cave .

In-c- Is shown the Hexagon structure becoming from the Triangle ,times, two Units each point and is equal to Six units , or (3 vertex x 2 units = 6 Units) , for any compound Cluster . In-c-d Hexagon shape is because in Photos is included the Projective Plane of Graphene only .

The Plane Directions , for the Steady - Triangle Shapes , of 3 x 2 = 6 (\pm) elements ,is the Regular-Hexagon-Plane-Bonding .The Hydrogen-Light-Photon-cave 2,114501610 $^{-11}$ m as well the Inverse Electromagnetic-Radiation Show the above , Photos in 3-D .

The Plane Bonding of Atoms follows The Stability of Material-Geometry [86].

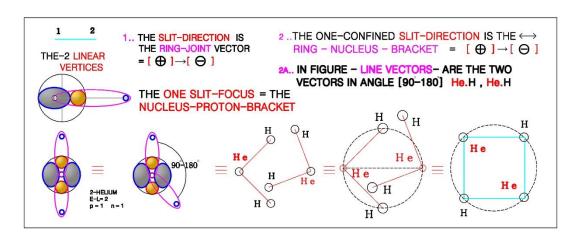


Figure – 19 - : The One HYDROGEN-SLIT is The First – Nucleus-Bracket-Bond The One HYDROGEN-ORBIT is the First PROTON-ORBIT-HOOK on the



Helium - Atom-Nucleus-Bracket and exist , **Two – Slit - Directions** . The One **Helium-Atom-Orbit** is for , **Two Proton-Hook-Directions** (90 - 180°) so the Two Points-Hooks (H-H) > can Bond from **Square** bonding to any Rhombus Shapes .

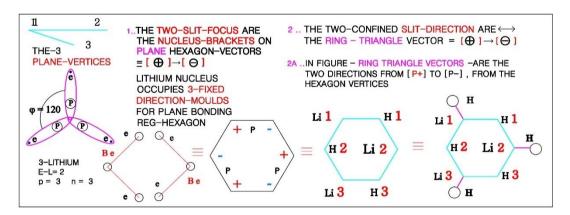


Figure – 20 - : On The Lithium-Atom with the Three of angle 120° -Plane Directions of the Orbit-Hooks can Bond , *on Plane Directions* , in Steady – Triangle - Shape which is The **Regular-Hexagon-Plane-Bonding** .

The size of Atom-Carbon:

The classical way of measuring depends on Avogadro's number concerning atomic mass and Carbon-density $C_L = \frac{\text{mass of molas(gm)}}{\text{Density}\left(\frac{gr}{\text{cm3}}\right)\text{Avogadro-N}} = \frac{^{12}\,\text{gr}}{^{2,1}(\text{gr/cm3})6,02214.10^{23}} = 9,454184.10^{-24}~\text{cm}^3$ and $C_L = 2,11.10^{-8}~\text{cm} = 2,11.10^{-10}~\text{m} = 10.[2,11450164.10^{-11}~\text{m}] = 10.[\text{ Hydrogen-cave}]$ It was prior found that Bracket-length $B_L = \Delta = 2a = 3,5537772.10^{-10}~\text{m} \text{, so}$ Above relations $C_L = 10.~\text{H}_L = B_L~\text{allows the Strong Carbon-Hydrogen Bonds}.$

5g... The Periodic motion in all Displacements :

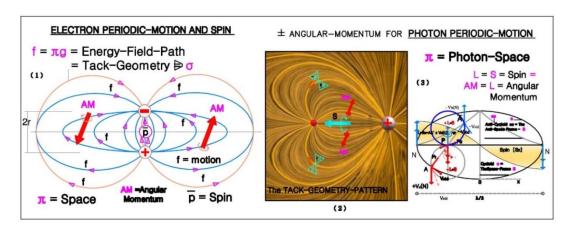


Figure – 21-: The Two Possible motions in caves, The Periodic and The Rotational:

In (1). Is formatted the Energy-Space of the *Orbital-Periodic-motion* [\oplus < \to to \ominus] in *Tack-Geometry-Pattern* (1) and (2) formulation , where Hydrogen minimum cave $\bf a$ is $a = \sqrt[3]{\frac{1}{k \cdot f^2}} = \sqrt[3]{\frac{1}{g \cdot f^2}}$, and for k = g , and f = E / h = 13.6 eV/h = Unit-Energy-Space-frequency $f = 3.28393.10^{15}/s$, of cave $a = 2.11450164.10^{-11} m$. From Linear-Periodic-motion 61



$$\begin{split} \frac{w_n}{2\pi} &= f_e = \frac{1}{2\pi} \, \sqrt{\frac{k}{m}} \; , \, \text{or} \quad 4 \, \pi^2 \, f^{\,2}_{\,\, e} \; . m_e = k = \pi \, g \quad , \, \text{then for Electron} \; m_e = \frac{g}{4 \, \pi \, f^{\,2}_{\,\, e}} \quad \text{so} \; , \\ m_e &= \frac{g}{4 \, \pi \, f^{\,2}_{\,\, e}} = \frac{9,808238}{4.\pi \, [3,28399.10^{15} \,]^2} = \text{-} \; 7 \; , \, \text{2373149.10^{-32}} \; \, \text{kg} \; , \; f_{\,\, e} = 3,283998.10^{15} \; / \text{s} \; , \end{split}$$

The Spin-Cave is equal to The Moment of couple from two $\uparrow \leftrightarrow \downarrow$ Angular-momentum Vectors as $\overline{\mathbf{B}} = \mathbf{a} \ \mathbf{m} \ \mathbf{v} = 2,11450164.10^{-11} \ \mathrm{m} .7,2373149.10^{-32} \ \mathrm{kg}.2,99798.10^8 = 4,5879026.10^{-34} \ / \pi$, and Spin $\rightarrow \mathbf{S/2} = 1,4603748.10^{-34}$ which is the Electron-Spin. The $\mathbf{k} = \pi \ \mathbf{g}$, denotes the \oplus Space \equiv Electric-field in-where exist the Electric-lines the tracks for the motion of electrons \ominus Anti-space. The Right angular momentum vector $AM \equiv \uparrow$ is the Produced Work and stored in Magnetic-field as motion while left-vector $AM \equiv \downarrow$ is the Produced Work and stored in the Opposite Magnetic field as motion and both consist the Dipole-vector $[\oplus \cup \oplus \cup \ominus]$ directed to $[\oplus \rightarrow \ominus]$ as it is *Tack-Geometry*.

For Quantum-Energy equal to
$${\bf g}$$
 then $k=g$, and $\rightarrow a=\sqrt[3]{\frac{1}{k\cdot f^2}}=\sqrt[3]{\frac{1}{k\cdot f^2}}=\sqrt[3]{\frac{h^2}{k\cdot E^2}}$ or $=\sqrt[3]{\frac{h^2}{g\cdot E^2}}$

the corresponding cave a is for Energy-monads,

In (2). Is formatted the Energy-Space of M-P vibration of opposites which creates a wave which has an Electric , **E** , and an Magnetic component , **H** , perpendicular each other and is as $[E^2+H^2]=2.(2r).c.\sin 2\phi$ on where **does Not-exists the Skin-effect** and this because of the Laplace $\nabla^2 f=0$ equation issuing in ,*Tack-Geometry* .The Property of Periodic-motion in M-P conserves **The Inner-Magnetic-Wave** , into the Centre of mass-Charges with an changeable Spin , S , between , - S , to + S , resulting to a Stationary-State . i.e. it is a continuous – S + S = 0 , Torsional and Point-equilibrium , where Charge is equal to the Angular Momentum-vector per Unit-Plane or \rightarrow S = AM / π = r m v = [a m c] / π \rightarrow

Spin S =
$$\left[\frac{amc}{\pi}\right] = \overline{B} = \frac{2L}{\overline{w}} = \frac{2L}{2\pi f} = \frac{\pi^2 r^4 \cdot f}{2}$$
 = The Spin of Particle-cave.

Above **Double-Orbital-Periodic motion** $[\oplus < \to \ominus]$ in a Material-Point is the eternal-Plane-Curve-motion of the \oplus constituent to the \ominus constituent in the two x, z, axis of motion . Considering the distance of motion be , the diameter of the cave , l = 2r , then velocities as angular velocity , \mathbf{w} , and velocity , \mathbf{v} ,under the condition y(2r,0) = 0 , then

leads to Energy-equation
$$\sin\frac{2rw}{v}=0$$
, or $w_n\frac{2r}{v}=n\frac{4\pi r}{\lambda}=\frac{4\pi rf}{v}$, where $n=1,\,0,\,\lambda=\frac{c}{f}$ and

is the wavelength and, \mathbf{f} , is the frequency of oscillation, *i.e.* The, $\mathbf{n} = \mathbf{1}$, defines

a Normal mode vibration with natural frequency
$$\rightarrow$$
 $f_n = \frac{v}{2\pi r} = \frac{\sigma}{4\pi r} [1 + \sqrt{5}](n)$

Above **Double-Orbital-motion** is in a Uniform-Energy-Point-Space as this is for Spin S = \overline{B} and then Issues $\overline{B} = \overline{r}$ m $\overline{v} = \sqrt{\overline{r}^2 + m^2 \overline{v}^2}$, because the vector $\overline{r} = Space$, is Perpendicular to $m\overline{v} = The\ Energy$. Laplace Energy-equation for $Incompressible\ Space\ \overline{r}$, is $\rightarrow \overline{V}^2E = -\overline{V}E = -\overline{V}B = -\overline{V}\sqrt{\overline{r}^2 + m^2\overline{v}^2}$ and squaring $-\overline{V}\overline{r}^2 + [2\pi mf\overline{a}]^2 = 0$ issues $\overline{r} = -2\pi mf.\overline{a}$ (1) The condition for $Irrotational\ Energy$ is $\rightarrow \overline{V}x\overline{B} = \overline{V}x\overline{S} = 0$, or $\overline{V}x\overline{B} = \overline{V}\overline{r} + 2\pi mf.\overline{a} = 0$, and vector $\overline{r} = 2\pi mf.\overline{a}$ (2). Relations (1), (2), $+\overline{a}$ and $-\overline{a}$, denote the Alternative-Positions of Magnetic Field in the Two-transverse-Positions as in Fig 20-(2).

For Photons which force is
$$F_{photon} = \frac{[\oplus < \to \leftarrow \ominus]}{r^2} = \frac{[\sigma.\sigma]}{r^2} = \left|\frac{\sigma.}{r}\right|^2 = \left|\frac{2\pi f.}{\Phi}\right|^2 = \left|\frac{2\overline{B}.}{\pi.\Phi.r^4}\right|^2$$
, issue above .



Since for Electron $4\pi^2 f^2_e$. $m_e = k = \pi \ g$, then for Gravity issues , - $\nabla E = - \nabla g = 4\pi$. $m_e f^2_e$. $\overline{q}_{Photon} = \frac{G}{\sqrt{2}.f} = \frac{G.h}{\sqrt{2}.E} = \frac{[6,680561.10^{-11}].[6,62606957.10^{-34}]}{\sqrt{2}.E=1} = 3,13 \ 10^{-44} \ C$.

All above Physical Structures Vibrate, *In-Sectors* with minimum Energy, and form the \rightarrow Electron-charge \leftarrow *In Surfaces* with minimum Energy, and thus forming the Orbits.

The Orbit relation $\mathbf{r^3f^2_p} = \mathbf{Constant}$, as multiplication of Space-cave \mathbf{r} and frequency \mathbf{f} , as the Energy, the $\mathbf{Work} \equiv \text{motion}$, is conserved in orbit, \mathbf{r} , as the, \mathbf{n} , frequencies $\mathbf{f_n}$.

Remarks

- 1.. From Light-velocity-equation $\bar{\mathbf{v}} = [\frac{\mathbf{G} \, \Phi}{A}] = \bar{\mathbf{c}}$, Force $\bar{\mathbf{G}}$ and velocity vector $\bar{\mathbf{c}}$ are *Aligned* therefore Photon $\{\bar{\mathbf{c}} : [\overline{f_n}] + \bar{\mathbf{c}} : f_n\} = \text{Particle} + \text{Wave}$, follows the *Rectilinear motion*. In Planck's length \mathbf{L}_P , The light velocity vector $\bar{\mathbf{c}} = \frac{\mathbf{G} \, \mathbf{L}_P}{\mathbf{r} \cdot \Phi^2}$ is Acting on cave, $\mathbf{r} = \mathbf{L}_P$, finds The Impedance = mass m_g , becomes the Centrifugal-Force F_g of Cave which is Equal to the Gravity g, while vector $\bar{\mathbf{v}} = \bar{\mathbf{c}}$ Acting on a-cave, $\mathbf{r} \neq \mathbf{L}_P$, finds The-Impedance \mathbf{Z}_c of the Velocity $\bar{\mathbf{c}}$, and becomes the minimum-Energy-cave in \mathbf{L}_P , which is $E = \mathbf{r} \, \mathbf{Z}_c \, \bar{\mathbf{c}} = \mathbf{h}$, and $\mathbf{r} = \frac{\mathbf{h}}{\mathbf{c} \cdot \mathbf{Z}_c} = 2,11450164.10^{-11}$ m. From Kepler-second law of Areas, $g \, \mathbf{r}^3 \mathbf{f}^2_{\ p} = 1$, the frequency $\mathbf{f} = 3,2839982.10^{15} \, \mathrm{H}$ and Energy $E = \mathbf{h} \, \mathbf{f} = \mathbf{13}$, 6 eV, which is that of Hydrogen cave.
- 2.. From Electron-velocity-equation $\bar{v} = wr = 2\pi f \, r$ and from Kepler 4 $\pi^2 \, f_e^2 \, .m_e = k = \pi \, g$ then $v_e = r \, .\sqrt{\frac{g}{m_e}}$, therefore Electron follows, *Curvilinear motion* and that of Gravity. From Force $G = \sigma \, A = [\frac{2\pi r f}{\Phi}].A = w \, r.[\frac{A}{\Phi}] = \overline{v} \, [\frac{A}{\Phi}]$, then is \rightarrow The moving \overline{c} in Storage $\frac{A}{\Phi}$
- 3.. Since $G \equiv \sigma.\Phi^3 \equiv \Phi^2.[\{\sigma \Phi\} \equiv 2\pi f_P \ r \equiv w \ r \equiv \overline{v} \equiv m \ a \equiv m \ g = \overline{c} \]$ and Nutation-Frequency $f_N = \frac{r_e.Q_e}{2\pi J_3 w} = 2 \ ,8398447. \ 10^{10} \ s^{-1} \ , \ then \ f_N = \frac{r^2_e.\Phi.Q_e}{2\pi J_3 G} \quad related \ to \ G \ .$

AKNOWLEDGE

Because of Covid-19 , was impossible for me to communicate with Professors or Electrical Engineers Specialists in Electromagnetism ubiquity. As is seen Frequencies or Energy and Electromagnetism is everywhere in nature from microcosm to macrocosm . The Relation of frequencies and Stresses becoming from the Eternal-motion of the Opposites which are the only elements of this cosmos , Drive us to the Energy - Space Constructions of everything existing in Objective-Reality . It was done an effort to frame the all document in Classical Mechanic so that the Reader can understand the Deep-meaning of equations . Articles [89] - [90] were intended for , Future Technology Journals , but because Nobody knows when Covid-19 is to be eliminated , so I decided to detach Parts and include in present believing that Present Revised [87R] , will Share this Knowledge of Electromagnetism into Material Geometry to all Readers , becoming from the One - Force of Energy-Space-Universe and which is that of Newton's Gravitational-Constant G only . Markos Georgallides 1/3/2020.

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